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Classific - Summ	ation of ary	Optimizat	ion Proble	ems and M	ethods
	Unconstrained optimization problem		Constrained optimization problem		
	Linear Nonlinear		Linear	Nonlinear	
Objective function (example)	$\begin{array}{l} \text{Minimize } f(\mathbf{x}) \\ f(\mathbf{x}) = x_1 + 2x_2 \end{array}$	Minimize $f(\mathbf{x})$ $f(\mathbf{x}) = x_1^2 + x_2^2 - 3x_1x_2$	$\begin{array}{l} \text{Minimize } f(\mathbf{x}) \\ f(\mathbf{x}) = x_1 + 2x_2 \end{array}$	Minimize $f(\mathbf{x})$ $f(\mathbf{x}) = x_1^2 + x_2^2 - 3x_1x_2$	Minimize $f(\mathbf{x})$ $f(\mathbf{x}) = x_1^2 + x_2^2 - 3x_1x_2$
Constraints (example)	None	None	$h(\mathbf{x}) = x_1 + 5x_2 = 0$ $g(\mathbf{x}) = -x_1 \le 0$	$h(\mathbf{x}) = x_1 + 5x_2 = 0$ $g(\mathbf{x}) = -x_1 \le 0$	$g_1(\mathbf{x}) = \frac{1}{6}x_1^2 + \frac{1}{6}x_2^2 - 1.0 \le 0$ $g_2(\mathbf{x}) = -x_1 \le 0$
	 Gradient me Steepest desc Conjugate grade 	ent method st descent method programming (LP) at gradient method method is usually used. Programming (LP) Programm		od : Converting the constrained nconstrained optimization problem by using em can be solved using unconstrained	
Optimization methods for	Optimization methods for continuous value - Newton method Optimization methods for continuous value - Broyden-Fletcher-Goldfarb-Shanno (BFGS) method · Broyden fletcher Goldfarb-Shanno (BFGS) - Broyden fletcher-Goldfarb-Shanno (BFGS) · Nelder & Jeeves method - Hooke & Jeeves method		Simplex Method (Linear Programming)	Quadratic programming (QP) method	SLP(Sequential Linear Programming) First, linearize the nonlinear problem and then obtain the solution to this linear approximation problem using the linear programming method. And then, repeat the linearization.
value					Sequential Quadratic Programming (SQP) method First, approximate a quadratic objective function and linear constraints, find the search direction and then obtain the solution to this quadratic programming problem in this direction. And then, repeat the approximation.
Optimization methods for discrete value	Integer program	nming: ① Cut algorithm	 Enumeration algori 	thm ③ Constructive algo	orithm
Metaheuristic optimization	Genetic algorit	hm(GA), Ant algorithm,	Simulated annealing, e	etc.	10



Objective Function
Constraints
gn Variables
Design Variables
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