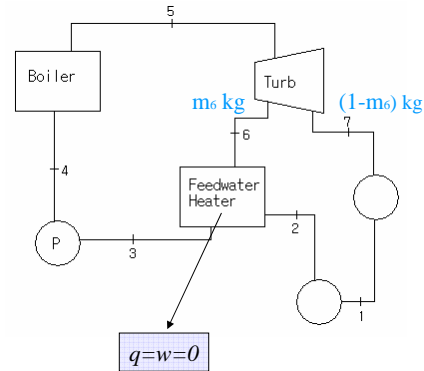
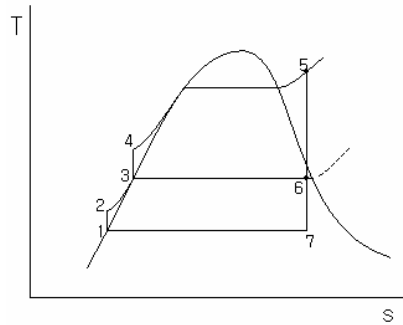


Chapter 8 continued...

- **Regeneration Cycle**

uses feed-water heaters

Efficiency is identical to that of Carnot cycle!



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- **Turbine (5-6,7)**

Find x_6 , using $s_5 = s_6$

$$6.7690 = 1.7766 + x_6 5.1193$$

$$\text{and } x_6 = 0.9752$$

$$h_6 = 604.7 + 0.9752(2133.8) = 2685.6$$

Find x_7 , using $s_5 = s_7$

$$6.7690 = 0.6493 + x_7 7.5009$$

$$\text{and } x_7 = 0.8159$$

$$h_7 = 191.8 + 0.8159(2392.8) = 2144$$

Then 1st law: $w_t = h_5 - m_6 h_6 - (1 - m_6) h_7$
 $= (h_5 - h_6) + (1 - m_6)(h_6 - h_7)$

And 2nd law: $s_5 = s_6 = s_7$

Fraction of 1 kg

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- **Boiler**

$$q_H = h_5 - h_4$$

$$= 3213.6 - 608.6 = 2605.0$$

$$\therefore \eta_{th} = \frac{w_{net}}{q_H} = \frac{975.7}{2605.0} = 37.5\%$$

That is, the q of feedwater heater is zero, thus q_{high} is due to boiler only \rightarrow smaller denominator \rightarrow greater efficiency

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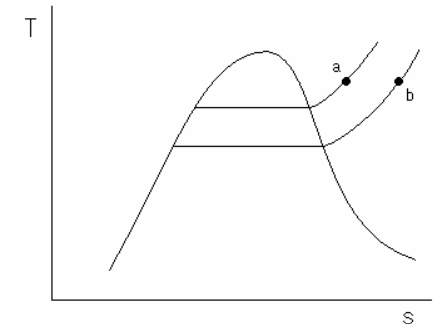
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- **Losses associated with actual cycle**

- **Piping Losses**

Friction effect
Consider piping between
Boiler and Turbine.

Turbine efficiency drops
with a drop in pressure!
- Think about this!



Effect of losses between boiler and turbine \rightarrow

State a – steam leaving the boiler

State b – steam entering turbine

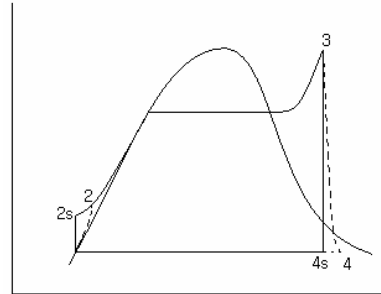
Friction in the pipe causes an increase in entropy.

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- Losses in turbine and pump

Pump efficiency drops with a rise in pressure!
- Think about this!



Effect of turbine and pump efficiencies on cycle performance.
- Due to irreversibility associated with the fluid flow.

- Condenser Losses

Cooling below the saturation temperature of the liquid leaving the condenser. ($dh = T ds + v dp$ and constant p)

- Binary cycle (2 유체 사이클)
수은-수증기

We want to ↑ efficiency

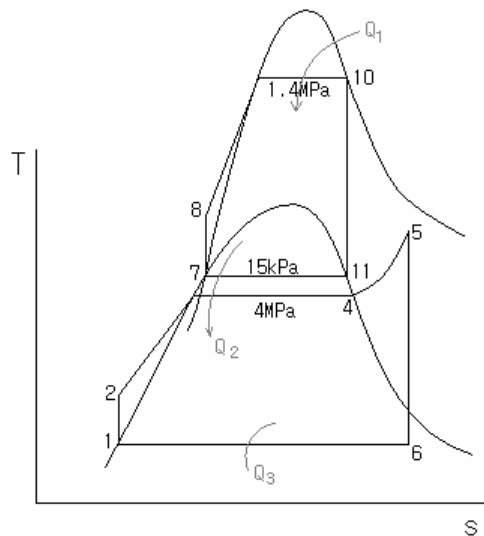
$$\eta = 1 - \frac{Q_L}{Q_H}$$

By ↑ Q_H , ↓ Q_L or T_H ↑, T_L ↓

Consider fluid #2(mercury) whose $T_{cr} > 600^\circ C$ while P_c is low.

So we combine 2 separate cycles.

Lower-T : steam
Higher-T : mercury



• 고온부에 적합한 유체(mercury)로 고온 사이클 형성.

• 저온부에 적합한 유체로 다른 사이클 형성.

고온부의 응축, 냉각열을 저온부의 가열에 사용.

$$Cycle|_{mercury} \quad \eta_A = \frac{W_A}{Q_H} = 1 - \frac{Q_2}{Q_1}$$

$$Cycle|_{steam} \quad \eta_B = \frac{W_B}{Q_H} = 1 - \frac{Q_3}{Q_2}$$

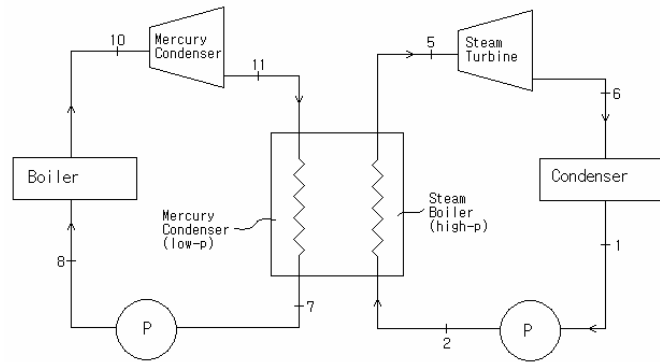
Combined cycle,

$$\eta_{AB} = 1 - \frac{Q_3}{Q_1}$$

$$1 - \eta_{AB} = (1 - \eta_A)(1 - \eta_B)$$

Typically $\eta_{\text{bymanycycle}} \sim 50\%$

Very good except Mercury is way too toxic!!



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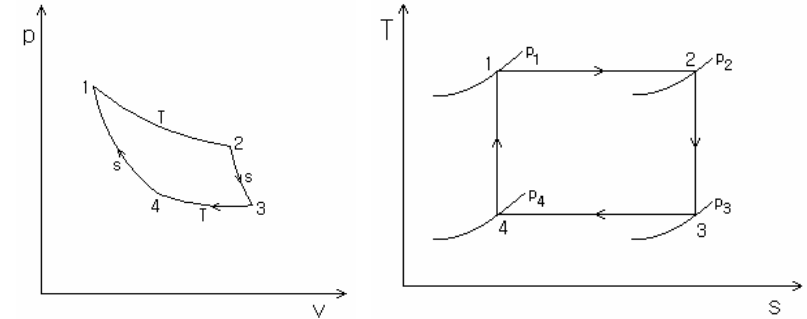
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Chapter 9 Air Standard Cycle

Steam cycle: 상변화 (L-G)

Air cycle: 단일상(G)

- Air-standard (공기표준) Carnot Cycle
(ie Carnot cycle all at the superheated vapor zone)



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Recall

$$\eta_{th} = 1 - \frac{T_L}{T_H} = 1 - \frac{T_3}{T_2} = 1 - \frac{T_4}{T_1}$$

Using isentropic relation for ideal gas

$$\frac{T_3}{T_2} = \left(\frac{p_2}{p_3}\right)^{\frac{1-k}{k}} = \left(\frac{p_1}{p_4}\right)^{\frac{1-k}{k}}$$

$$\frac{T_3}{T_2} = \left(\frac{V_3}{V_2}\right)^{1-k} = \left(\frac{V_4}{V_1}\right)^{1-k}$$

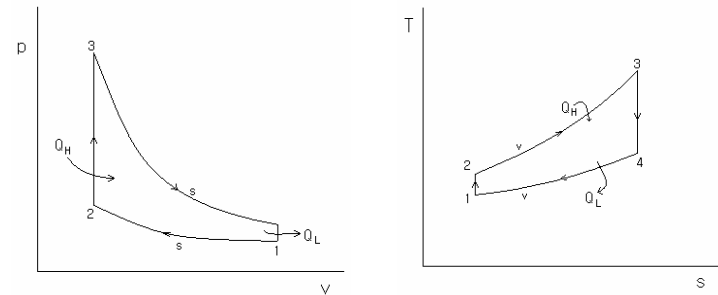
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• Air-standard Otto Cycle

Heat is transferred at constant - v .

- ideal spark-ignition internal combustion engine.



- 1-2: Isentropic compression of air
- 2-3: Piston motion stops – heat is added.
(e.g. ignition of the fuel-air mixture)
- 3-4: Isentropic expansion
- 4-1: Rejection of heat from the air while piston motion is stopped.

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$$\eta = 1 - \frac{Q_L}{Q_H} = 1 - \frac{mc_v(T_4 - T_1)}{mc_v(T_3 - T_2)} = 1 - \frac{T_1 \left(\frac{T_4}{T_1} - 1 \right)}{T_2 \left(\frac{T_3}{T_2} - 1 \right)}$$

Using isentropic process relations

$$\frac{T_2}{T_1} \left(\frac{v_1}{v_2} \right)^{k-1} = \frac{T_3}{T_4} \left(\frac{v_4}{v_3} \right)^{k-1}$$

$$v_1 = v_4 \quad v_2 = v_3$$

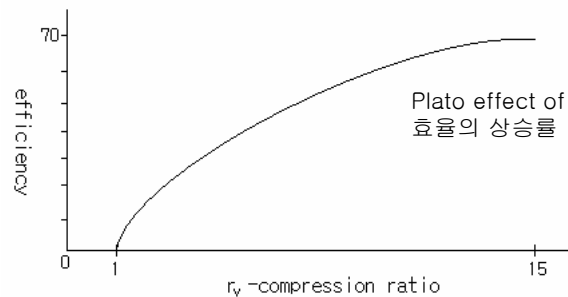
$$\therefore \frac{T_2}{T_1} = \frac{T_3}{T_4} \quad \text{or} \quad \frac{T_3}{T_2} = \frac{T_4}{T_1}$$

$$\eta_{th} = 1 - \frac{T_1}{T_2} = 1 - \frac{1}{\left(\frac{v_1}{v_2} \right)^{k-1}}$$

$$= 1 - r_v^{1-k}$$

$$= 1 - \frac{1}{r_v^{k-1}}$$

where $r_v =$ compression ratio $= \frac{v_1}{v_2} = \frac{v_4}{v_3}$
 $\eta \uparrow$ with \uparrow compression ratio:



One can only $\uparrow r_v$ to a certain value to avoid explosion (엔진폭발).

- 연료의 연소특성 및 제작용제로 제한이 있다.
- spark knock- how to avoid?
- Anti-knock gasoline → 무연, add lead