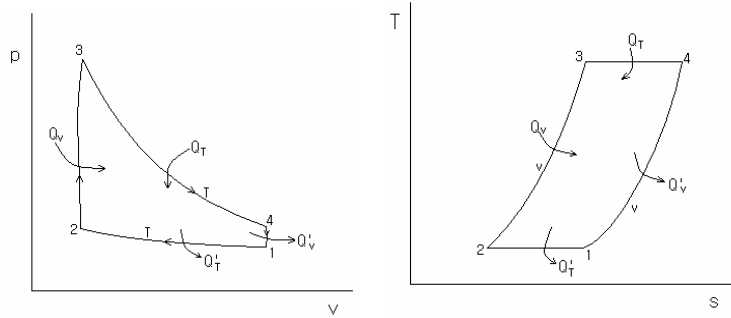


- Stirling Cycle and Ericsson Cycle

These cycles are not extensively used, but they illustrate how a **regenerator** can often be incorporated in a cycle to $\uparrow \eta$

- Stirling Cycle (Otto 와 유사)

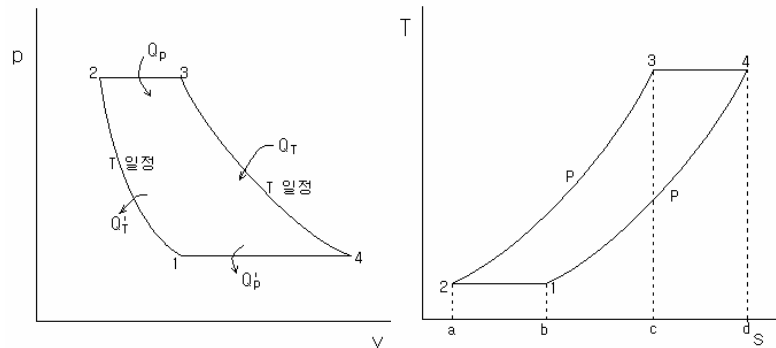


$$\begin{aligned}
 q_H &= q_v + q_T \\
 &= c_v(T_3 - T_2) + RT_3 \ln \frac{v_4}{v_3} \\
 &= c_v(T_3 - T_2) + RT_3 \ln \frac{p_3}{p_4} \\
 q_L &= q_v' + q_T' \\
 &= c_v(T_4 - T_1) + RT_1 \ln \frac{v_1}{v_2} \\
 &= c_v(T_3 - T_2) + RT_1 \ln r_v
 \end{aligned}$$

Note
 $\int (du + pdv) = \int (c_v dT + \frac{RT}{v} dv)$
 since $\frac{v_3}{v_4} = \frac{p_4}{p_3}$ $pv = RT = cons.$

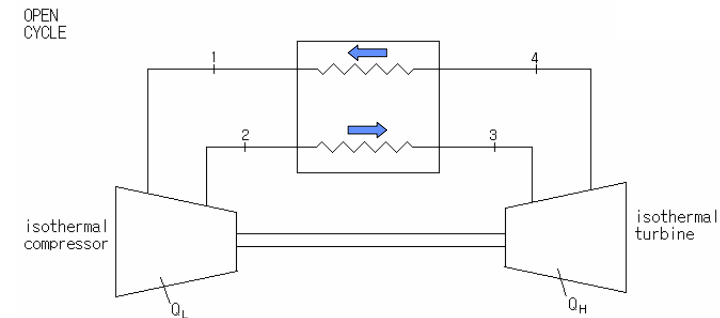
- Ericsson Cycle

(Diesel 과 유사)
(This is gas turbine)



Here,
 Constant -v of Otto are replaced by constant -p processes.
 In both cycles, there is an **isothermal compression and expansion**.
 Two end states at 2 unique temperatures \rightarrow possibly as efficient as a Carnot cycle.

Use a regenerator



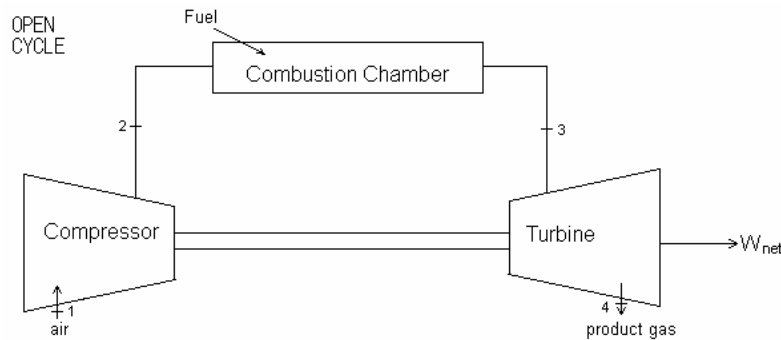
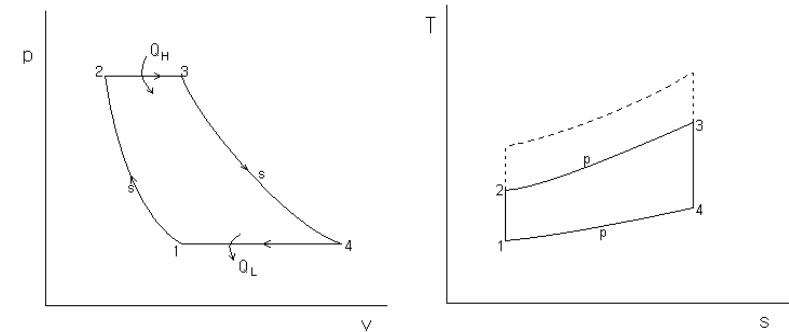
It is difficult to achieve an isothermal compression or expansion.

면적 2-3-c-a-2 = 면적 1-4-d-b-1
 → Carnot cycle 의 열효율을 얻을 수 있다.

$$\eta = 1 - \frac{c_p(T_4 - T_1) + RT_1 \ln p_2/p_1}{c_p(T_3 - T_2) + RT_3 \ln p_3/p_4}$$

No pressure drop across a regenerator.

• Brayton Cycle (Ideal open Gas Turbine)



$$\eta = 1 - \frac{Q_L}{Q_H}$$

$$= 1 - \frac{c_p(T_4 - T_1)}{c_p(T_3 - T_2)} = 1 - \frac{T_1(T_4/T_1 - 1)}{T_2(T_3/T_2 - 1)}$$

Since

$$\frac{p_3}{p_4} = \frac{p_2}{p_1}$$

$$\frac{p_2}{p_1} = \left(\frac{T_2}{T_1}\right)^{\frac{\gamma}{\gamma-1}} = \frac{p_3}{p_4} = \left(\frac{T_3}{T_4}\right)^{\frac{\gamma}{\gamma-1}}$$

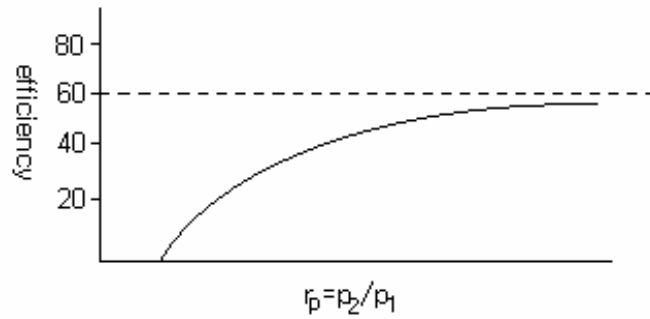
For isentropic process

Or $\frac{T_3}{T_4} = \frac{T_2}{T_1}$ Or $\frac{T_3}{T_2} = \frac{T_4}{T_1}$

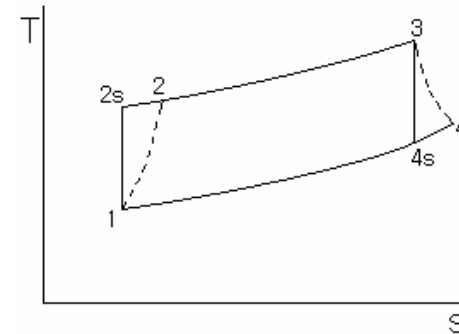
and $\frac{T_3}{T_2} - 1 = \frac{T_4}{T_1} - 1$

$$\eta = 1 - \frac{T_1}{T_2} = 1 - \frac{1}{\left(\frac{p_2}{p_1}\right)^{\frac{\gamma-1}{\gamma}}}$$

∴ The efficiency of the air-standard Brayton cycle is therefore a function of the isentropic pressure ratio.



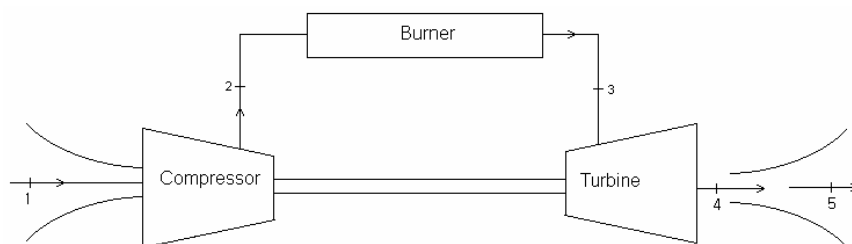
The effect of inefficiencies on the gas-turbine cycle is shown below:



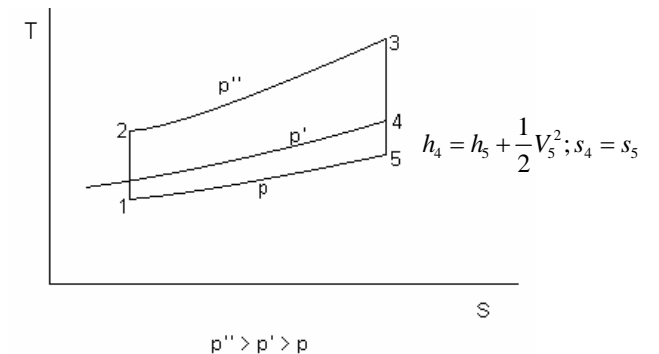
$$\eta_{compressor} = \frac{h_{2s} - h_1}{h_2 - h_1}$$

$$\eta_{turb} = \frac{h_3 - h_4}{h_3 - h_{4s}}$$

• Air-Standard Cycle for Jet Propulsion



3-4 Turbine
4-5 Nozzle



The gases are expanded in the turbine to a pressure for which the turbine work is just equal to the compressor work.

Since the gases leave at a high velocity, the change in momentum that the gases undergo gives a **thrust to the aircraft** in which the engine is installed.