Quantum Dots

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Part I: Properties and formation of semiconductor Quantum dots

- : Introduction
- : Basic quantum mechanics applied to quantum dots (QDs)
- : Basic properties of quantum wells and dots
- : Formation of quantum dots





synthesized by S. H. Lee's Group (SNU)



Quantum dots (QDs)

• Quantum dots?

"fragments of semiconductor consisting of hundreds to many thousands of atoms - with the bulk bonding geometry and with surface states eliminated by enclosure in a material that has a larger band gap" (A. P. Alivisatos, Science **271**, 933 (1996).)

\rightarrow excitons are confined in all three dimensions of space.

core emission wavelength (size & composition)



- Quantum dots have properties
 - High extinction coefficient
 - High electron mobility
 - Band gap & position tunability
 - Solution process capability
- Different methods to create quantum dots.
- Multiple applications: LEDs, LDs, Solar Cells, etc.





"Quantum dot is a nanometer-scale semiconductor crystallite which confines the electron-hole pair in all three dimensions."



Energy band of QDs



Core shell shell nanocrystal: **a** schematic outline and **b** the schematic energy level diagram; **c**, **d** relationship between band gap energy and lattice parameter of bulk wurzite phase CdSe, ZnSe, CdS, and ZnS

Dirk Dorfs, Alexander Eychmueller, "Multishell semiconductor nanocrystals", in Andrey L. Rogach (Ed.) Semiconductor Nanocrystal Quantum Dots, Synthesis, Assembly, Spectroscopy and Applications, Springer-Verlag/Wien, 2008.



Quantum dots

- QDLEDs
- Solar cells
- Biomedicine
- Magnetic nanoparticles
- Biomedicine: MRI. Hyperthemia, Drug delivery
- Metal nanoparticles
- Biodetection (Au. Ag)
- Electromagnetic shell (Fe, Ni, Co)
- Nanofluid
- Metal oxide nanoparticles
- Dielectrics
- Nanocomposite
- Nanocoating



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Q.-J Sun et al. (CAS, Ocean NanoTech), Nature Photonics 1, 717 (2007)

b



Examples of QD applications: LED, Lighting, Display

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Lighting





QLED & Display





Bio-imaging



Single electron transistors



Coulomb charging effect with limited DOS



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Basic quantum mechanics applied to nanoclusters (QDs)



Periodic Table

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Table	7.2	1 2 3	1 33	1 2 2	日月	1	13 th			- 2			3						
The P	eriodic	Table o	f the E	lements									H						
Group	1	2											3	4	5	6	7	8	
Period 1	Dd 1 1 H He He																		
2	3 Li Lithium 6.941	4 Be Beryllium 9.012	wi ha th El	hose atom ave been c e mass nu ements wi	ic mass reated i mber o th atom	masses are given in parentheses do not occur in nature but eated in nuclear reactions. The atomic mass in such a case is aber of the most long-lived radioisotope of the element. 5 atomic numbers 110, 111, 112, 114, and 116 have also been of yet named. 10.81 13 Al Al Aluminium 26.98							5 B Boron 10.81	6 C Carbon 12.01	7 N Nitrogen 14.01	8 O Oxygen 16.00	9 F Fluorine 19.00	10 Ne Nean 20.18	
3	11 Na Sodium 22.99	12 Mg Magnesium 24.31	Cr	eated but i	fransition								13 14 Al Si Aluminium Silicon 26.98 28.09	15 P on Phosphorus 19 30.97	16 S Sullur 32.07	17 CI Chlorine 35.45	18 Ar Argon 39.95		
4	19 K Potassium 39.10	20 Ca Calcium 40.08	21 SC Scandium 44.96	22 Ti Titanium 47.88	23 V Vanadium 50.94	24 Cr Chromium 52.00	25 Mn Manganese 54.94	26 Fe Iron 55.8	27 Co Cobalt 58.93	28 Ni Nickel 58.69	29 Cu Copper 63.55	30 Zn Zinc 65.39	31 Ga Gallum 69.72	32 Ge Germanium 72.59	33 As Arsenic 74.92	34 Se Selenium 78.96	35 Br Bromine 79.90	36 Kr Krypton 83.80	Dmitri Ivanovich Mendeleev (1834 2.8 –1907 2.2)
5	37 Rb Pubidium 85.47	38 Sr Strontium 87.62	39 Y Yttnum 88.91	40 Zr Zirconium 91.22	41 Nb Niobium 92.91	42 Mo Molybdenum 95.94	43 Tc Technatium (98)	44 Ru Ruthenium 101.1	45 Rh Rhodium 102.9	46 Pd Paladium 106.4	47 Ag Silver 107.9	48 Cd Gadmium 112.4	49 In Indium 114.8	50 Sn Tin 118.7	51 Sb Antimony 121.9	52 Te Tellurium 127.6	53 126.9	54 Xe Xenon 131.8	In 1869, he invented the table to illustrate recurring ("periodic") trends in the
6	55 Cs Cesium 132.9	56 Ba Barium 137.3		72 Hf Hatnium 178.5	73 Ta Tantalum 180.9	74 W Tungsten 183.9	75 Re Rhenium 186.2	76 Os Osmium 190.2	77 Ir Iridium 192.2	78 Pt Platinum 195.1	79 Au Gold 197.0	80 Hg Mercury 200.6	81 TI Thallium 204.4	82 Pb Lead 207.2	83 Bi Bismuth 209.0	84 Po Polonium (209)	85 At Astatine (210)	86 Rn Radon (222)	properties of the elements.
7	87 Fr Francium (223)	88 Ra Radium 226.0		104 Rf Rutherlordium (261)	105 Db Dubnium (262)	105 Sg Seaborgium (263)	107 NS Nielsbohrium (262)	108 Hs Hassium (264)	109 Mt Meitnerium (266)	100	TR. CO		and the st				Halogens (inert gases	
	Alkali me	etals		Lanthanides (rare earth	s)							_	-					
				57 La Lanthanum 138.9	58 Ce Cerium 140.1	59 Pr Praseodymium 140.9	60 Nd Neodymium 144.2	61 Pm Promethium (145)	62 Sm Sarnarium 150.4	63 Eu Europium 152.0	64 Gd Gadolinium 157.3	65 Tb Terbium 158.9	66 Dy Dysprosium 162.5	67 Ho Holmium 184.9	68 Er Erbium 167.3	69 Trn Thulium 168.9	70 Yb Ytterbium 173.0	71 Lu Lutetium 175.0	
				89 AC Actinium (227) Actinides	90 Th Thorium 232.0	91 Pa Protactinium 231.0	92 U Uranium 238.0	93 Np Neptunium (237)	94 Pu Plutonium (244)	95 Am Americium (243)	96 Cm Curium (247)	97 Bk Berkelium (247)	98 Cf Californium (251)	99 Es Einsteinium (252)	100 Fm Fermium (257)	101 Md Mendeleviun (260) 2003	102 No Nobelium (259)	103 Lw Lawrencium (262)	

Schrödinger equation

Time-dependent Schrödinger equation

$$i\hbar\frac{\partial}{\partial t}\Psi = \hat{H}\Psi$$

$$\widehat{\mathbf{H}} = -\frac{\hbar^2}{2m} \nabla^2 + U$$
$$\Psi(x,t) = \psi e^{-(iE/\hbar)t}$$

Time-independent Schrödinger equation

$$\widehat{H}\psi_n = E_n\psi_n$$

Steady-state Schrödinger equation in 1-dim.

$$-\frac{\hbar^2}{2m}\frac{\partial^2\psi}{\partial x^2} + U\psi = E\psi$$

Boundary condition \rightarrow energy quantization.





전자물리특강

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Erwin Schrödinger 의 대표적 논문

• Schrödinger Eq., Energy eigenvalues for the hydrogen-like atom E. Schrödinger, Quantisierung als Eigenwertproblem (Quantization as an Eigenvalue Problem), Ann. Phys. 1926, vol. 384, 361–376

• Quantum harmonic oscillator, the rigid rotor and the diatomic molecule, New derivation of the Schrödinger equation

E. Schrödinger, Quantisierung als Eigenwertproblem, Ann. Phys. 1926, vol. 384, 489–527

• Equivalence of Schrödinger approach to that of Heisenberg, Treatment of the Stark effect

E. Schrödinger, Über das Verhältnis der Heisenberg-Born-Jordanschen Quantenmechanik zu der meinem, Ann. Phys. 1926, vol. 384, 734–756

• Treat problems in which the system changes with time, as in scattering problems

E. Schrödinger, Quantisierung als Eigenwertproblem, Ann. Phys. 1926, vol. 385, 437–490

• E. Schrödinger, Quantisierung als Eigenwertproblem, Ann. Phys. 1926, vol. 386, 109–139

• E. Schrödinger, Der stetige Übergang von der Mikro-zur Makromechanik, Die Naturwissenschaften, 14. Jahrg. Heft 28, S. 664-666 (1926).



Schrödinger equation: Particle in a box





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Schrödinger equation: Tunnel effect

For E<U, the particle has a certain probability - not necessarily great, but not zero either-of passing through the barrier and emerging on the other side.

Approximate transmission probability

$$T = e^{-2k_2L}, \quad k_2 = \frac{\sqrt{2m(U-E)}}{\hbar}$$





B.E.A. Saleh, M.C. Teich. Fundamentals of Photonics. Fig. 13.1-11.

80

Valence band

60

40

20

0

A. Beiser, Concepts of Modern Physics, 6th ed., McGraw-Hill, New York, USA, 2003, Chapter 3

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AlGaAs

120 Distance (nm)

GaAs

100

Rectangular barrier



$$T = 4/\{4\cosh^2\alpha d + [(\alpha/k) - (k/\alpha]2\sinh^2\alpha d\}$$

where $k^2 = 2m^*(E - E_c)/\hbar^2$ and $\alpha^2 = 2m_o[\Delta E_c - (E - E_c)]/\hbar^2$



Jaspirit Singh, Semiconductor Devices - an introduction, Chap. 1



Finite potential well

 $\psi_{II} = \begin{cases} A\cos kx & (\text{symmetric solutions}) \\ A\sin kx & (\text{antysymmetric solutions}) \end{cases}$ $\psi_I = B e^{\gamma x} \qquad k^2 = 2mE / \hbar^2$ $\psi_{III} = Be^{-\gamma x}$ $\gamma^2 = 2m(V_o - E)/\hbar^2$ Boundary conditions; $\frac{\psi_{I}(-\frac{L}{2}) = \psi_{II}(-\frac{L}{2}); \quad \frac{d\psi_{I}}{dx}(-\frac{L}{2}) = \frac{d\psi_{II}}{dx}(-\frac{L}{2});}{\psi_{II}(\frac{L}{2}) = \psi_{III}(\frac{L}{2}); \quad \frac{d\psi_{II}}{dx}(\frac{L}{2}) = \frac{d\psi_{III}}{dx}(-\frac{L}{2});}$ $k \tan \frac{kL}{2} = \gamma$ (symmetric solutions) $k \tan(\frac{kL}{2} - \frac{\pi}{2}) = \gamma$ (antysymmetric solutions) V_{o} -L/2L/2х

• Allowed particle energies depend on

• The deeper the finite well, the better the infinite well approximation for the lowlying energy values

• Small L \rightarrow larger energy level separation

the well depth

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Plot of quantum numbers as a function of the maximum allowed quantum number which is determined by the potential height V_0

Figure 3.5. The number of the bound states of a square well plotted as a function of well thickness: (a) $V_b = 224$ meV, $m^* = 0.067$ m; (b) $V_b = 150$ meV, $m^* = 0.4$ m. [After G. Bastard, Wave Mechanics Applied to Semiconductor Heterostructures (Halsted, New York, 1988).]





Density of states (DOS)

- Density of states (DoS)
- *e.g.* in 3D (bulk material):

Volume in k-space per state: $(\frac{2\pi}{L})^3$

Volume in k-space occupied by states with energy less than *E*:

$$V_k = \frac{4\pi}{3}k^3, \quad k = \frac{\sqrt{2m(E - E_c)}}{\hbar}$$

Number of electron states in this volume:

$$N(E) = 2 \cdot \frac{4\pi k^3 / 3}{(2\pi / L)^3} = \frac{L^3}{3\pi^2} (\frac{2m}{\hbar})^{\frac{3}{2}} (E - E_c)^{\frac{3}{2}}$$

Density of states with energies between E and E+dE per unit volume:

$$g(E) = \frac{1}{L^3} \frac{dN(E)}{dE} = \frac{1}{2\pi^2} \left(\frac{2m}{\hbar}\right)^{\frac{3}{2}} \left(E - E_c\right)^{\frac{1}{2}}$$

Lower the dimension greater the density of states near the band edge \rightarrow Greater proportion of the injected carriers



B.E.A. Saleh, M.C. Teich. Fundamentals of Photonics. Fig. 16.1-29.



Optical Excitation

- Exciton: bound electron-hole pair
- Excite semiconductor \rightarrow creation of e-h pair
 - There is an attractive potential between electron and hole
 - $m_h^* > m_e^* \rightarrow$ hydrogen-like system
 - Binding energy determined from Bohr Theory
- In QDs, excitons are generated inside the dot
- Excitons are confined to the dot
 - Degree of confinement is determined by dot size
 - Discrete energies
- Exciton absorption $\Rightarrow \delta$ -function-like peaks in absorption

Orbit radii in the Bohr atom

$$r_n = \frac{n^2 h^2 \varepsilon_o}{\pi m e^2} = a_o n^2$$
 n = 1, 2, 3, ...

Energy levels





Optical absorption and PL of quantum wells

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- Properties determined by the size of quantum wells
- Smaller size \rightarrow larger energy band gap \rightarrow shorter wavelength

$$E_i^C - E_i^V = \left(E^C + \frac{\pi^2 \hbar^2 n_i^2}{2m_e^* L^2}\right) - \left(E^V - \frac{\pi^2 \hbar^2 n_i^2}{2m_h^* L^2}\right) = E_g + \frac{\pi^2 \hbar^2 n_i^2}{2L^2} \left(\frac{1}{m_e^*} + \frac{1}{m_h^*}\right)$$







FIGURE 1.4. Photoluminescence as a function of wavelength for a sample with four quantum wells of different widths, whose conduction and valence bands are shown on the right. The barriers between the wells are much thicker than drawn. [Data kindly supplied by Prof. E. L. Hu, University of California at Santa Barbara.]



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Basic properties of Quantum wells and dots



Energy levels of QDs

Very small semiconductor particles with a size comparable to the Bohr radius of the excitons (separation of electron and hole).

- Typical dimensions: 1 10 nm
- Different shapes (cubes, spheres, pyramids, etc.)
- The optical and electronic properties of QDs can be controlled by their size, shape, and composition.
- CdSe Quantum Dot
- 5 nm dots: red
- 1.5 nm dots: violet



B.E.A. Saleh, M.C. Teich. Fundamentals of Photonics. Fig. 13.1-12.



From http://www.evidenttech.com/quantum-dots-explained/how-quantum-dots-work.html (Evident Technologies. 2010).



Small enough to see quantum effect

In order to see quantum effect, energy levels must be sufficiently separated to remain distinguishable under broadening (e.g. thermal).

For free electrons, $\lambda \sim 6$ nm (at 300 K).

$$\frac{\hbar^2 k^2}{2m} = \frac{3}{2} k_B T; \quad \lambda = \frac{h}{\sqrt{3mk_B T}} = \frac{6.626 \times 10^{-34}}{\sqrt{3 \cdot 9.1 \times 10^{-31} \cdot 1.38 \times 10^{-23} \cdot 300}} \approx 6nm$$

In semiconductors, this condition can be realized for a given temperature at a relatively large size compared to metals, insulators, or molecular crystals.

• In metal:

- Energy level spacing at the Fermi energy E_F is very small.

• In semiconductors:

- Effective mass $m^* \sim 0.1 m$

- E_F lies between two bands, such that the edges of the bands dominate the low-energy optical and electrical behavior.

- Quantum effects occurs on size of clusters of L ~ 10 nm (10,000 atoms)

• In molecular crystals:

- Narrow band width due to weak van der Waals interaction
 - \rightarrow not much size variation in optical or electrical properties.





Size matters

In a material of a single chemical composition, fundamental properties of materials can be changed by the controlling the size of nanoclusters (QDs).

- Energy band gap
- Electrical transport
- Melting temperature
- etc..



TABLE I. Electronic parameters for the indicated crystalline direct gap semiconductors, ϵ is the dielectric coefficient at optical frequencies. The effective masses are in units of the free electron mass. E_g is the band gap.

	$E_g(0 extbf{K})$ (eV)	m_e^*	m_h^*	E
InSb	0.24	0.015	0.39	15.6
GaAs	1.52	0.07	0.68	10.9
CdS	2.58	0.19	0.8	5.7
ZnO	3.44	0.24	0.45	3.7



FIG. 1. Energy of the lowest excited electronic state as a function of crystallite diameter, as calculated via wave function (13). Short horizontal solid lines are the bulk band gap energies of the indicated materials. Dot-dashed line for InSh incorporates surface carrier charge density as described in the



L. E. Brus, J. Chem. Phys. 80, 4403 (1984)

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20

40

60

DIAMETER (Å)

80

100

120



Quantum confinement effects

-1.10

-1.18



A. P. Alivisatos, Science 271, 933 (1996).)

G. D. Scholes, G. Rumbles, Nature Materials 5, 683 (2006)

Electronic transition in colloidal CdSe quantum dots



Hole and electron states associated with excitons seen as the prominent absorption features are labelled according to the assignments of ref. [A. I. Ekimov, *et al.*, J. Opt. Soc. Am. B **10**, 100 (1993).]. That notation specifies a hole or electron state as $n^*(l, l + 2)F$, where n^* labels ground and excited states, *l* is the minimum orbital quantum number and F = l + j is the total angular momentum quantum number (orbital plus spin), containing F_Z from -F to +F. Usually just the major contributor out of *l* or l + 2, or alternatively just *l*, is written as *S*, *P*, *D* and so on. That quantum number is associated with the envelope function, usually modelled mathematically as a spherical Bessel function $j_l(x)$. The quantum number j is associated with the Bloch function. For example, the upper valence band of a zinc blende structure has j = 3/2 and $j_z = -3/2$, -1/2, 1/2, 3/2.

The splitting between the lowest bright and dark exciton fine structure states is analogous to the singlet-triplet splitting of the organic materials when crystal field splitting is negligible compared with the electron-hole exchange interaction.

Bright–dark exciton splitting for a selection of quantum dots: Si (tight-binding calculations), InP (fluorescence line narrowing, measured at 10 K), GaAs (pseudopotential calculations of rectangular nanocrystals), CdTe (fluorescence line narrowing, 10 K, of colloids in glass), AgI (fluorescence line narrowing, 2 K), InAs (fluorescence line narrowing, 10 K), and CdSe(fluorescence line narrowing, 10 K).

G. D. Scholes, G. Rumbles, Nature Materials 5, 683 (2006)



Stokes's shift in colloidal CdSe quantum dots



Peter Reiss, "Synthesis of semiconductor nanocrystals in organic solvents", in Andrey L. Rogach (Ed.) Semiconductor Nanocrystal Quantum Dots, Synthesis, Assembly, Spectroscopy and Applications, Springer-Verlag/Wien, 2008.



How to Make Quantum Dots?

- Top-down approaches
 - Lithography
 - Epitaxy:
 - » Patterned Growth
 - » Self-Organized Growth
- Bottom-up approaches
 Colloidal synthesis





Selective growth and growth on patterned surfaces:



Strain-induced self-assembly (SK growth mode):



From lecture note of Prof. Sebastian Lourdudoss (KTH)



Etched Quantum Dots By E-Beam Lithography

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Epitaxy: Patterned Growth

- Growth on patterned substrates
 - Grow QDs in pyramid-shaped recesses
 - Recesses formed by selective ion etching
 - Disadvantage: density of QDs limited by mask pattern





FIG. 3. Schematic view and SEM image of GaAs tetrahedral structure.

T. Fukui et al. GaAs tetrahedral quantum dot structures fabricated using selective area metal organic chemical vapor deposition. Appl. Phys. Lett. 58, 2018 (1991)

From lecture note of Prof. Joyce Poon (Caltech); http://www.osun.org/quantum-dot-ppt.html

1.5 µm



Epitaxy: Self-Organized Growth

- Self-organized QDs through epitaxial growth strains
 - Stranski-Krastanov growth mode (use MBE, MOCVD)
 - Islands formed on wetting layer due to lattice mismatch (size ~10s nm)
 - Disadvantage: size and shape fluctuations, ordering
 - Control island initiation
 - Induce local strain, grow on dislocation, vary growth conditions, combine with patterning



P. Petroff, A. Lorke, and A. Imamoglu. Epitaxially self-assembled quantum dots. Physics Today, May 2001, p. 46.

From lecture note of Prof. Joyce Poon (Caltech); http://www.osun.org/quantum-dot-ppt.html



Tunnel Injection QD Lasers Grown by MBE





Wet chemistry and self-assembly



MBE/MOCVD method



- Formation of nanomaterials through wet chemistry
- Facile and cost-efficient process



Colloidal synthesis

- Engineer reactions to precipitate quantum dots from solutions or a host material (e.g. polymer)
- In some cases, need to "cap" the surface so the dot remains chemically stable (i.e. bond other molecules on the surface)
- Can form "core-shell" structures
- Typically group II-VI materials (e.g. CdS, CdSe)
- Size variations ("size dispersion")



Electronic energy levels of selected III–V and II–VI semiconductors using the valence band offsets from [43] (VB: valence band, CB: conduction band)



CdSe core with ZnS shell QDs

Red: bigger dots!

Blue: smaller dots!



Evident Technologies: http://www.evidenttech.com/products/core_shell_evidots/overview.php

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M.L. Steigerwald et al., "Surface Derivatization and Isolation of Semiconductor Cluster Molecules," J. Am. Chem. Soc. 110: 3046-3050 (1988).





- Emission wavelength (size & composition)
- CdSe, CdTe, ZnTe, CdS (group II-VI)
- InP, InGaP (Group III-V)
- Surface stabilizer
- QD solubility
- COOH, NH₂, P, PO, PO₃

Shell

- Surface passivation (i.e. dangling bond)
 Protection layer
- ZnSe, ZnS (group II-VI)
- GaP (Group III-V)



Surface passivation of QDs

QD aggregation







Ligand

- Surface stabilizer
- QD solubility
- COOH, NH₂, P, PO, PO₃

TOPO(trioctylphosphine oxide)





Chemical synthesis of semiconductor nanocrystals

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Figure 1 (A) Cartoon depicting the stages of nucleation and growth for the preparation of monodisperse NCs in the framework of the La Mer model. As NCs grow with time, a size series of NCs may be isolated by periodically removing aliquots from the reaction vessel. (B) Representation of the simple synthetic apparatus employed in the preparation of monodisperse NC samples.

C. B. Murray, C. R. Kagan, M. G. Bawendi, Ann. Rev. Mater. Sci. 30, 545 (2000)



La Mer plot



LaMer plot depicting the degree of supersaturation as a function of reaction time

- 1. Stage I: Initially the concentration of monomers, i.e. the minimum subunits of the crystal, constantly increases by addition from exterior or by in situ generation within the reaction medium. In stage I no nucleation occurs even in supersaturated solution (S>1), due to the extremely high energy barrier for spontaneous homogeneous nucleation.
- 2. Stage II: The energy barrier for spontaneous homogeneous nucleation is overcome for a yet higher degree of supersaturation (S>Sc), where nucleation and formation of stable nuclei take place. As the rate of monomer consumption induced by the nucleation and growth processes exceeds the rate of monomer supply, the monomer concentration and hence the supersaturation decreases below Sc, the level at which the nucleation rate becomes zero.
- 3. Stage III: The particle growth continues under further monomer consumption as long as the system is in the supersaturated regime.
- Experimentally, the separation of nucleation and growth can be achieved by

- hot-injection method: rapid injection of the reagents into the hot solvent, which raises the precursor concentration in the reaction flask above the nucleation threshold. The hot-injection leads to an instantaneous nucleation, which is quickly quenched by the fast cooling of the reaction mixture (the solution to be injected is at room temperature) and by the decreased supersaturation after the nucleation burst.
- heating-up method: the *in situ* formation of reactive species upon supply of thermal energy. This method is widely used in the synthesis of metallic nanoparticles, but recently an increasing number of examples of semiconductor NCs prepared by this approach can be found.

• Crystal growth from solution is in many cases followed by an **Ostwald ripening** process. The smallest particles dissolve because of their high surface energy and subsequently the dissolved matters redeposit onto the bigger ones. Thereby the total number of NCs decreases, whereas their mean size increases. Ostwald ripening can lead to reduced size dispersions of micron-sized colloids. In the case of nanometer-sized particles, however, Ostwald ripening generally yields size dispersions of the order of 15–20%, and therefore the reaction should be stopped before this stage.

Peter Reiss, "Synthesis of semiconductor nanocrystals in organic solvents", in Andrey L. Rogach (Ed.) Semiconductor Nanocrystal Quantum Dots, Synthesis, Assembly, Spectroscopy and Applications, Springer-Verlag/Wien, 2008.



Chemical synthesis of II-VI nanocrystals

Table 2.	Precursors, stabilizers and	solvents used in the sy	ynthesis of various I	I–VI semiconductor NCs
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Material	Precursors and stabilizers	Solvent(s)	Method ^a	References
CdS, CdSe, CdTe	CdMe ₂ /TOP, (TMS) ₂ Se or (TMS) ₂ S or (BDMS) ₂ Te	ТОРО	HI	[8]
CdSe	CdMe ₂ /TOP, TOP-Se	TOPO, HDA	HI	[33, 67]
CdSe, CdTe	CdO, TDPA, TOP-Se or TOP-Te	TOPO	HI	[58]
CdSe	CdO or Cd(ac) ₂ or CdCO ₃ , TOP-Se, TDPA or SA or LA	TOPO	HI	[59]
CdS_CdSe	CdO_S/ODE or TBP-Se/ODE_OA	ODE	н	[60]
CdSe	Cd(st) ₂ , TOP-Se. HH or BP	HDA, octadecane	н	[68]
CdSe	$Cd(my)_2$, Se. OA/ODE	ODE	HU	[69]
CdSe	CdO. Se/ODE. OA	ODE	Н	[70]
CdSe	CdO, Se, OA	Olive oil	HI	[71]
CdSe	Cd(st) ₂ , TBP-Se, SA, DDA	ODE	HI	[72]
CdS	$Cd(ac)_2$, S, MA	ODE	HU	[73]
CdS, ZnS	$Cd(hdx)_2$ or $Cd(ex)_2$ or $Cd(dx)_2$ or $Zn(hdx)_2$	HDA	HU	[74, 75]
CdS, ZnS	CdCl ₂ /OAm or ZnCl ₂ /OAm/ TOPO, S/OAm	OAm	HU	[76]
CdTe	CdMe ₂ , TOP-Te	DDA	HI	[77]
CdTe	CdO, TBP-Te/ODE or TOP-Te/ODE, OA	ODE	HI	[78, 79]
CdTe	CdO, TBP-Te, ODPA	ODE	HU	[69]
ZnS	Zn(st) ₂ , S/ODE	ODE, Tetracosane	HI	[80]
ZnS	$ZnEt_2$, S	HDA/ODE	HU	[81]
ZnSe	ZnEt ₂ , TOP-Se	HDA	HI	[82]
ZnSe	Zn(st) ₂ , TOP-Se	Octadecane	HI	[83]
ZnTe	Te and ZnEt ₂ in TOP	ODA, ODE	HI	[84]
HgTe	HgBr ₂ , TOP-Te	TOPO	HI	[85]
$Cd_{1-x}Zn_xSe$	ZnEt ₂ /TOP, CdMe ₂ /TOP	TOPO, HDA	HI	[86, 87]
$Cd_{1-x}Zn_xSe$	Zn(st) ₂ , Cd(st) ₂ , TOP-Se	ODE	HI	[88]
$Cd_{1-x}Zn_xS$	CdO, ZnO, S/ODE, OA	ODE	HI	[89]
$CdSe_{1-x}Te_x$	CdO, TOP-Se, TOP-Te	TOPO, HDA	HI	[90]

^a HI Hot-injection method; HU Heating-up method

 $CdMe_2$ dimethylcadmium; $ZnEt_2$ diethylzinc; TMS trimethylsilyl; $(BDMS)_2Te$ bis(*tert*-butyldimethylsilyl) telluride; TDPA tetradecylphosphonic acid; ODPA octadecylphosphonic acid; SA stearic acid; LAlauric acid; OA oleic acid; MA myristic acid; ac acetate; my myristate; st stearate; hdx hexadecylxanthate; ex ethylxanthate; dx decylxanthate; TOPO trioctylphosphine oxide; HAD hexadecylamine; DDAdodecylamine; ODA octadecylamine; TOP trioctylphosphine; TBP tributylphosphine; ODE 1-octadecene; HH hexadecyl hexadecanoate; BP benzophenone

Peter Reiss, "Synthesis of semiconductor nanocrystals in organic solvents", in Andrey L. Rogach (Ed.) Semiconductor Nanocrystal Quantum Dots, Synthesis, Assembly, Spectroscopy and Applications, Springer-Verlag/Wien, 2008.



Fig. 6. Temporal evolution of **a** the fluorescence (*f*) spectrum, **b** the absorption (*A*) spectrum, **c** the diameter (*D*) of the nanocrystals, **d** (and inset) the concentration (*C*) of the nanocrystals, **e** FWHM (*W*) of the fluorescence spectrum during the phosphine-free synthesis of CdSe NCs using the heating-up method. Reproduced with permission from [69]. © 2005, Wiley–VCH Verlag GmbH & Co. KGaA



Fig.7. TEM images of ZnS NCs synthesized via the heating-up method: a before size-selection process; b after size-selective precipitation. Inset: HRTEM image of a single ZnS NC. Reprinted with permission from [76]. © 2003 American Chemical Society



Fig. 8. Photoluminescence of Cu- and Mn-doped ZnSe NCs at high temperature (left); stability of Cudoped ZnSe NCs in air (middle); PL spectra of ZnSe-based doped NCs. Reprinted with permission from [105]. © 2005 American Chemical Society

Chemical synthesis of III-V and IV-VI nanocrystals

Material	Precursors and stabilizers	Solvent(s)	References
InP	InCl ₃ or InCl ₃ /Na ₂ C ₂ O ₄ , P(TMS) ₃	TOPO or TOPO/TOP	[110, 111]
InP, InAs	In(ac) ₃ , P(TMS) ₃ or As(TMS) ₃ , MA	ODE	[112]
InP	InMe ₃ , P(TMS) ₃ , MA	MM or DBS,	[113]
InAs	InCl ₃ , As(TMS) ₃	TOP	[114]
GaP	[Cl2GaP(SiMe3)2]2	TOPO/TOP	[115]
GaP	Ga(PtBu ₂) ₃	TOA, HDA	[116]
GaP	GaCl ₃ , P(TMS) ₃	TOPO	[117]
GaN, AlN, InN	[M(H2NCONH2)6]Cl3 (M=Ga, Al, In)	TOA	[118]

Table 3. Precursors, stabilizers and solvents used in the synthesis of various III-V semiconductor NCs

TMS trimethylsilyl; *ac* acetate; *MA* myristic acid; *OA* oleic acid; *TOPO* trioctylphosphine oxide; *TOP* trioctylphosphine; *ODE* 1-octadecene; *MM* methyl myristate; *DBS* dibutyl sebacate; *TOA* trioctylamine; *HDA* hexadecylamine

Material	Precursors and stabilizers	Solvent	References	
PbSe	Pb(ac) ₂ , OA, TOP-Se	DPE	[122, 128–132]	
PbSe	Pb(chbt)2, TBP-Se	TOPO	[133]	
PbSe	PbO, OA, TOP-Se	ODE	[124]	
PbS	PbO, OA, (TMS) ₂ S	ODE	[125]	
PbS	PbCl ₂ , S/OAm	OAm	[76]	
PbTe	Pb(ac)2, OA, TOP-Te	DPE	[126]	
PbTe	PbO, OA, TOP-Te	ODE	[127]	

Table 4. Precursors, stabilizers and solvents used in the synthesis of various IV-VI semiconductor NCs

TMS trimethylsilyl; ac acetate; chbt cyclohexylbutyrate; OA oleic acid; OAm Oleylamine; DPE diphenylether

Peter Reiss, "Synthesis of semiconductor nanocrystals in organic solvents", in Andrey L. Rogach (Ed.) Semiconductor Nanocrystal Quantum Dots, Synthesis, Assembly, Spectroscopy and Applications, Springer-Verlag/Wien, 2008.



Synthesis of core/shell nanocrystals





Fig. 10. Left panel: UV-vis absorption and PL spectra during the growth of a ZnS shell (ML = monolayer) on 4 nm CdSe NCs. Right panel: TEM images of 4 nm core NCs (**a**) and of CdSe/ZnS CS NCs (**b**; 1.6 ZnS ML). Reprinted with permission from [33]. © 2001, American Chemical Society

Fig. 11. Top: TEM images at different magnifications of CdS/ZnS NCs using zinc ethylxanthate as precursor for the ZnS shell growth. Bottom: a UV–vis absorption spectra; b PL spectra recorded during the addition of 6 mL of the ZnS precursor solution corresponding to the growth of a five monolayer-thick ZnS shell on 4 nm CdS core NCs [168]

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Peter Reiss, "Synthesis of semiconductor nanocrystals in organic solvents", in Andrey L. Rogach (Ed.) Semiconductor Nanocrystal Quantum Dots, Synthesis, Assembly, Spectroscopy and Applications, Springer-Verlag/Wien, 2008.



Synthesis of Highly Luminescent Quantum Dots

Improved interface

Key Issues:

Shell

Core

- Relieved lattice mismatch btw core and thick shell
- Uniform shell growth
- Straightforward and reproducible synthetic manner

Strategy 1: Improved interface through post treatment (thermal annealing)





Changhee Lee, SNU, Korea



- Straightforward and efficient
- Quantum dots with wide emission range (Green ~ Red)
- General method to synthesize QDs with composition gradients
- A gram-scale synthesis with minimum amount of surfactants

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TEM images of QDs as a function of reaction time



Quantum dots possess spherical shape with narrow size distribution ($\sigma < 5$ %). Prof. S. H. Lee (SNU)





Prof. S. H. Lee (SNU)



UV-Vis. & PL Spectra of Quantum Dots (Green/Red)



Prol. S. H. Le

Emission Window of Quantum Dots (Green/Red)



Reaction schematic for Cd_{1-x}Zn_xS@ZnS quantum dots



- Straightforward and efficient (one-pot synthetic method)
- Quantum dots with emission range from near UV to blue
- General method to synthesize QDs with improved interface
- A gram-scale synthesis with minimum amount of surfactants

- High QY
- Improved photostability

Prof. S. H. Lee (SNU)



Cd_{1-x}Zn_xS quantum dots

Cd_{1-x}Zn_xS@ZnS quantum dots



- The size of quantum dots increase about 3 nm.
- Quantum dots possess spherical shape with high crystallinity.





전자물리특강 EE 430.859 2014. 1st Semester









Deep Blue QDs

- From violet (410 nm) to blue (460 nm)
- Narrow emission (fwhm < 30 nm)
- High QY (up to 80 %)

Synthesis

- Straightforward (one-pot synthesis)
- Highly reproducible (± 3 nm in PL)
- Scale-up capability (in gram scale)

1st S	Cd _{1-x} Zn _x S (Core)				2nd S	Cd _{1-x} Zn _x S/ZnS (Core/Shell)				
Injection	Cd:Zn	Size	PL $λ_{max.}$ QY (Φ)		Injection	Cd : Zn	Size	PL $\lambda_{max.}$	ΟΥ (Φ)	
1.2 mmol	0.76 : 0.24	5.4 nm	467 nm	< 5 %	8 mmol	0.14 : 0.86	9 nm	461 nm	42 %	
1.5 mmol	0.72 : 0.28	5.1 nm	460 nm	< 5 %	8 mmol	0.15 : 0.85	8.5 nm	450 nm	62 %	
1.7 mmol	0.70 : 0.30	5.2 nm	450 nm	< 5 %	8 mmol	0.16 : 0.84	8.7 nm	443 nm	70 %	
2.0 mmol	0.58 : 0.42	4.7	441 nm	< 5 %	8 mmol	0.16 : 0.84	8.2 nm	433 nm	81 %	
2.2 mmol	0.51 : 0.49	4.5 nm	429 nm	< 5 %	8 mmol	0.16 : 0.84	8.5 nm	422 nm	68 %	
2.7 mmol	0.49 : 0.51	4.3 nm	423 nm	< 5 %	8 mmol	0.15 : 0.85	7.5 nm	415 nm	48 %	

* Reaction conditions: Cd 1 mmol, Zn 10 mmol, OA 7 ml, ODE 15 ml, $T_{injection}$ 300 °C and T_{growth} 310 °C

Prof. S. H. Lee (SNU)

