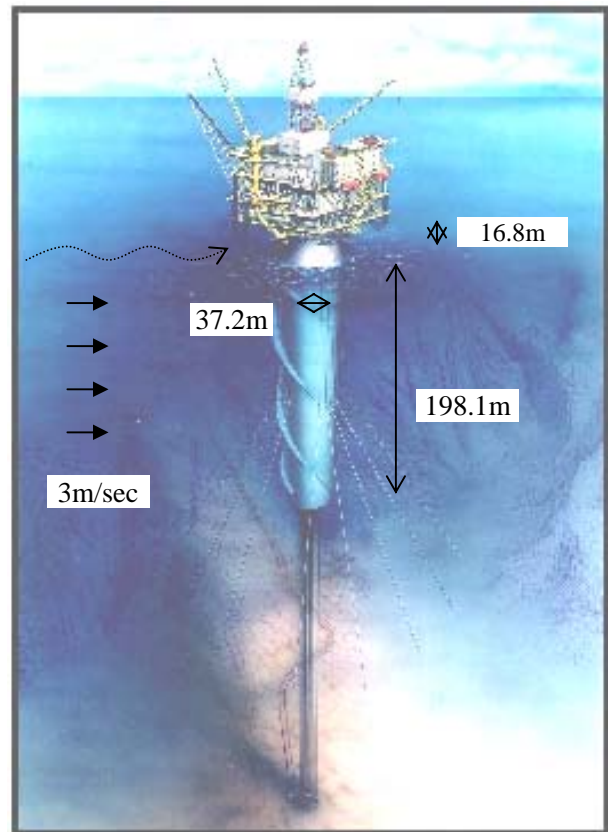


Final-Term Exam

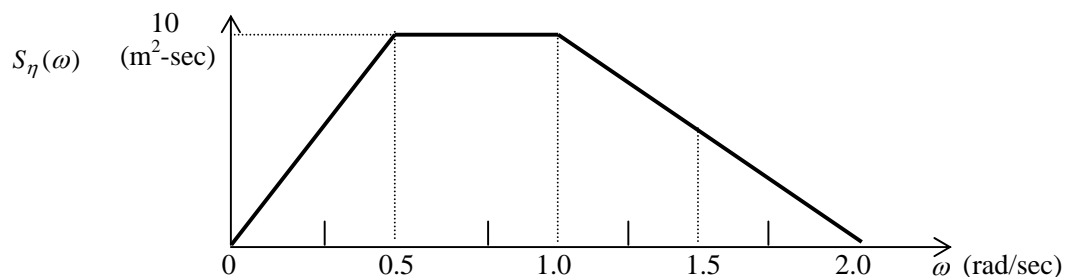
Dec. 17, 2007
15:00~17:00

1. (40%) In 1998, Chevron's Genesis Spar was installed in the Gulf of Mexico at the location of 790-m depth. It is the second-built spar platform which has a hull of 37.2-m diameter and 214.9-m length. The draft of the hull is 198.1-m and a topside deck has the freeboard of 16.8-m.

- (1) For the following condition of long-crested wave spectrum, obtain the wave height of 100-year return period. Is the freeboard of this spar will be enough for this wave condition? Assume Rayleigh distribution for wave peaks. (15%)
 - Modal wave period: 14.08sec
 - Significant wave height: 6.93m
- (2) If the incident waves are not long-crested and short-crested, do you think that the wave height of 100-year return period will be larger or smaller? (5%)
- (3) If there is uniform current of 3m/sec in this region, obtain approximately the drag force on the hull. Choose a proper drag coefficient, and justify your choice. (15%)
- (4) If VIV (vortex-induced vibration) is observed in the presence of current, what is the period of the vortex shedding if the Strouhal number is 0.28? (5%)



2. (30%) Let's assume that you have a wave spectrum as shown below:

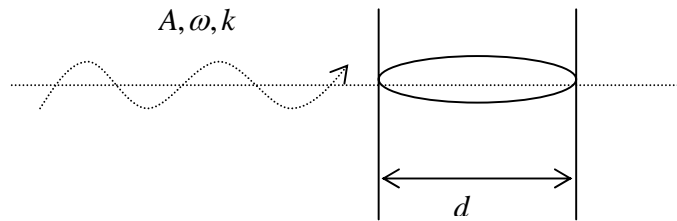


- (1) Describe this wave spectrum with four components. Obtain the amplitudes and frequencies of the four wave components. (15%)
- (2) What are the significant wave height and mean energy density if wave elevations and wave peaks can be described with Gaussian and Rayleigh distribution. (5%)
- (3) If this spectrum is observed during the development of a hurricane, sketch roughly how the spectra will be look like (i) after the fully development of hurricane and (ii) during calm-down of hurricane. (10%)

3. (30%) Let's consider a vertical cylinder of diameter d in regular waves. As you learned in class, we can approximate the sectional force using Morrison's equation as follows:

$$dF \equiv dF_I + dF_D = C_I \rho \frac{\pi d^2}{4} \frac{du}{dt} + \frac{1}{2} C_D d \rho u |u|$$

where all the notations are the same introduced in the class. When the wave flows can be described by potential theory, answer the following questions:



- (1) Write the maximums of horizontal velocity u and du/dt using linear waves at the center of the body., i.e. $x=0, z=0$. (5%)
- (2) Write $|dF_D|/|dF_I|$ as a function of maximum horizontal particle velocity at $z=0$. Here, $| |$ indicates the maximum value. In other words, you need to write as below: (15%)

$$\frac{|dF_D|}{|dF_I|} = \text{Function} \left(C_D, C_M, \frac{T u_{\max}}{d} \right) \text{ where } T \text{ means wave period.}$$

The last term $\frac{T u_{\max}}{d}$ is called Keulegan-Carpenter number (K.C. number)

- (3) Show that the viscous drag becomes relatively larger when K.C. number becomes large. (5%)
- (4) The period of drag force is a half of that of inertia force. Explain why. (5%)

Extra Point (5%, Total will not exceed 100%.): Write any suggestion to improve this class.

Very Merry Christmas and Happiest New Year!