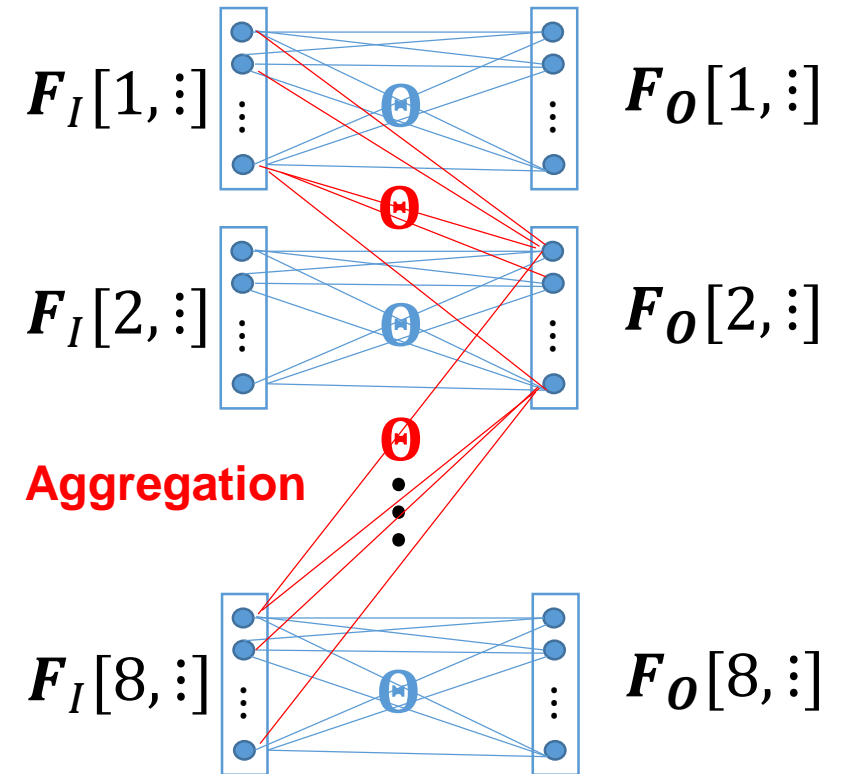


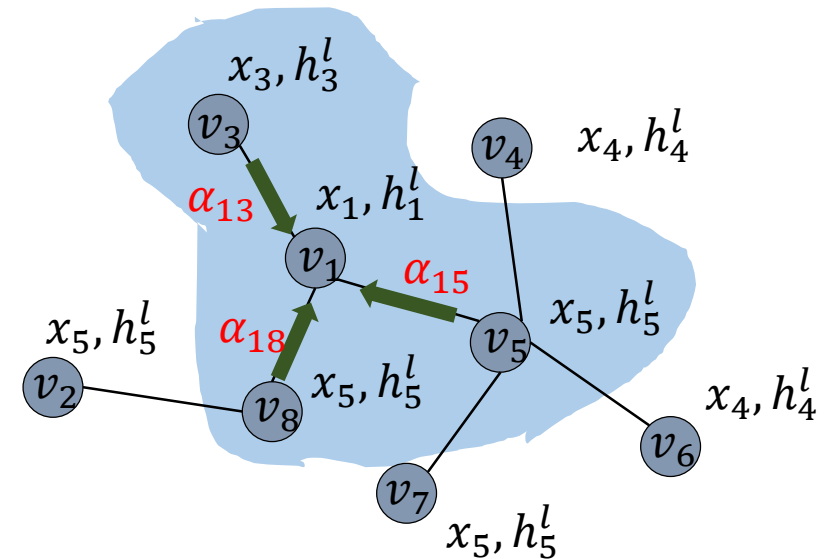
Summary Questions of the lecture

- Present the spatial view of **Simplified ShevNet**.
→ From the simplified ChebNet's formulation $F_O = CF_I\Theta$, we observe the output graph signal of the i 'th node: $F_O[i, :] = \sum_j C[i, j]F_I[j, :]\Theta$. From the fact that $C[i, j]$ is zero between nodes that are not neighbors, we find that $F_O[i, :]$ is an aggregation from the graph signals of neighbor nodes, weighted by the learnable parameters Θ , which is a spatial smoothing operation and corresponds to a spectral smoothing.



Summary Questions of the lecture

- What is the difference of Simplified ShevNet from a non-graph neural network ?
→ Non-graph neural networks cannot leverage the connectivity information among graph nodes. Thus, the feature of each node (or 'data point' in non-graph networks) is transformed independently. On the other hand, graph neural networks transform each node by aggregating information from connected nodes.

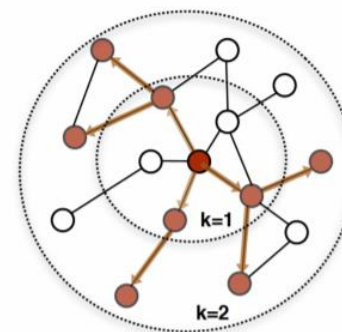


Summary Questions of the lecture

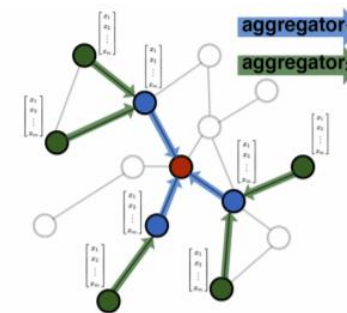
- Explain the key aspects of GraphSAGE (SAmple and aggreGatE).
→ In the context of semi-supervised learning, only aggregating information from nodes of distance 1 has a danger of only encountering unlabeled nodes. Thus, GraphSage tries to sample and aggregate nodes in multi-hop distances. Thus, the resulting message-passing signal is concatenated with the current node's signal and transformed by a learned parameter matrix.

$$\mathbf{h}_{N_S(v_i)}^{(l+1)} = \mathbf{AGG} \left(\left\{ \mathbf{h}_j^{(l)} \mid v_j \in N_S(v_i) \right\} \right)$$

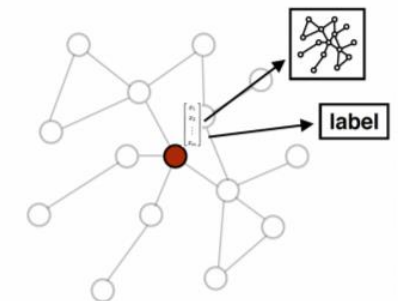
$$\mathbf{h}_i^{(l+1)} = \sigma \left(\Theta \cdot \left[\mathbf{h}_i^{(l)} \parallel \mathbf{h}_{N_S(v_i)}^{(l+1)} \right] \right)$$



1. Sample neighborhood



2. Aggregate feature information from neighbors



3. Predict graph context and label using aggregated information