

$$\begin{aligned}
 & \int_{CV} \operatorname{div}(\Gamma \operatorname{grad} \phi) dV + \int_{CV} S_{\phi} dV \\
 &= \int_A \mathbf{n} \cdot (\Gamma \operatorname{grad} \phi) dA + \int_{CV} S_{\phi} dV = 0
 \end{aligned} \tag{4.2}$$

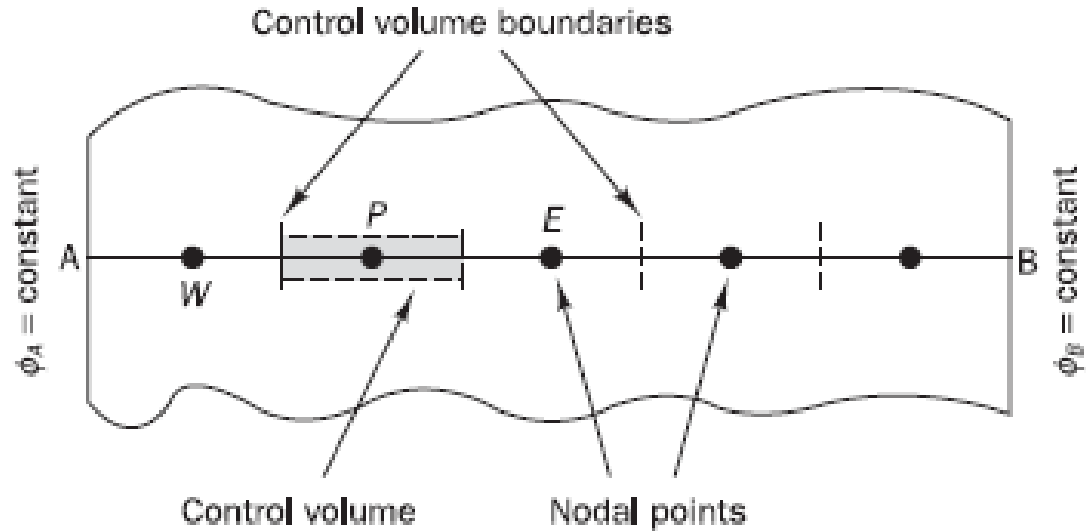
The Divergence Theorem

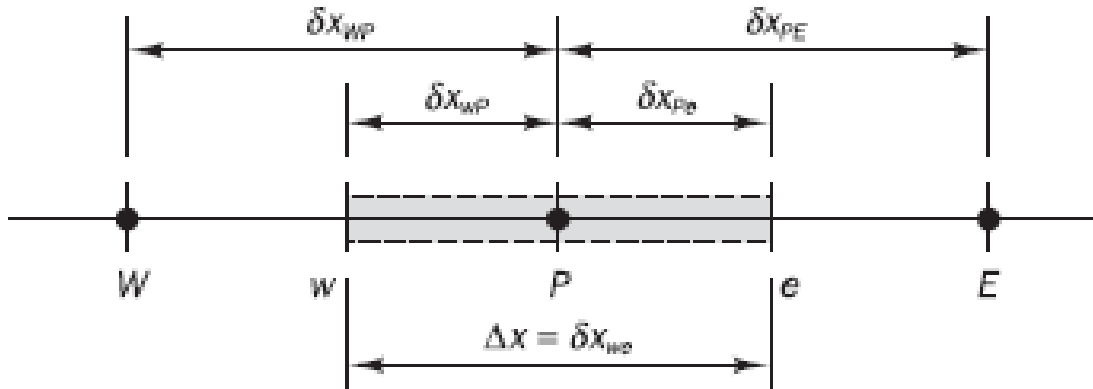
Let E be a simple solid region and let S be the boundary surface of E , given with positive orientation. Let \mathbf{F} be a vector field whose components have continuous first partial derivatives on an open region containing E . Then

$$\iiint_E \operatorname{div} \mathbf{F} dV = \iint_S \mathbf{F} \cdot d\mathbf{S}$$

4.2

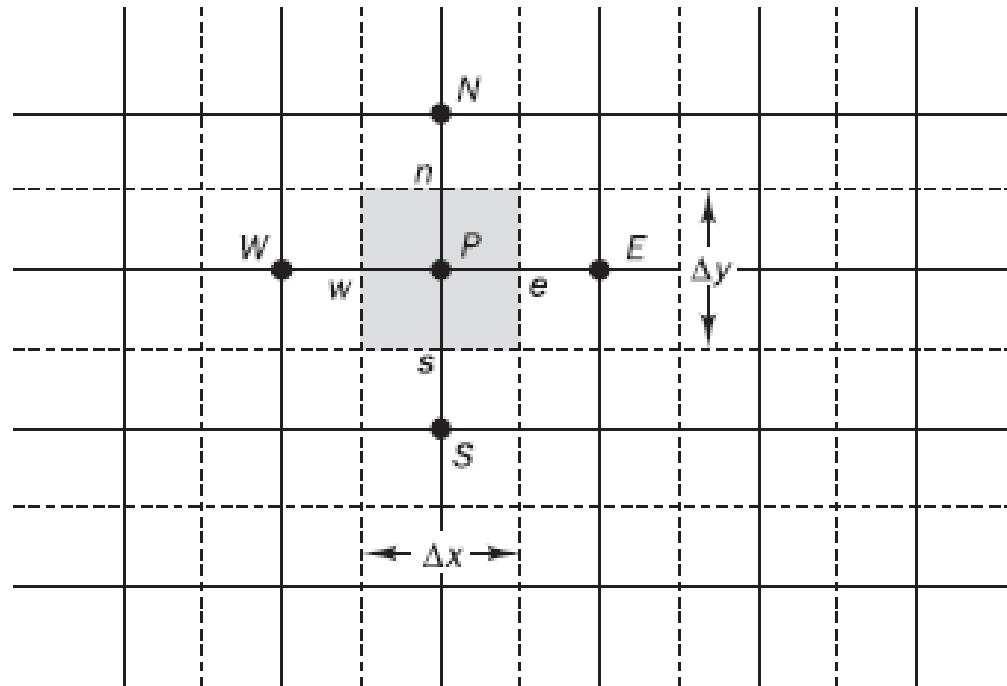
Finite volume method for one-dimensional steady state diffusion





4.4

Finite volume method for two-dimensional diffusion problems



4.5

Finite volume method for three-dimensional diffusion problems

