

Instrumented Indentation Technique

(Tensile strength, Residual stress)

2014. 04. 29.
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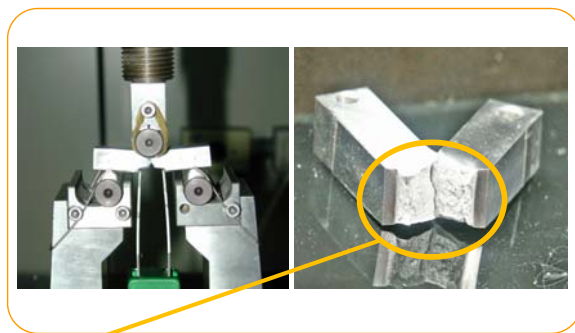
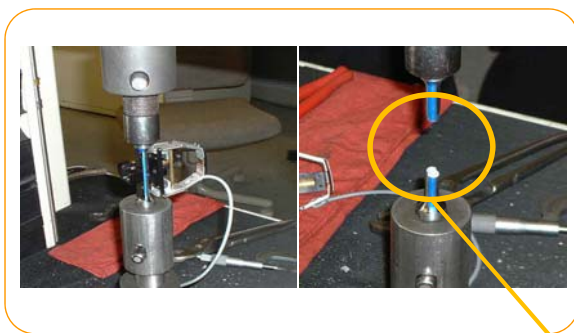
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1. Instrumented Indentation Technique
 2. Strength
 3. Residual Stress



Mechanical Testing Methods



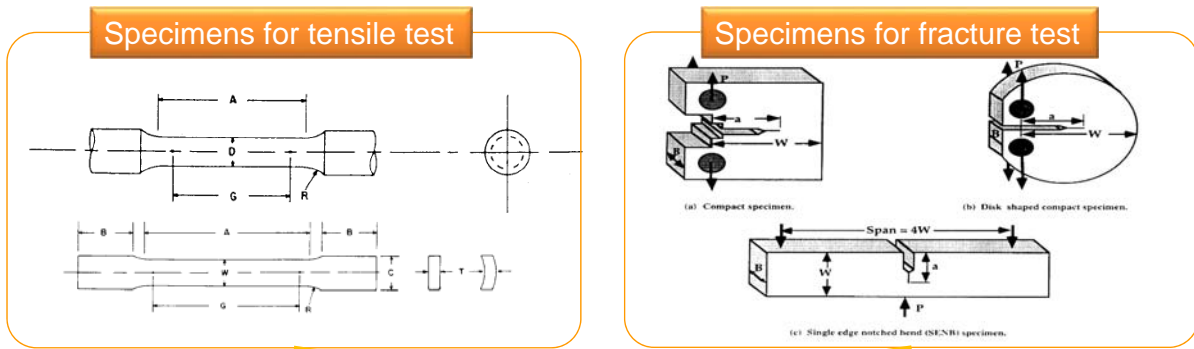
Limitation (1) - Destructive



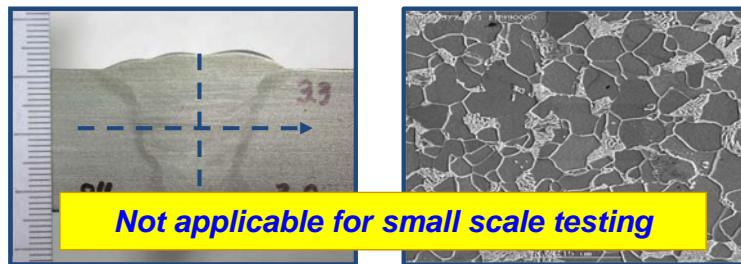
Destructive !!!



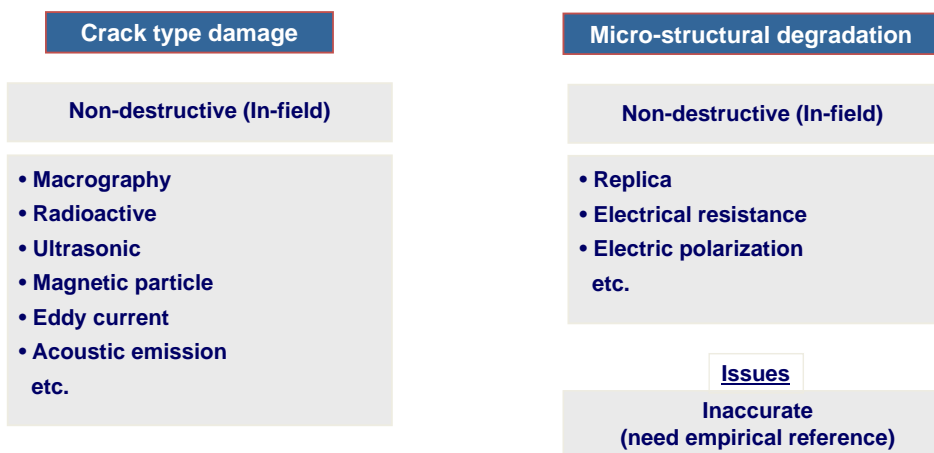
Limitation (2) – Large Scale



Large scale testing!!!



Conventional Non-destructive Tests



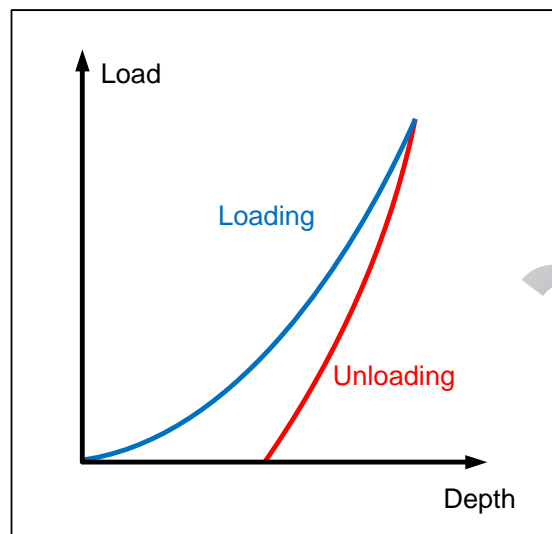
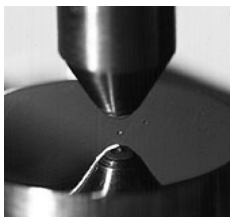
Quantitative information of crack size

Need for non-destructive In-field testing technique

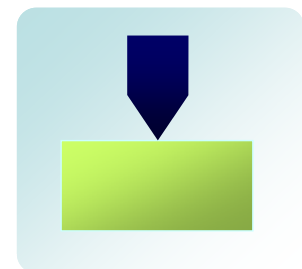
What is IIT?

Instrumented Indentation Test (1)

A novel method to characterize mechanical properties

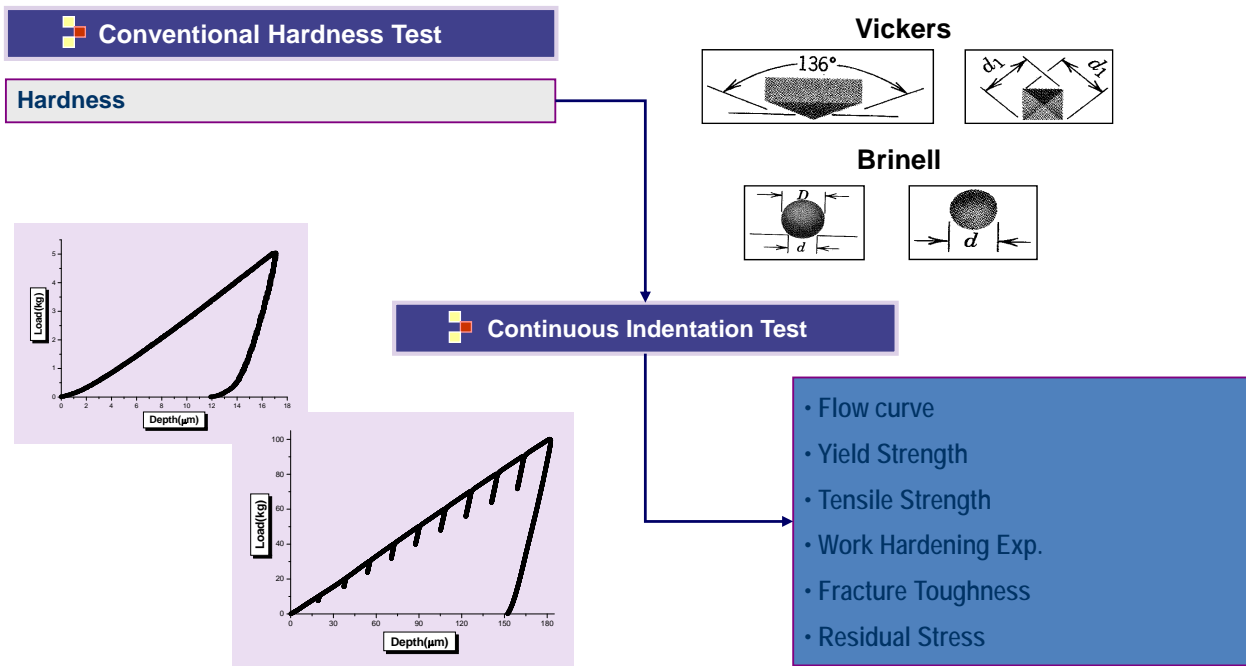


Indentation load-depth curve

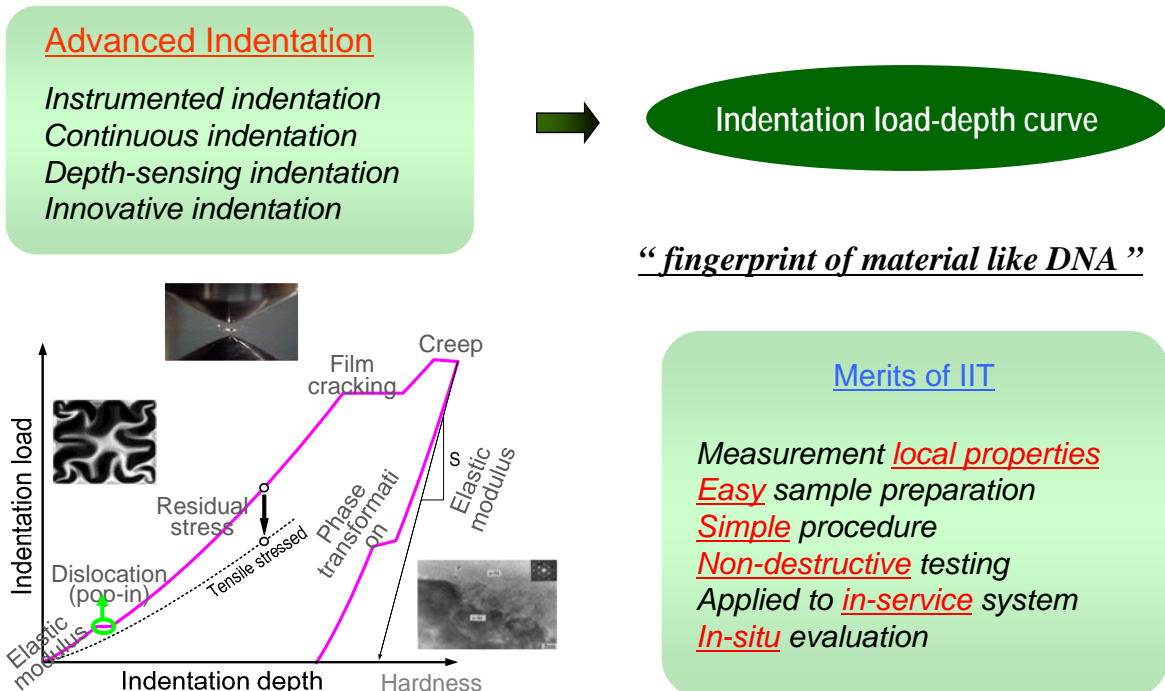


Hardness
Elastic modulus
Tensile properties
Residual stress
Fracture toughness

Instrumented Indentation Test (2)



Instrumented Indentation Test (3)



In-field & Nondestructive Test

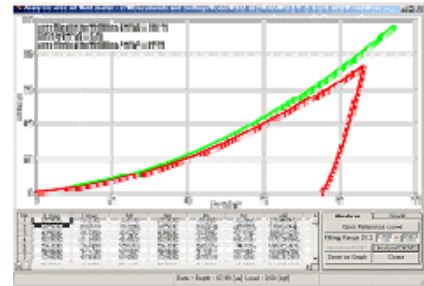
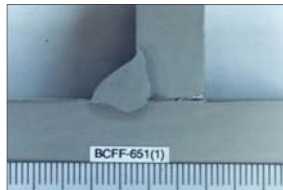
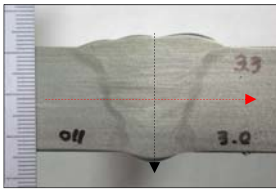
In-situ & In-field system



Simple & Fast

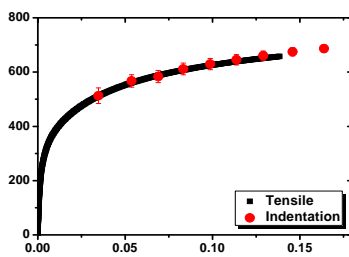
Convenient

Non-destructive & Local test



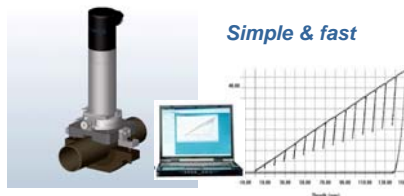
Various Properties

Tensile property



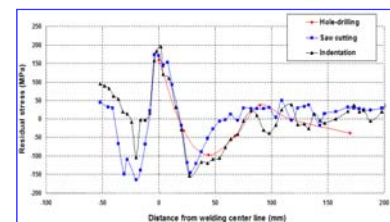
Uniaxial tensile test

Instrumented Indentation



Simple & fast

Residual stress



Hole drilling
Saw cutting
X-ray diffraction

Strength

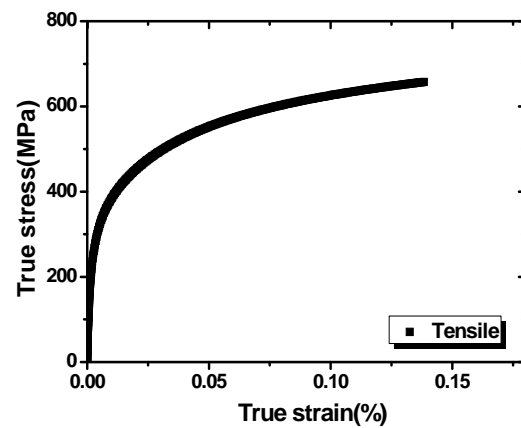
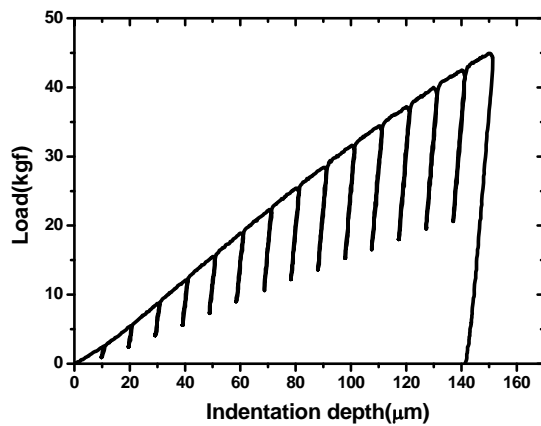
Evaluation of Strength using IIT

Can you imagine this?

Indentation curve



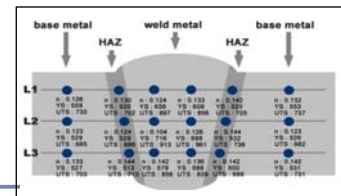
Tensile curve



(ISO/TR29381, 2008)

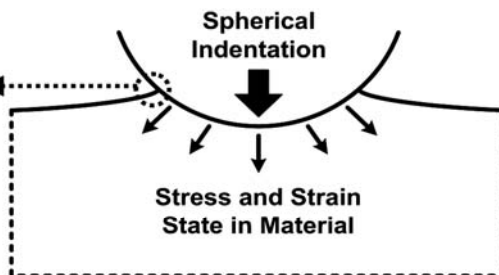


	Tensile Test	IIT
Property Characterized	Bulk (average)	Local (surface)
Testing Nature	Destructive	Non-destructive
Sample Preparation	Machining	Surface polishing
Potential Examples	Laboratory (conventional) Large volume	In-field Small volume



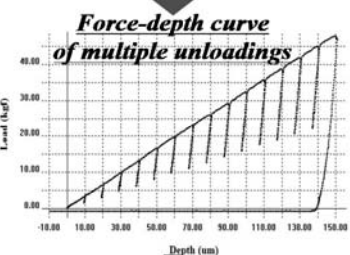
Algorithm for Strength Evaluation

◆ **Step 1**
Determining contact area
taking into consideration plastic pile-up/sink-in

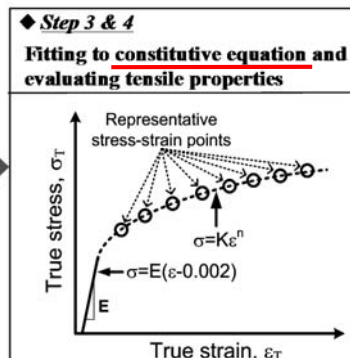
$$\frac{h_{pile}}{h_c^*} = f\left(n_{IT}, \frac{h_{max}}{R}\right)$$


[ISO/TR 29381, 2008]

Instrumented indentation test with a spherical indenter



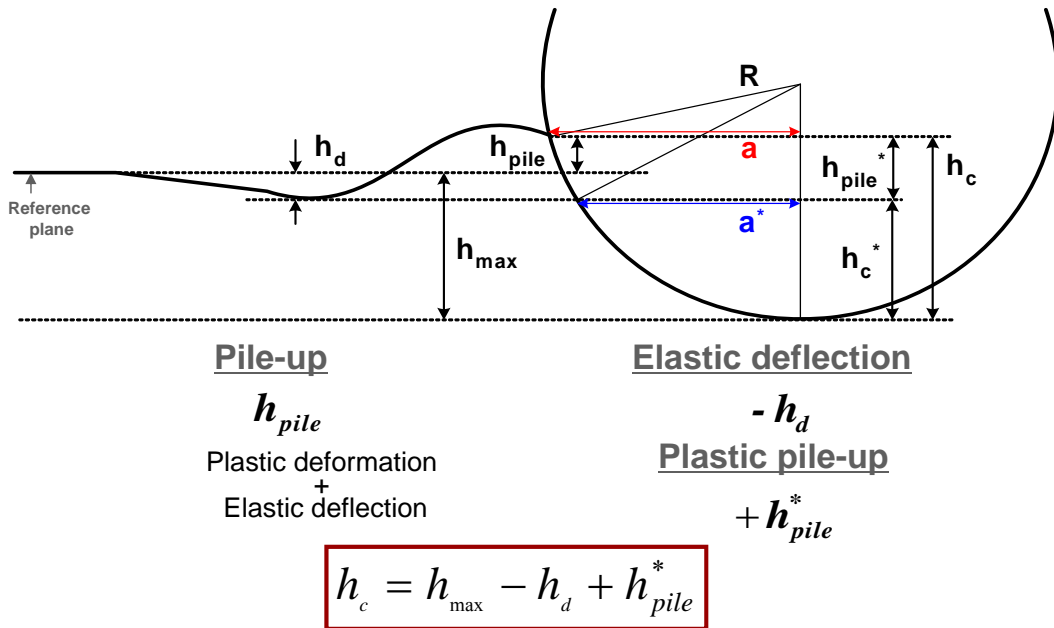
◆ **Step 2**
Defining stress and strain state
in materials underneath spherical indenter as representative stress and strain

$$\sigma_T = \frac{l}{\Psi} \frac{F_{max}}{A_c}, \quad \varepsilon_T = \alpha \tan \theta$$


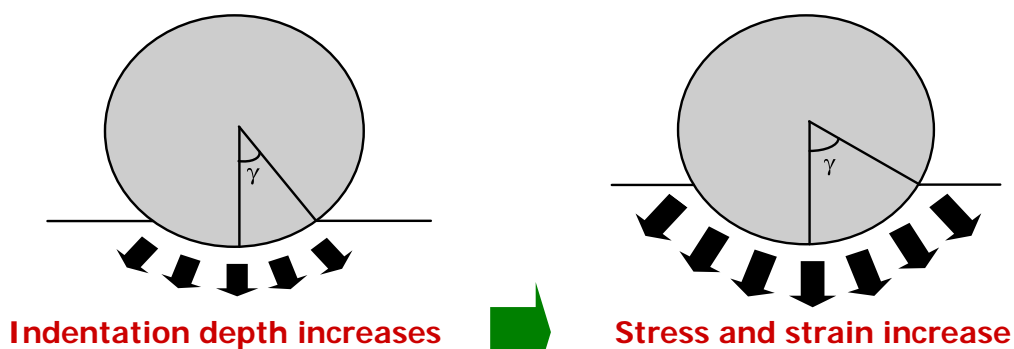
Tensile properties
 $\sigma_{y, IT}, \sigma_{u, IT}, n_{IT}, E_{IT}$

Step 1_Determination of Contact Area

Plastic pile-up & elastic deflection



Step 2_Representation of Stress & Strain



Representative Stress Definition

$$\sigma = \frac{1}{\Psi} \frac{L_{max}}{\pi a_c^2}$$

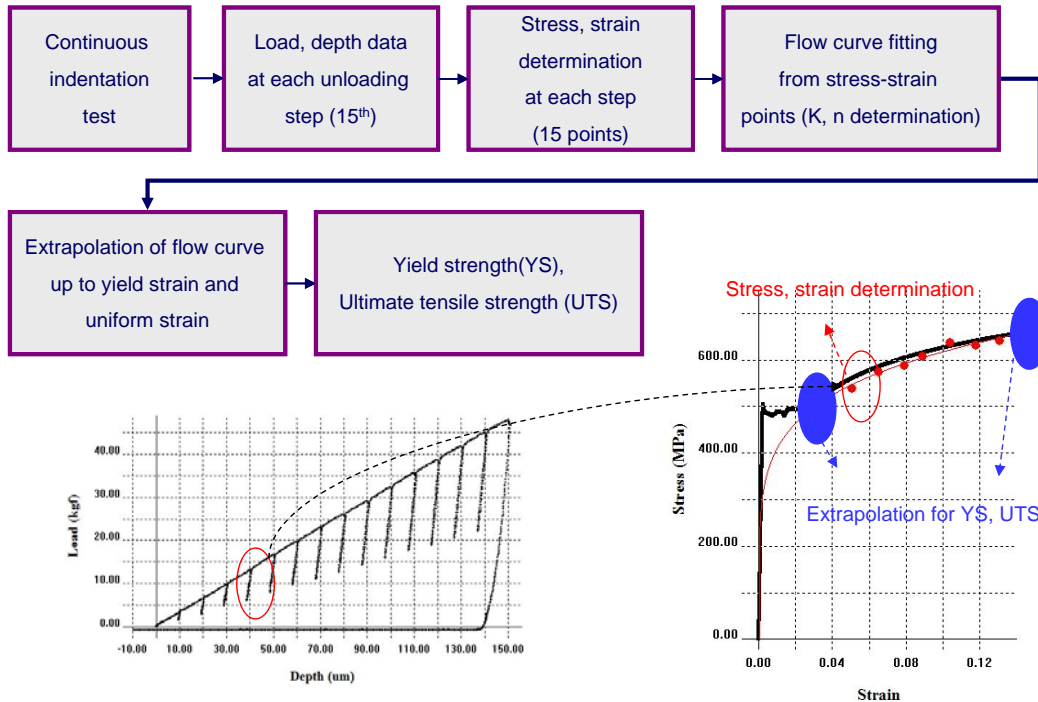
$\Psi=3$ for metallic material
(by D. Tabor)

Representative Strain Definition

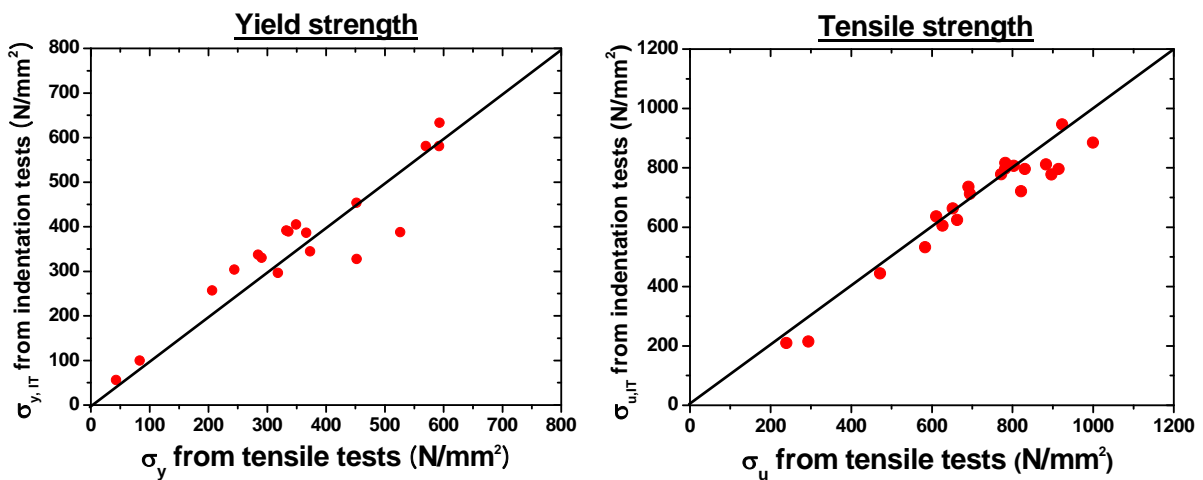
$$\varepsilon = f(a_c / R)$$

- Power-law hardening material
: $0.14 \tan \gamma$
- Linear hardening material
: $0.3 \sin \gamma$

Flow Chart for Tensile Curve Derivation Using IIT



Results



Good agreement with results from tensile test

International Standardization Works (ISO)

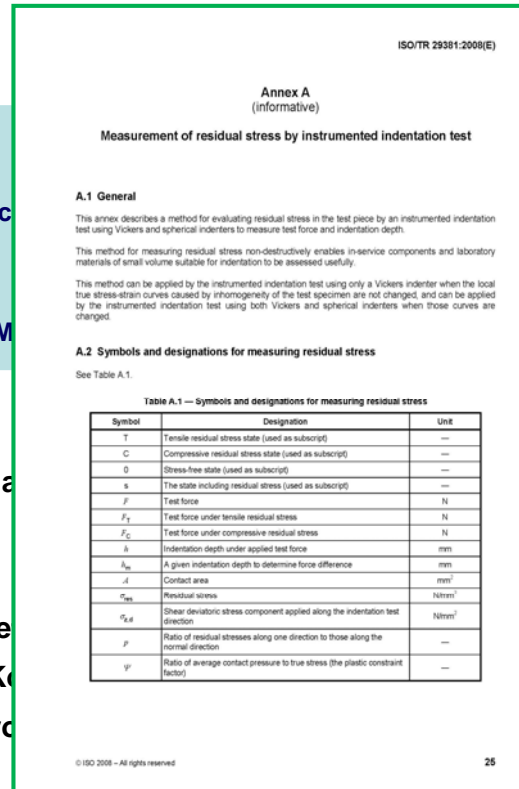


Table A.1 — Symbols and designations for measuring residual stress

Symbol	Designation	Unit
T	Tensile residual stress state (used as subscript)	—
C	Compressive residual stress state (used as subscript)	—
0	Stress-free state (used as subscript)	—
s	The state including residual stress (used as subscript)	—
F	Test force	N
F _T	Test force under tensile residual stress	N
F _C	Test force under compressive residual stress	N
h	Indentation depth under applied test force	mm
h ₀	A given indentation depth to determine force difference	mm
A	Contact area	mm ²
σ _{res}	Residual stress	N/mm ²
σ _{sd}	Shear deviatoric stress component applied along the indentation test direction	N/mm ²
ρ	Ratio of residual stresses along one direction to those along the normal direction	—
ψ	Ratio of average contact pressure to true stress (the plastic constraint factor)	—

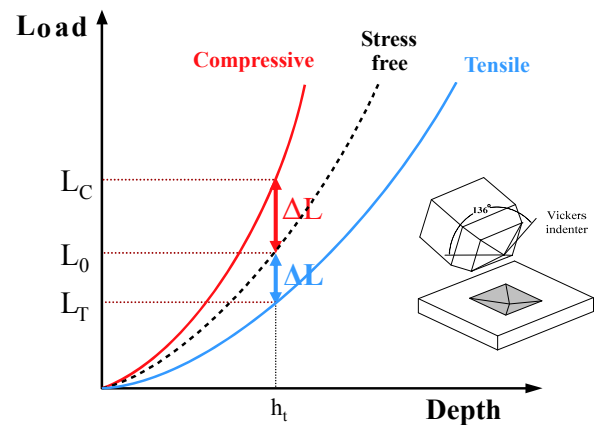
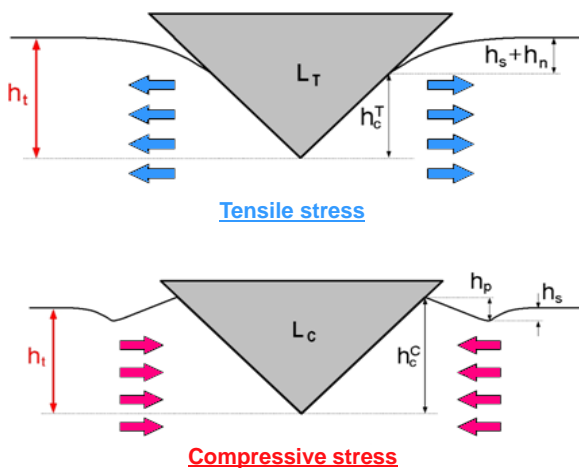
Residual Stress

Merits of IIT

	Method	Merit	Limitation
Mechanical Methods	Hole-Drilling	- Quantitative & mechanical analysis	- Destructive
	Saw-Cutting		
Physical Methods	X-Ray Diffraction	- Non-destructive	- Only crystalline materials - Sensitive to environment
	Neutron Diffraction		

Merit		
IIT	- <u>Quantitative & mechanical analysis</u>	- <u>Any materials possible</u>
	- <u>Non-destructive, can be used in field</u>	- <u>Microstructure not influenced</u>

Basic Principle

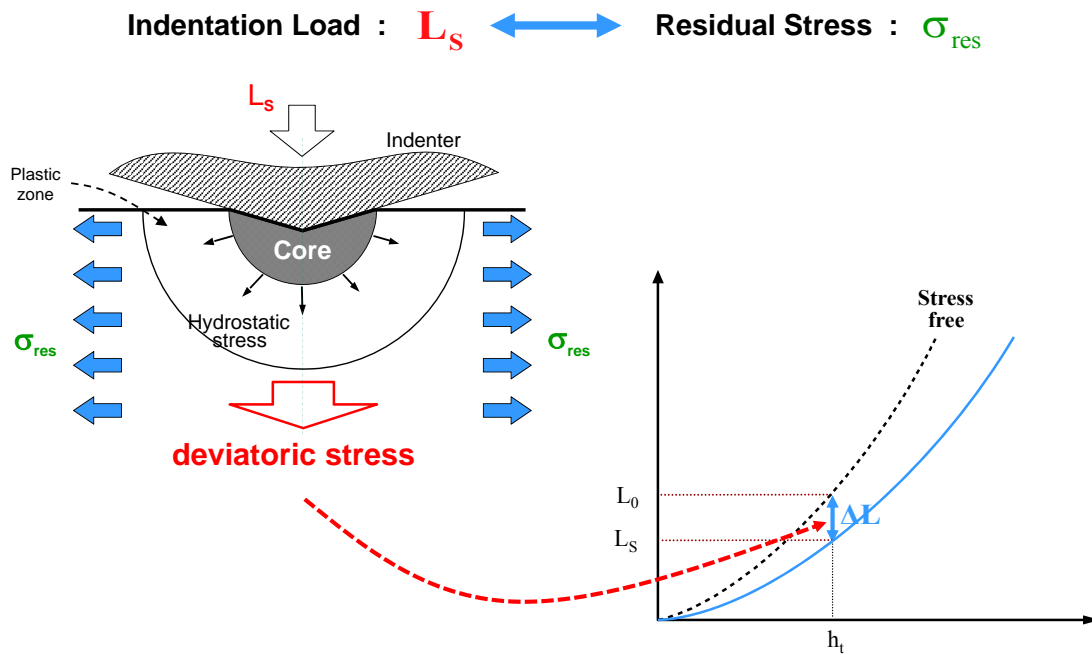


Indentation Load-Depth Curves

$$\Delta L = L_S - L_0$$

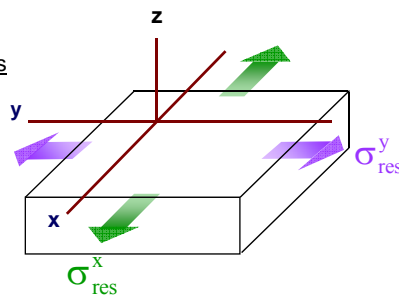
$$(L_S = L_T \text{ or } L_C)$$

Stress Interaction



Stress Tensor

Non-equibiaxial residual stress



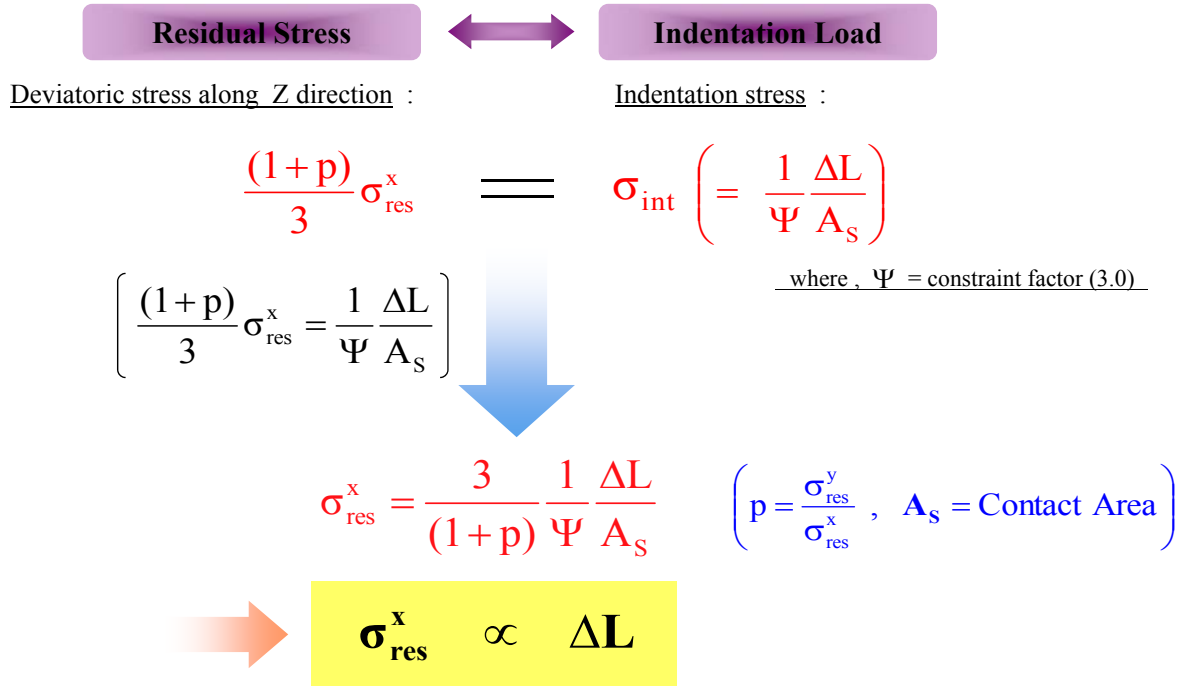
$$\text{Stress Ratio : } p = \frac{\sigma_{res}^y}{\sigma_{res}^x}$$

$$\begin{pmatrix} \sigma_{res}^x & 0 & 0 \\ 0 & \sigma_{res}^y & 0 \\ 0 & 0 & 0 \end{pmatrix} = \begin{pmatrix} \sigma_{res}^x & 0 & 0 \\ 0 & p\sigma_{res}^x & 0 \\ 0 & 0 & 0 \end{pmatrix}$$

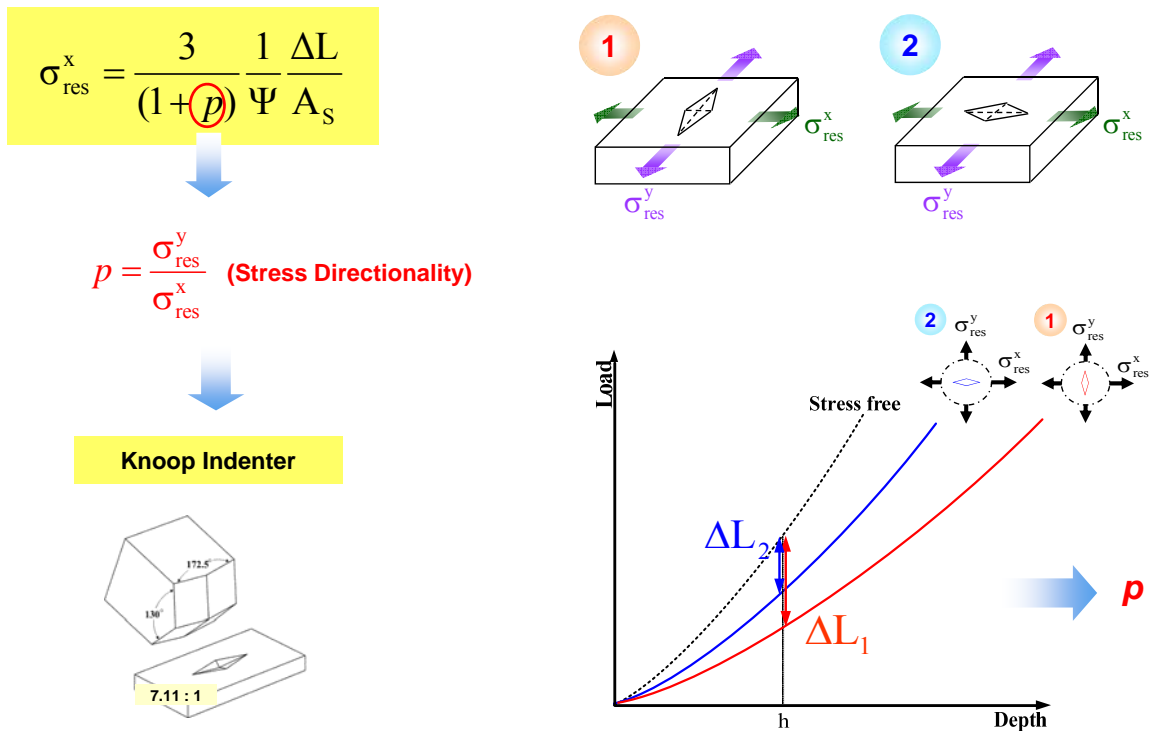
$$= \begin{pmatrix} \frac{(1+p)}{3}\sigma_{res}^x & 0 & 0 \\ 0 & \frac{(1+p)}{3}\sigma_{res}^x & 0 \\ 0 & 0 & \frac{(1+p)}{3}\sigma_{res}^x \end{pmatrix} + \begin{pmatrix} \frac{(2-p)}{3}\sigma_{res}^x & 0 & 0 \\ 0 & \frac{(2p-1)}{3}\sigma_{res}^x & 0 \\ 0 & 0 & -\frac{(1+p)}{3}\sigma_{res}^x \end{pmatrix}$$

hydrostatic stress
deviatoric stress

Evaluation of Residual Stress by IIT

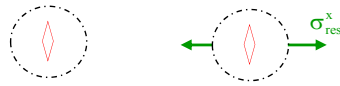


Directionality using Knoop Indenter



Determination of Conversion Factors

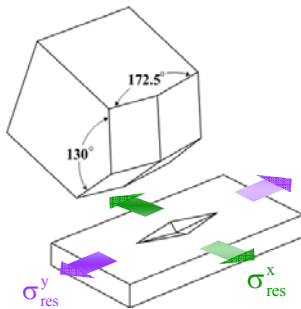
Stress-free Uni-axial stress



Comparison of indentation curves

$$\Delta L \approx \alpha_{\perp} \sigma_{res}^x$$

conversion factor in normal direction



Stress-free Uni-axial stress



Comparison of indentation curves

$$\Delta L \approx \alpha_{//} \sigma_{res}^y$$

conversion factor in parallel direction

α_{\perp} , $\alpha_{//}$ are conversion factors that are depth variables relating the residual stress to the indentation load difference

It can be proved that the ratio of conversion factors is constant.

$$\frac{\alpha_{//}}{\alpha_{\perp}} \approx 0.34 \quad (\text{from experiments})$$

Direct Summation

$$\begin{array}{c}
 \begin{array}{ccc}
 \begin{array}{c} \sigma_{res}^y \\ \uparrow \\ \text{---} \\ \downarrow \\ \sigma_{res}^y \end{array} & & \begin{array}{c} \sigma_{res}^x \\ \leftarrow \\ \text{---} \\ \rightarrow \\ \sigma_{res}^x \end{array} \\
 \text{---} & & \text{---} \\
 \sigma_{res}^x & & \sigma_{res}^x
 \end{array}
 =
 \begin{array}{c}
 \begin{array}{c} \sigma_{res}^x \\ \leftarrow \\ \text{---} \\ \rightarrow \\ \sigma_{res}^x \end{array}
 +
 \begin{array}{c} \sigma_{res}^y \\ \uparrow \\ \text{---} \\ \downarrow \\ \sigma_{res}^y \end{array} \\
 \text{---} & & \text{---} \\
 \sigma_{res}^x & & \sigma_{res}^y
 \end{array}
 \\
 \Delta L_1 = \alpha_{\perp} \sigma_{res}^x + \alpha_{//} \sigma_{res}^y
 \end{array}$$

$$\begin{array}{c}
 \begin{array}{ccc}
 \begin{array}{c} \sigma_{res}^y \\ \uparrow \\ \text{---} \\ \downarrow \\ \sigma_{res}^y \end{array} & & \begin{array}{c} \sigma_{res}^x \\ \leftarrow \\ \text{---} \\ \rightarrow \\ \sigma_{res}^x \end{array} \\
 \text{---} & & \text{---} \\
 \sigma_{res}^x & & \sigma_{res}^x
 \end{array}
 =
 \begin{array}{c}
 \begin{array}{c} \sigma_{res}^x \\ \leftarrow \\ \text{---} \\ \rightarrow \\ \sigma_{res}^x \end{array}
 +
 \begin{array}{c} \sigma_{res}^y \\ \uparrow \\ \text{---} \\ \downarrow \\ \sigma_{res}^y \end{array} \\
 \text{---} & & \text{---} \\
 \sigma_{res}^x & & \sigma_{res}^y
 \end{array}
 \\
 \Delta L_2 = \alpha_{//} \sigma_{res}^x + \alpha_{\perp} \sigma_{res}^y
 \end{array}$$

Knop Indentation Modeling

$$\frac{\Delta L_2}{\Delta L_1} = \frac{\alpha_{//} \sigma_{res}^x + \alpha_{\perp} \sigma_{res}^y}{\alpha_{\perp} \sigma_{res}^x + \alpha_{//} \sigma_{res}^y} \Rightarrow \frac{\alpha_{//} + \frac{\sigma_{res}^y}{\sigma_{res}^x}}{\alpha_{\perp} + \frac{\sigma_{res}^y}{\sigma_{res}^x}} = \frac{\alpha_{//} + p}{\alpha_{\perp} + p}$$

$$1 + \frac{\alpha_{//} \sigma_{res}^y}{\alpha_{\perp} \sigma_{res}^x} = 1 + \frac{\alpha_{//} p}{\alpha_{\perp}}$$

$$\frac{\Delta L_2}{\Delta L_1} = \frac{\alpha_{//} + p}{\alpha_{\perp} + \frac{\alpha_{//}}{\alpha_{\perp}} p}$$

$$\frac{\alpha_{//}}{\alpha_{\perp}} \approx 0.34$$

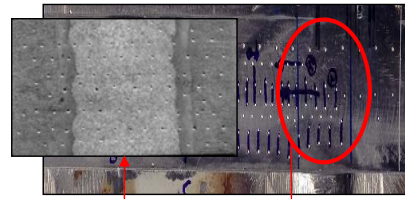
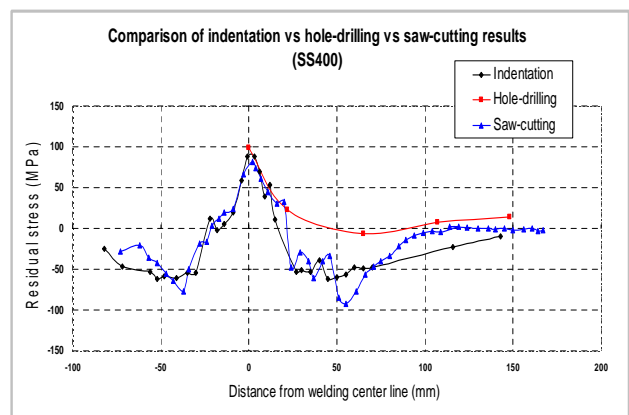
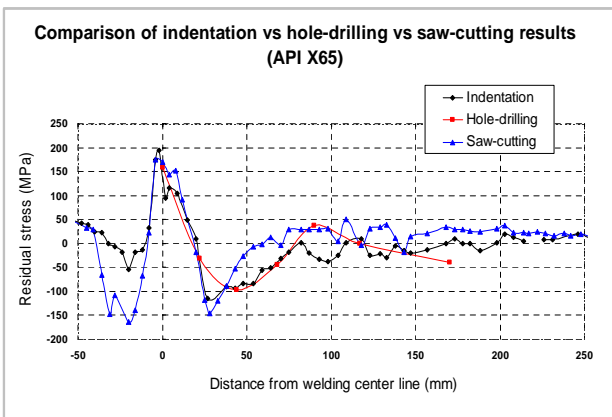
$$p = \frac{\sigma_{res}^y}{\sigma_{res}^x} = \frac{\frac{\Delta L_2}{\Delta L_1} - 0.34}{1 - 0.34 \frac{\Delta L_2}{\Delta L_1}}$$

Experimental data

Experimental Verification

API X65

SS400





**Thank You
for Your Attention**

