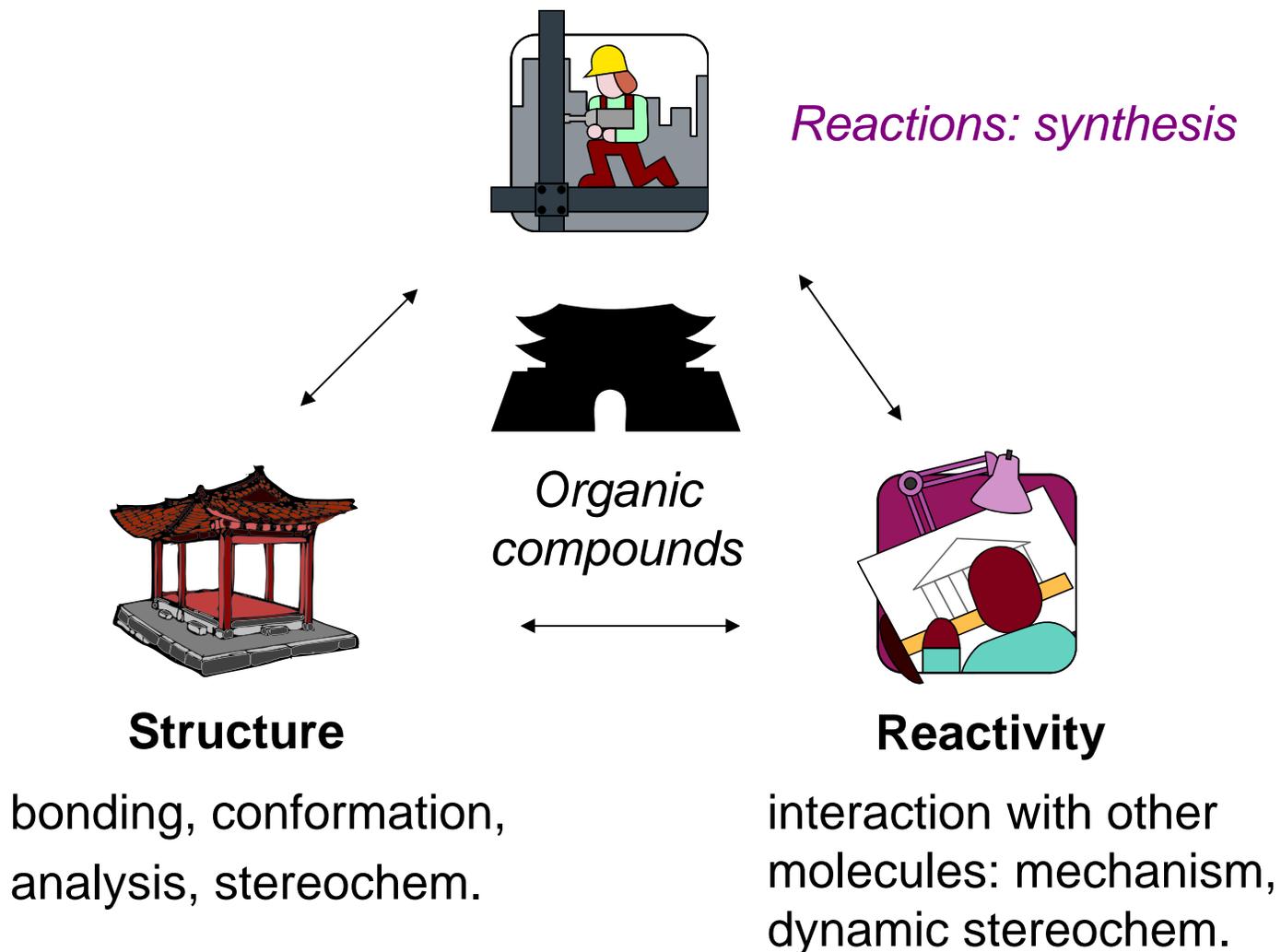


Components of Organic Chemistry



공부하는 방법

“그저 익숙하도록 읽는 것뿐이다. 글을 읽는 사람이, 비록 글의 뜻은 알았으나, 만약 익숙하지 못하면 읽자마자 곧 잊어버리게 되어, 마음에 간직할 수 없을 것은 틀림없다.

이미 읽고 난 뒤에, 또 거기에 자세하고 익숙해질 공부를 더한 뒤라야 비로소 마음에 간직할 수 있으며, 또 흐뭇한 맛도 있을 것이다.” - 퇴계 이황 (금장태 著)

Chapter 1. Bonding & Structure

- Valence Bond Theory: hybridization & resonance
 - ◆ bonding electron pairs are localized between two atoms
 - ◆ simple & effective but over-simplified & many exceptions
- Molecular Orbital Theory: Schrödinger equation
 - ◆ bonding electrons are distributed over the entire molecule
 - ◆ more accurate & close to the real structure but difficult to calculate & many assumptions in calculation

❖ Valence Bond Theory (I)

□ Lewis in 1916 & Heitler-London in 1927 (H_2 : H–H)

◆ chemical bonding results from sharing of the electrons between the two atoms: localized bonding electron pairs

□ Hybridization: complex molecules (CH_4)

◆ directed valence: Pauling in 1931; 📖 4 bot. & 📖 5

○ 4 bonds rather than 2 & more effective overlap due to the highly directional 4 sp^3 orbitals: σ bonds

○ $\text{H}_2\text{C}=\text{CH}_2$ 3 sp^2 & 1 $2p$ or 4 sp^3 , trigonal; $\text{HC}\equiv\text{CH}$ 2 sp & 2 $2p$ or 4 sp^3 , digonal: 📖 5 ($\text{H}_2\text{C}=\text{C}=\text{CH}_2$?)

– π bonds from 2 sp^3 : bent bonds

❖ Valence Bond Theory (II)

□ Hybridization of strained molecules: 3-ring

◆ more p for C-C (17%, sp^5) & more s for C-H (33%, sp^2)

○ bent bonds: less overlap;  7 Fig. 1.5 &  5 Fig. 1.4

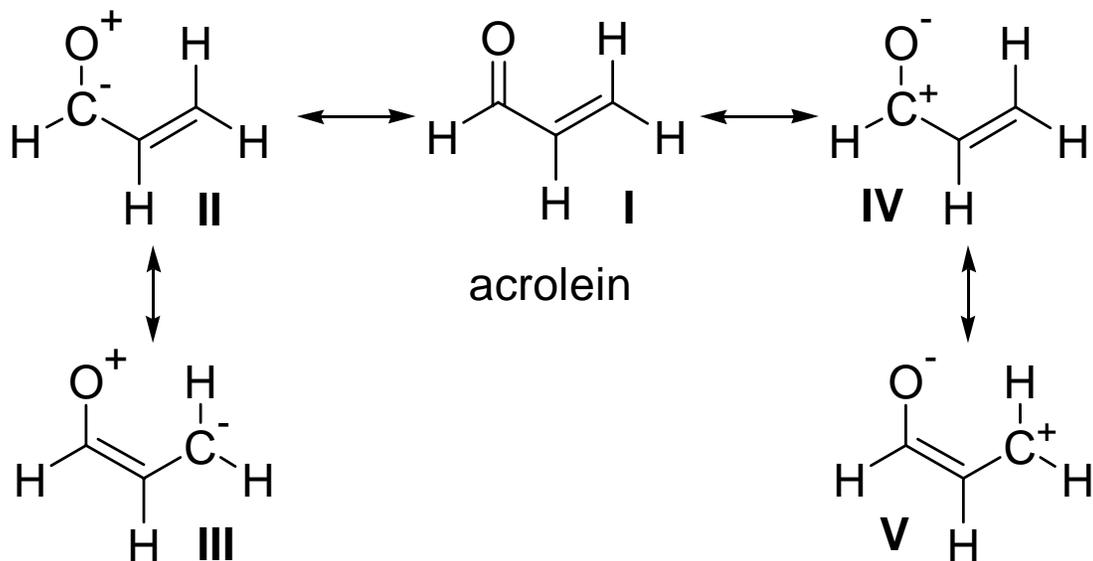
○ electronegativity change: more electronegative (s character) C in strained molecules;  7 Fig. 1.6

○ propellanes:  8 Fig. 1.7; [4.4.4] sp^3 ; [2.2.2] sp^2 ; [1.1.1] inverted carbon – reactive:  8 middle & bottom

❖ Valence Bond Theory (III)

□ Resonance theory: more than one Lewis structure possible for complex molecule

◆ Rule of thumb: 📖 9 middle (a – d); acrolein



❖ Valence Bond Theory (IV)

□ Application of resonance theory to acrolein

a. Acrolein has properties of 5 resonance structures

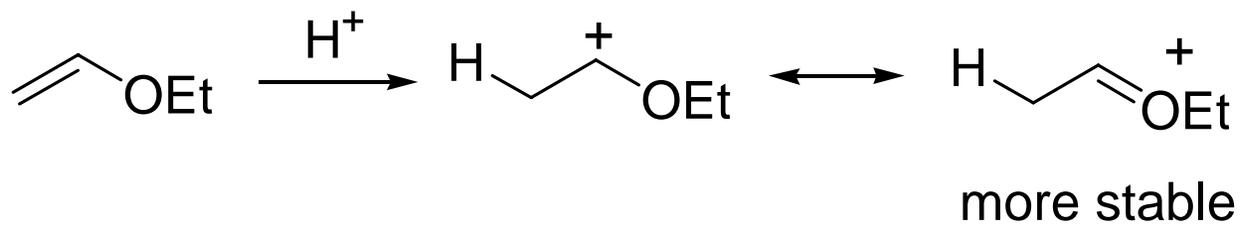
➤ The real structure is their resonance hybrid

b. All resonance structures satisfy the octet rule

c. More stable resonance structures resemble more closely the real structure (major contributors): maximum No. of covalent bonds (I), minimum separation of unlike charges (I), negative charge on the more electronegative atom (IV/V)

d. Usually, delocalization of electrons enhances stability relatively to a single localized structure: an energy barrier to rotation; 📖 10 top (allyl cation) & 📖 11 top (amide)

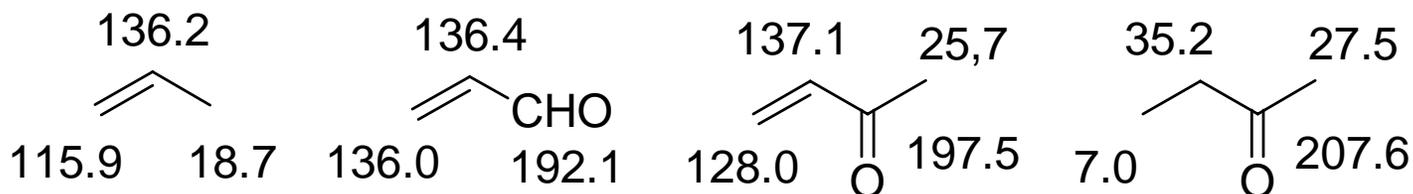




❖ Valence Bond Theory (V)

□ Experimental proof for the resonance hybrid

- ◆ the weaker C=O bond: 1690 vs 1730 cm^{-1} (IR)
- ◆ the deshielded β -carbon in ^1H & ^{13}C NMR:



- ◆ the chemical reactivity: 1,2-/1,4-addition of nucleophiles



❖ Structural Properties of Chemical Bonds (I)

□ Bond length:  13 Table 1.2

◆ nearly constant for a hybridization type of carbon

□ Bond energy: variable;  14 Table 1.3 (homolytic)

◆ Heterolytic ΔE_{dis} : more sensitive;  15 Table 1.4

□ Heat of formation: **isomers**;  16 Table 1.5

◆ stable: branched alkane & more substituted *trans*-alkene

□ Polarity: different electronegativity;  17 Table 1.6

◆ dipole moment = Σ bond dipoles;  17 Table 1.7

◆ Mulliken electronegativity (χ) = $(I + A) / 2$;  18

❖ Structural Properties of Chemical Bonds (II)

□ Polarity of hydrocarbons:  18 Scheme 1.1

◆ electronegativity of C: $sp > sp^2 > sp^3$; $\overset{\delta^-}{\text{C}}-\overset{\delta^+}{\text{H}}$ for normal sp^3

□ Polarity transmission: *polar effect*, reactivity

◆ inductive effect: successive polarization through bonds

◆ field effect: through-space interactions of the electric dipoles

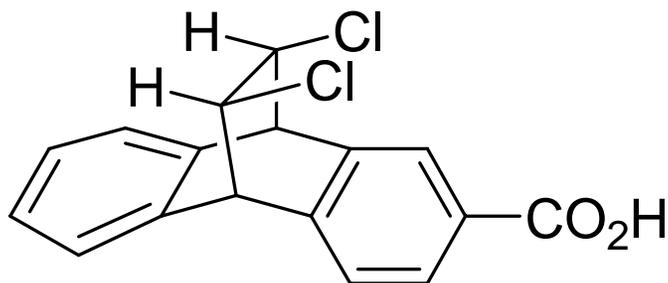
○ substituent effect on reactivity:  19 Table 1.8

□ Polarizability: \propto size;  21-23 Table 1.9 & Fig. 1.8

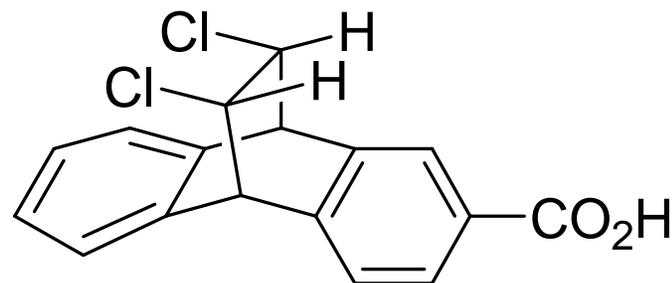
◆ response of electrons to nearby charges: HSAB principle

○ hardness: difficult distortion, softness: easy distortion

❖ Field Effect: Through-space Electrostatic Interaction



$\text{p}K_a = 6.07$



$\text{p}K_a = 5.67$

❖ Molecular Orbital (MO) Theory: Overview (I)

□ $H\psi = E\psi$: accuracy vs amount of computation

◆ LCAO approximation: $\psi = c_1\phi_1 + c_2\phi_2 + \dots + c_n\phi_n$

◆ minimum basis set: combination of AO chosen

○ $2s, 2p_x, 2p_y, 2p_z$ for C, N, O and $1s$ for H

◆ semiempirical calculations: use of experimentally determined parameters [EHT, CNDO, MINDO-3, MNDO, AM1, MM2, PM3]; faster, simpler but limited applications

◆ *ab initio* calculations: absence of adjustable parameters (fewer assumptions) using SCF [STO-3G, 4-31G, 6-31G]; more reliable, accurate but more complex, time-consuming

◆ comparison between the two calculations:  29 Table 1.12

❖ MO Theory: Overview (II)

□ Results obtainable from MO calculations

- ◆ the energy of each MO & charge distributions
- ◆ total electronic energy of the molecule relative to the atoms
 - the calculated molecular energy → relative stabilities of isomeric molecules → conformational effects (the total energy as a function of molecular geometry)
- ◆ the minimum energy: the most favorable molecular structure
- ◆ the coefficients of the AOs contributing each MO
- ◆ applicable to the situation in the gas phase (on a single molecule)

❖ MO Theory: Applications (I)

□ Charge distribution of a molecule

◆ the electron density (q) at each atom r : CH_3^+ ;  27 Table 1.10

○ $q_r = \sum_j n_j c_{jr}^2$, n =No. of e^- , c_j =coefficient at j th MO

○ 7 MOs from 3 H 1s & C 2s, $2p_x$, $2p_y$, $2p_z$

○ 3 occupied MOs with 2 e^- for each

○ $q_C = 3.565 e^-$, $q_H = 0.812 e^-$: total charge = $(+0.435) [(4-3.565)]$
+ $3(+0.188) [3(1-0.812)] = +1.000$

○ LUMO: p_z (localized purely on the carbon atom)

– *cf.*: 3 sp^2 & 1 p_z from VB theory

❖ MO Theory: Applications (II)

- Heat of reaction: $\Delta H_f = \sum \Delta H_{reactant} - \sum \Delta H_{product}$
 - ◆ isodesmic reactions: test of reliability; 📖 28-9 Table 1.11-12
 - the same No. of formal bonds of each type on each side
- Structure & energy: CH_3^+ , CH_3^\bullet , CH_3^- ; 4-31G basis set
 - ◆ Fig. 1.9, 📖 29: CH_3^+ & CH_3^\bullet , planar; CH_3^- , non-planar
- Substituent effects: π -donor vs inductive effects
 - ◆ X-CH_2^+ vs H-CH_2^+ : 📖 29 middle & 📖 30 Table 1.13
 - ◆ X-CH_2^- vs H-CH_2^- : 📖 31 Table 1.14
 - vinyl: rotational barrier of an allyl cation & anion

❖ Hückel Molecular Orbital (HMO) Theory (I)

□ Simple but useful for the conjugated compounds

- ◆ assumption: the π -system can be treated independently of the σ framework in conjugated planar molecules (orthogonality) & mainly determines the chemical and spectroscopic properties

□ Energy levels for each MO

- ◆ $E = \alpha + m_j \beta$, $m_j = 2 \cos[j\pi/(n+1)]$: linear polyenes; 📖 32 Table 1.15

- α : Coulomb integral, a constant for all carbon atoms

- β : resonance integral, 0 for nuclei of nonbonding distance

- ◆ $DE = \sum E_{\text{polyene}} - \sum E_{\text{ethylene}} = (6\alpha + 6.988\beta) - (6\alpha + 6\beta) = 0.988\beta$, $\beta \approx 18$ kcal/mol; $[2(\alpha + 1.802\beta) + 2(\alpha + 1.247\beta) + 2(\alpha + 0.445\beta)]$

❖ Hückel Molecular Orbital (HMO) Theory (II)

- Coefficients of $2p$ AO of atom r for each MO:  32 bot.
 - ◆ a node between different signs: antibonding;  34 Fig. 1.10
 - ◆ bonding between the similar size in concerted reactions
- Hückel's rule: **planar monocyclic conjugated polyenes**
 - ◆ aromatic: $[4n+2]$ e⁻ in the π system; antiaromatic: $[4n]$ e⁻
 - benzene-aromatic vs cyclobutadiene-antiaromatic
 - ◆ $E = \alpha + m_j \beta$, $m_j = 2 \cos(2j\pi/n)$:  35 Fig. 1.11 (annulenes)
 - $DE_{\text{benz}} = 2\beta$ vs $DE_{\text{cybu}} = 0$; (aromatic) vs (antiaromatic)
 - ◆ Frost's circle: a mnemonic;  35 Fig. 1.12
- Charged C_3H_3 & C_5H_5 systems:  36 Fig. 1.13

❖ Calculation of Total Electron Energy E

□ Cyclobutadiene: $E_{\text{cybu}} = 4\alpha + 4\beta$

◆ $j=0$, $m_0 = 2\cos(0/4) = 2$; $j = \pm 1$, $m_{\pm 1} = 2\cos(\pm 2\pi/4) = 0$; $j = +2$, $m_{+2} = 2\cos(4\pi/4) = -2$; $E_1 = \alpha + 2\beta$, $E_2 = E_3 = \alpha$, $E_4 = \alpha - 2\beta$ (empty)

◆ $DE_{\text{cybu}} = \sum E_{\text{cybu}} - \sum E_{\text{ethylene}} = [2(\alpha + 2\beta) + 1\alpha + 1\alpha] - (4\alpha + 4\beta) = 0$

□ Benzene: $E_{\text{benz}} = 6\alpha + 8\beta$

◆ $j=0$, $m_0 = 2$; $j = \pm 1$, $m_{\pm 1} = 2\cos(\pm 2\pi/6) = 1$; $j = \pm 2$, $m_{\pm 2} = 2\cos(\pm 4\pi/6) = -1$; $j = +3$, $m_{+3} = 2\cos(+6\pi/6) = -2$; $E_1 = \alpha + 2\beta$, $E_2 = E_3 = \alpha + \beta$, $E_4 = E_5 = \alpha - \beta$ (empty), $E_6 = \alpha - 2\beta$ (empty)

◆ $DE_{\text{benz}} = \sum E_{\text{benz}} - \sum E_{\text{ethylene}} = [2(\alpha + 2\beta) + 4(\alpha + \beta)] - (6\alpha + 6\beta) = 2\beta$

❖ MO Energy Level of Acyclic Polyenes

□ Allyl cation: $E = 2\alpha + 2.83\beta$; anion: $E = 4\alpha + 2.83\beta$

◆ $\Psi_1 [E = \alpha + 1.414\beta]$, $\Psi_2 [E = \alpha]$, $\Psi_3 [E = \alpha - 1.414\beta]$

□ Butadiene: $E = 4\alpha + 4.47\beta$

◆ $\Psi_1 [E = \alpha + 1.618\beta]$, $\Psi_2 [E = \alpha + 0.618\beta]$

◆ $\Psi_3 [E = \alpha - 0.618\beta]$, $\Psi_4 [E = \alpha - 1.618\beta]$

□ Pentadienyl cation: $E = 4\alpha + 5.46\beta$

Pentadienyl anion: $E = 6\alpha + 5.46\beta$

◆ $\Psi_1 [E = \alpha + 1.732\beta]$, $\Psi_2 [E = \alpha + 1.000\beta]$, $\Psi_3 [E = \alpha]$

◆ $\Psi_4 [E = \alpha - 1.000\beta]$, $\Psi_5 [E = \alpha - 1.732\beta]$

❖ Qualitative Application of MO Theory(I)

□ Rules for construction of MO energy level diagram

- ◆ total No. of MOs = \sum No. of AOs; aufbau principle
- ◆ the symmetry of MOs = the symmetry of the molecule
 - symmetric: the same sign, antisymmetric: opposite sign
- ◆ orthogonal orbitals do not interact: p_x, p_y, p_z
- ◆ the energy of more electronegative atoms is lower
- ◆ the more the No. of nodes, the higher the energy

□ Diatomic molecules with 1s AO: 37 Fig. 1.14

- ◆ H_2^+ , H_2 , He_2^+ , He_2 , HHe^+ : 61, 103, 60, (0), 43 kcal/mol



❖ Qualitative Application of MO Theory(II)

□ Energy level diagram of CO:  [38 Fig. 1.15](#)

◆ total No. of MOs = 10 (C & O: $1s, 2s, 2p_x, 2p_y, 2p_z$; $14 e^-$)

○ the MOs $1s e^-$: negligible due to the large energy gap

○ $10 e^-$ in 5 MOs from 8 MOs: 4 bonding & 1 antibonding

□ MO energy diagram of CH_4 :  [40 Fig. 1.18](#)

◆ *ab initio* calculation results: no 4 equivalent MOs

◆ qualitative analysis of energy diagram

○ frame of reference: a cube;  [37 Fig. 1.14](#)

○ 3 C_2 axes (x, y, z): symmetrical or antisymmetrical



❖ Application of MO Theory to Reactivity (I)

□ Perturbation MO (PMO) theory for new MOs

- ◆ change of the MO pattern with a change in structure

 - the changes are small & the new MO pattern would be similar to known MOs of the similar system

- ◆ strongest interactions between MOs with close energy

 - FMO theory: important interactions between HOMO of one reactant & LUMO of the other; **relative energy**

- ◆ only MOs of matching **symmetry** can interact

□ Reactivity difference between $\text{CH}_2=\text{CH}_2$ & $\text{CH}_2=\text{O}$

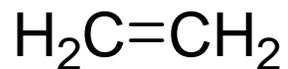
- ◆ ethylene with E^+ & formaldehyde with Nu: [📖 48 Fig. 1.25](#)



❖ Reactivity Difference: $\text{CH}_2=\text{CH}_2$ & $\text{CH}_2=\text{O}$

LUMO ——— π^*

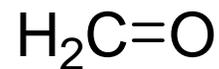
HOMO ——— π
↓↑



————— E^+
————— Nu:
↓↑

π^* ——— LUMO

π ——— HOMO
↓↑



❖ Application of MO Theory to Reactivity (II)

□ Substituent effects on the reactivity of double bonds

◆ ethylene with a π -donor: reactive to E^+ ;  49 top figure

○ allyl anion: reactive site at the terminal atoms; β -C & N

◆ ethylene with a π -acceptor: reactive to Nu;  49 middle

○ butadiene: larger coefficient at the β -C of LUMO

◆ prediction with VB theory: resonance;  49 bottom

□ Concerted reactions & symmetry: 53 bottom

◆ allyl cation & ethylene: forbidden;  [51 Fig. 1.27](#)

◆ allyl cation & butadiene: allowed;  [52 Fig. 1.28](#)

❖ Application of MO Theory to Reactivity (III)

□ Hyperconjugation of allylic systems

- ◆ interaction between σ & π bonds: σ bonds not on the nodal plane of π -system; [📖 54 middle](#)
- ◆ eclipsed conformation favored: 1.5-2.0 kcal/mol
 - repulsive & attractive interactions: [📖 55 top & Fig. 1.30](#)
 - slightly longer C_3-H & $C_1=C_2$ but shorter C_3-C_2
- ◆ prediction with VB theory: 'no-bond' resonance; [📖 55](#)

□ Rotational barrier: 3 kcal/mol, ethane; [📖 55 middle](#)

- ◆ hindered rotation due to π character of some MOs: [📖 56](#)
[Fig. 1.31](#)

❖ Other Quantitative Methods

- Molecular graphs & critical points:  58 Fig. 1.32
 - ◆ Partial structures from MO quantitative calculations
 - partition of total electron density among atoms
 - ◆ applications:  59-62 Table 1.17 & Figs. 1.33-5
- Density functional theory (DFT): the B3LYP method
 - ◆ simpler calculation & rather accurate:  63 Tables 1.18-9
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