

Note 5

# Control Structures

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# Topics

- Evaluation of expressions
  - precedence
  - associativity
- Evaluation of statements
  - sequential
  - selective
  - iterative
- exceptions
- recursion

# Control structures

- Control structures control the order of execution of operations in a program.
- **expression-level** control structures
  - precedence/associativity rules, parentheses, function calls
- **statement-level** control structures
  1. sequential structures: *stmt<sub>1</sub>; stmt<sub>2</sub>; ...; stmt<sub>n</sub>;*
    - a sequence of compound statements
  2. selective structures: *if-then-else*, *case/switch*
  3. iterative structures: *for*, *while*, *do*, *repeat*
  4. escape/exception/branch: *exit*, *break*, *goto*, *continue*
  5. recursive structures: by recursive function calls

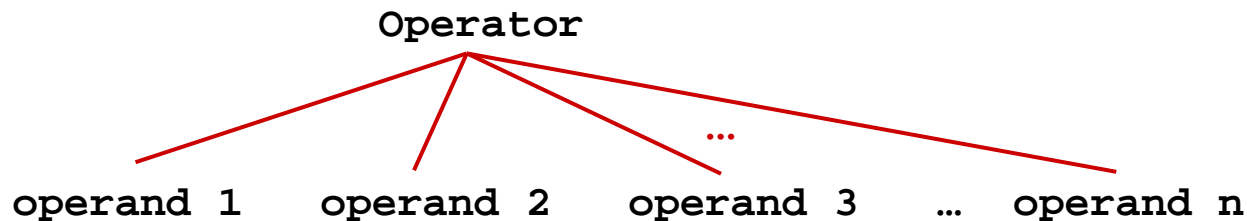
# An expression is ...

- a means of specifying computations in a program.
- composed of one or more operations.
- An operation = an operator + zero or more operands
  - operators: arithmetic, logical, relational, assignment, procedure call, reference/dereference, comma, id, constant, ...
  - operands: sub expressions

C++

```
p = &z;  
x = y + *p / 0.4;  
a[i] = (z > 0 ? foo(x, y, p) : -1);
```

- Syntax tree: abstract representation of expressions

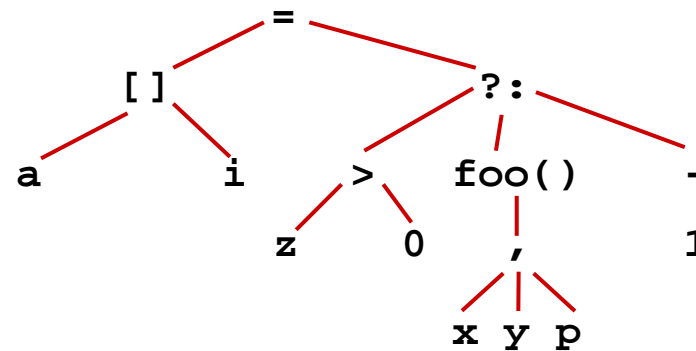
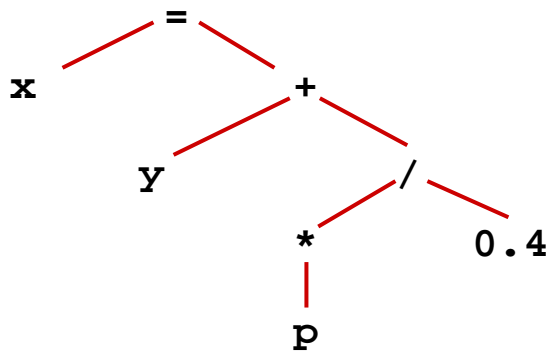


→ a node = an operator, children of a node = operands

# Evaluation of expressions

- Executing a program is actually a sequence of evaluation of expressions in the program.
- How does the compiler/machine determine the evaluation order of an expression?

→ use a syntax tree



- The expression evaluation order in a language (in other words, the way to build a syntax tree) is defined by the language semantics.

# Rules specifying evaluation orders

- **Precedence rule:** the relative priority of operators when more than one kinds of operator are present

Ex: “\* has higher precedence than +”

→ thus,  $3+4*5$  is equal to  $3+(4*5)$ , not  $(3+4)*5$ .



- **Associativity rule:** the relative priority of operators when two adjacent operators with the same precedence occur in a expression

Ex: “- is left-associative”

→ thus,  $3-4-5$  is equal to  $(3-4)-5$ , not  $3-(4-5)$ .



# Operator precedence/associativity in C

Precedence	Operators	Associativity
15	-> . [] ()	Left
14	++ - ~ ! unary+ unary- * &	Right
13	* / %	Left
12	+ -	Left
11	<< >>	Left
10	< > <= =>	Left
9	== !=	Left
8	&	Left
7	^	Left
6		Left
5	&&	Left
4		Left
3	?:	Left
2	=	Right
1	,	Left

# Evaluation order of function arguments

- Given a function invocation `func(arg1, arg2, ..., argn)`, all the arguments are usually evaluated before `func` is called. (consider the syntax tree)

→ Then, what is the order of evaluation of them?

- no order imposed (Fortran)
- left-to-right order (C++, Dr Scheme)
- right-to-left order (MIT Scheme)

*arg<sub>i</sub> represents an expression for the i-th argument for the invocation*

- The order is important due to \_\_\_\_\_ of expressions.

Ex: Dr Scheme

```
> (define x 3)
> (define inc-x (lambda ()
                  (begin (set! x (+ 1 x)) x)))
> (define foo (lambda (m n) (+ (* 100 m) n)))
> (foo (inc-x) (inc-x))
405
> (+ (* 100 (inc-x)) (inc-x)) → evaluated in the DFS order
607
```

- What are the values of `m` and `n` in the procedure call for `foo`?
- What if MIT Scheme is used?



# Sequential structures

- When is the order of a sequence of compound statements important?

C

```
{
    statement1;
    statement2;
    ...
    statementn;
}
```

Scheme

```
(begin
  (function1 ...)
  (function2 ...)
  ...
  (functionn ...))
```

→ It is when there is *data dependence* between the statements.  
That is, when the same location is modified by different statements.

- Find data dependences in the following statements.

```
x = 3.4
y = x - 2.1;
```

```
x = z;
y = 2.3 + z;
w = z / 0.6;
print z;
```

```
read y;
x = 5.0;
x = 7.1;
y = x * 1.1;
```

```
a[2] = a[1] + 1
x = a[3] * x
a[4] = a[3] / y
```

```
x = 8.8;
y = 3.9 * 1.2;
z = 4.1;
```

```
b[i] = j + 0.1;
b[i+1] = b[i-1];
I = I + 1;
m = b[i] + b[i-1];
```

# Selective, iterative structures

- Selective structures:
  - choose control flow depending on conditional test
  - Most languages support → if/then/else, switch/case
- Iterative structures
  - looping construct
  - C → while, for, do-while
- *goto* statements
  - efficient, general purpose, easy to use and translate to machine codes
  - flattens hierarchical program structures into a linear collection of statements -> difficult to read/understand
  - difficult to optimize or verify programs

# Exceptions

- Diverse types of error may occur in program execution
  - overflow, type error, segment faults, divide by zero
  - **Exceptions** are such errors detected at run time.
- What would happen if your program ignores exceptions?

```
$ a.out
```

```
Abort (core dump)
```

- Errors will eventually cause low-level message (from O/S or hardware) to be printed and to terminate the program execution.
- What is the problem with low-level messages? → *They do not provide sufficient information about the error that caused your program to end.*
- **Alternative solution: use test code defined by languages or users**

```
test result = foo(a,b,c);  
if (test result is error) raise exception;
```

  - When an exception is raised, the normal program control is interrupted and the control is transferred to an **exception handler**, a special routine that handles the exception.

# Exception handlings

- control flow for exception handling

```
foo (int i, char c) {  
    float a[10];  
    ...  
    if (error occurs)  
        raise exception(error-type);  
    ...  
}
```

```
exception_handler {  
    switch (error-type) {  
        case 1: ...  
        case 2: ...  
        ...  
        case n: ...  
    }  
}
```

*continue*

*resumption  
model*

*abort*

*termination  
model*

*error analysis  
error report/print  
error correction*

- Exception handling makes programs robust & reliable. But, it may be tedious because it needs to test possible errors. This might be inefficient if errors occurs infrequently.

# Recursive structures

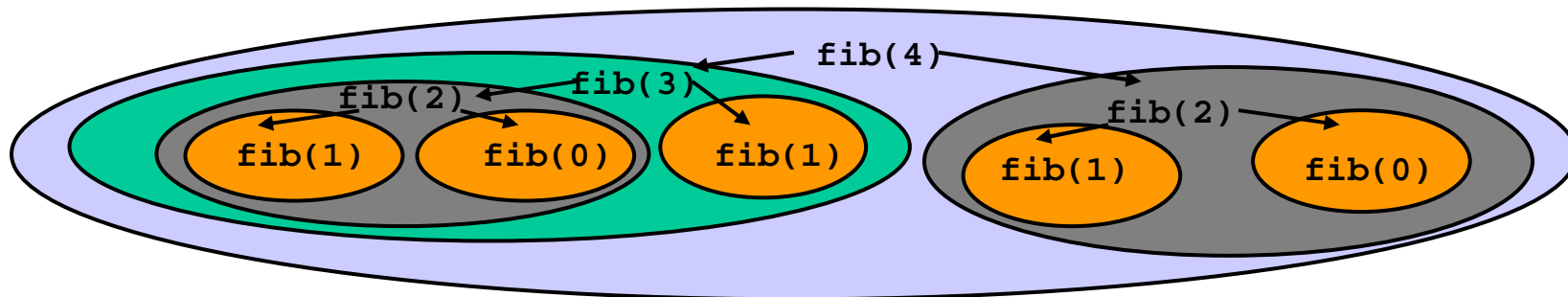
- A function  $f$  is **recursive** if it contains an application of  $f$  in its definition.

```
C++  
int fib(int n) {  
    return ((n==0 || n==1) ?  
           1 : fib(n-1)+fib(n-2));  
}
```

```
Scheme  
(define fib (lambda (n)  
              (if (or (= n 0) (= n 1))  
                  1  
                  (+ (fib (- n 1))  
                     (fib (- n 2))))))
```

→ How does Scheme implement recursion?

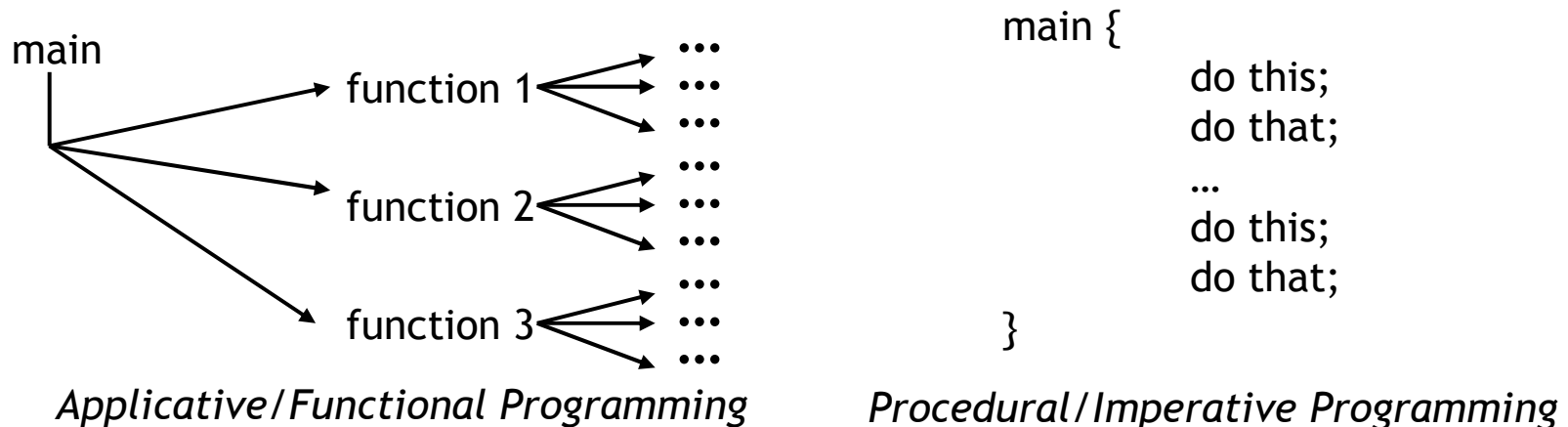
- Recursion simplifies programming by exploiting the *divide-and-conquer* method → “divide a large problem into smaller ones”



→ Can you rewrite the fibonacci function without using recursion, and find how many lines you need for your version?

# More facts about recursion

- Recursion allows users to implement their algorithms in the applicative style rather than the imperative style.



- Recursion can be expensive if not carefully used.

→ Compare these two functions that compute the factorial

compute the factorial with recursion

```
int fac(int n) {  
    return (n==0 ? 1 : n*fac(n-1));  
}
```

compute the factorial with iteration

```
int fac2(int n) {  
    int p = 1;  
    for (; n > 0; n--) p = n * p;  
    return p;  
}
```

# Comparison of `fac` and `fac2`

## Computation of `fac(4)`

```

fac(4)
4 * fac(3)
4 * (3 * fac(2))
4 * (3 * (2 * fac(1)))
4 * (3 * (2 * (1 * fac(0))))
4 * (3 * (2 * (1 * 1)))
4 * (3 * (2 * 1))
4 * (3 * 2)
4 * 6
24
    
```

*five function calls*

*four words to store the temporal data*

## Computation of `fac2(4)`

```

fac2(4)
p = 1 < ----- n = 4
p = 4  < ----- n = 3
p = 12 < ----- n = 2
p = 24 < ----- n = 1
                    n = 0
    
```

*one function call*

*one word to store the temporal data*

The main problem with the recursive version is that `fac` needs more memory space and function calls as the problem size `n` increases. In contrast, `fac2` always needs only 1 function call and 1 word regardless of the value of `n`. → *Suppose n is 1000!*

# Tail recursion

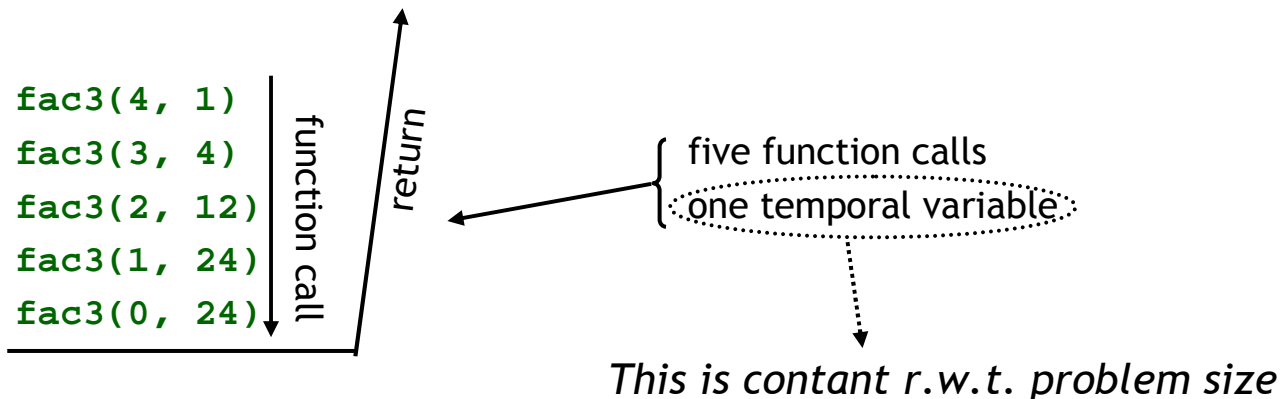
- A function  $f$  is **tail-recursive** if it is a recursive function that returns either *a value without needing recursion* or *the result of a recursive activation*.

Ex: `void fac3(int n, int& p) { if (n > 0) { p*=n; fac3(n-1,p); } }`

no *int!*

→ cf: Neither `fib` nor `fac` is tail-recursive.

- What are tail-recursive functions so great about?
  - While still taking advantage of recursion, they can execute programs in constant space.





# Application of tail recursion

- Write a tail-recursive version of fib.

```
void fib2(int n, int& l, int& r) {  
    if (n > 0) { l+=r; r=l-r; fib2(n-1,l,r); }  
}
```

