

### 1.5 Permeability Tests

#### 1.5.1 General

- To determine the coefficient of permeability(or coefficient of hydraulic conductivity)  $k$
- General method for determining  $k$  directly.

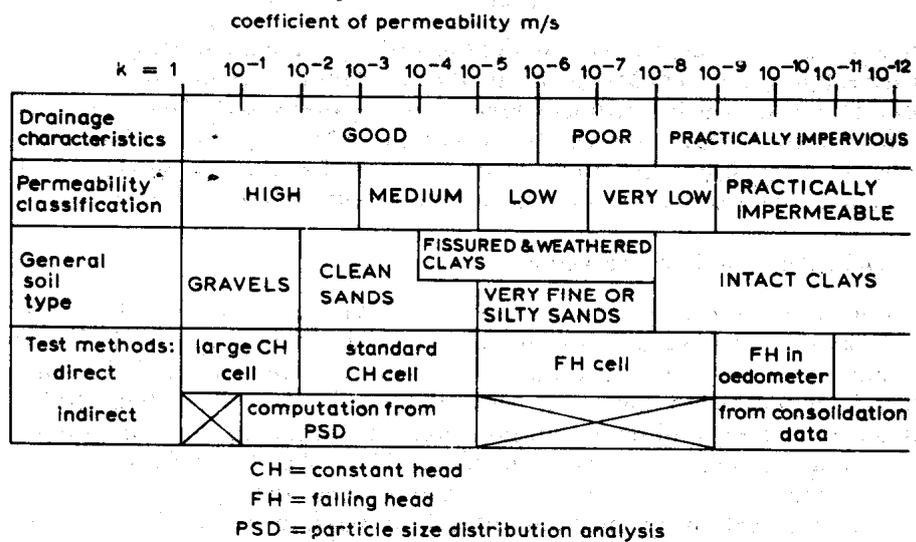


Fig. 10.14 Permeability and drainage characteristics of main soil types

- Darcy' law

$$v = ki$$

or

$$q = kiA$$

where  $q$  = flow quantity in a unit time.

$v$  = flow velocity

$i$  = hydraulic gradient =  $h/L$

$h$  = total head difference

$L$  = flow path

$A$  = cross-sectional area of soil mass

- It is difficult to get a reliable value of  $k$  with conventional laboratory testing methods. (Its variation can be one order of magnitude.)
- The major reasons for the variation of the measured  $k$  (The reason for the difference between in-situ  $k$  values and  $k$  values obtained from lab test) :
  - 1) Cannot duplicate the same state of soil as in the field (density, structure and orientation of the in situ stratum, degree of saturation...)
  - 2) Conditions at the boundary. (The smooth wall of permeability mold in the laboratory makes for better flow path than if they were rough.)
  - 3) The effect of the applied hydraulic gradient  $i$  ( $i$  in the lab is usually 5 – 10 times larger than in the field.)
  - 4) Darcy's law can be nonlinear (at least at large values of  $i$ ).
  - 5) Size effect of sample (Usually  $k$  in the field is much larger (more than 10 times) than  $k$  obtained with small specimens in the lab.)

- Influence factors on the coefficient of permeability of a soil.
  - 1) The viscosity of the pore fluid  $\Rightarrow$  depending on the type of pore fluid and temperature.
 

As the temperature increases, viscosity decreases, and  $k$  increases.  
(4°C change in temperature of the pore water results in about 10% increase of  $k$ ).

Practically, the temperature correction is not necessary but is required in most “standard” test procedure.
  - 2) The void ratio of the soil
 
$$k = f(e)$$

$$k \propto e^3/(1+e)$$

$$\log k \propto e$$
  - 3) The size and shape of the soil particles
 

$k$  in angular and platy particles is larger than  $k$  in rounded and spherical particles.

$k$  increases with increase of particle size.

Hazen’s formula (for clean sands and gravels)

$$k = 100D_{10}^2 \text{ cm/s}$$

(in the range of particle size , 0.01cm<D<sub>10</sub><0.3cm)
  - 4) The degree of saturation  $S$ .
 

As the degree of saturation increases, the apparent coefficient of permeability also increases. (due to reducing the breakage effort of surface tension)

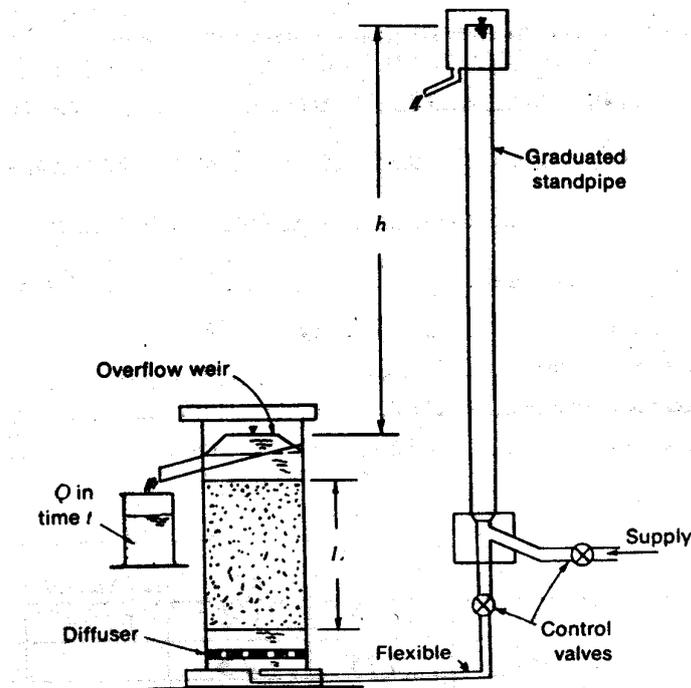
1.5.2 The Constant Head Permeability Test

Figure 11-2

- Use the constant head  $\Rightarrow$  Employ the overflow weir in both inlet (at the bottom) and outlet of flows (on the top).  
 $\Rightarrow$  A large amount of water is wasted unless the test is of short duration  $\Rightarrow$  Apply cohesionless soils only.
- The standard compaction mold is widely used. (The base with porous stone and the cap with valve.) as shown in Fig 11-2.
  - 1) Advantages: Easy to control and to make a sample.
  - 2) Disadvantages: No potential of observation and possible head loss across the porous stone.
- Modified device by Bowles  
 Employ the transparent cylinder for permeameter and #200 sieve screen instead of porous stone.

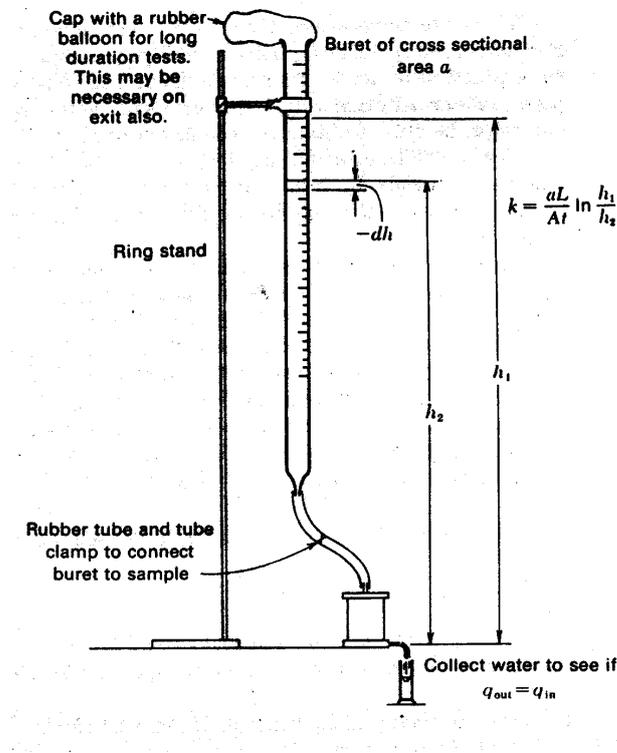
1.5.3 Falling Head Permeability Test

Figure 12-2

- For cohesive soils with low permeability, flow quantity is very small.  
Permeability of soils,  $k = 1 \times 10^{-6} \text{ cm/min}$   
 $\Rightarrow$  Flow quantity = .0972cc/hr for  $i=20$  and  $A = 81 \text{ cm}^2$   
(small amount of flow quantity and longer duration time)  
 $\Rightarrow$  Accurate measurement of flow quantity with some provisions to control evaporation is required.
- The equation applicable to falling head permeability test

$$k = \frac{aL}{A\Delta t} \ln \frac{h_1}{h_2}$$

Where  $A$  = cross-sectional area of sample

$a$  = cross-sectional area of burette

$h_1$  = hydraulic head across sample at beginning of test ( $t=0$ ).

$h_2$  = hydraulic head across sample at end of test ( $t=t_{test}$ )

1.5.4 k from a consolidation test

- 1) Estimate  $k$  using the coefficient of consolidation  $c_v$ , from the equation below,

$$k = \frac{a_v \gamma_w c_v}{1 + e}$$

- 2) Perform the falling head test on the loaded sample in the oedometer at the end of primary loading : Can consider the effect of the effective stress.

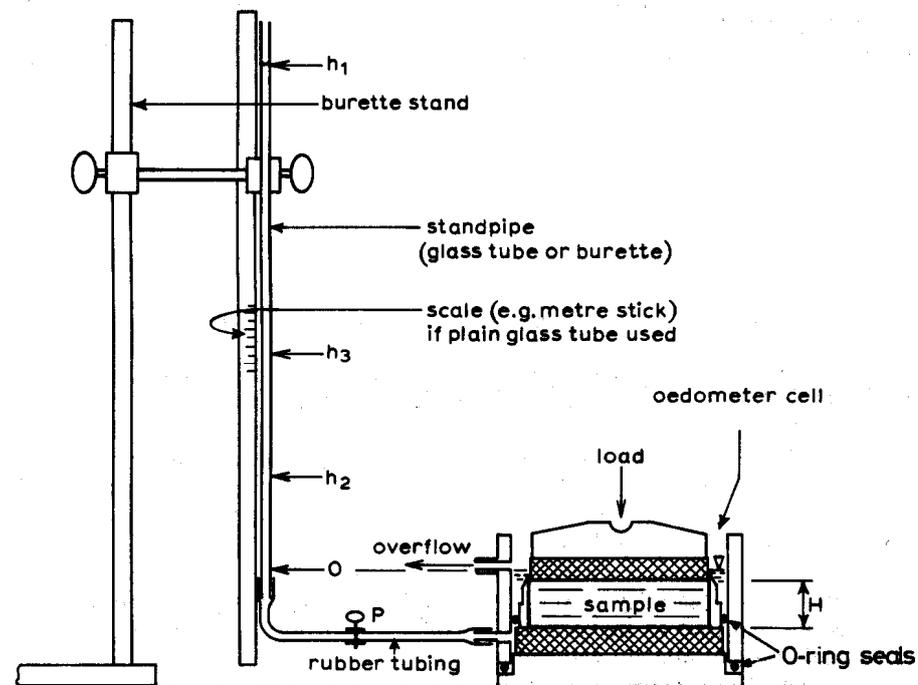


Fig. 10.41 Falling head permeability test in oedometer consolidation cell

1.5.5 k from a triaxial cell (Flexible Wall Test)

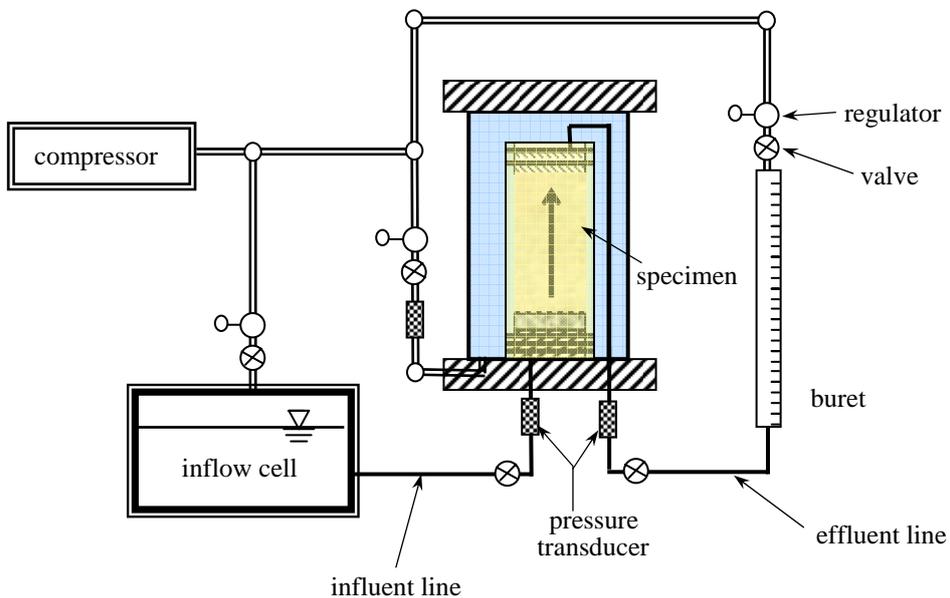


Figure. Schematic diagram of Flexible wall test set up for evaluation the coefficient of permeability of soils

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