

The simultaneous CVD of diamond and gasification of graphite is recognized as the vapor-phase transport of carbon from graphite to diamond. Summing Eqs. (5) and (6) to obtain an overall process gives

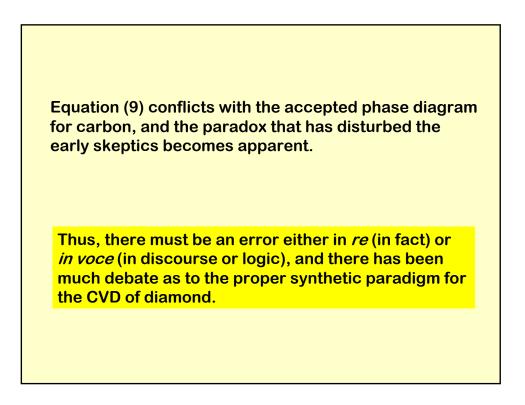
$$(y+m)H^{\circ} + C_{graphite} \rightarrow \frac{y+m}{2}H_2 + C_{diamond}$$
 (7)

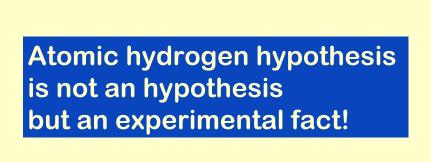
which, if separated into independent reactions, is simply the recombination of atomic hydrogen with the conversion of graphite into diamond, i.e.,

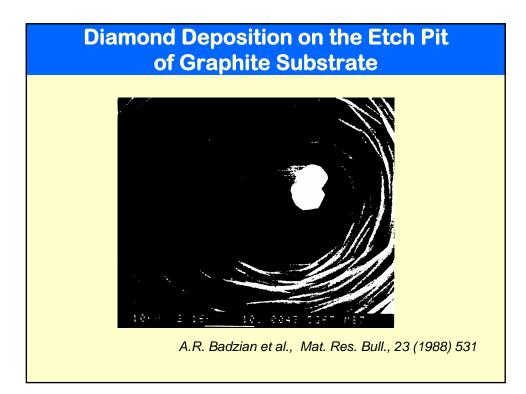
(9)

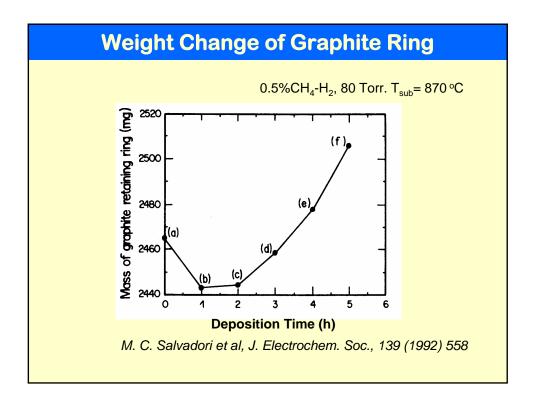
$$(Y+M)H^{\circ} \to \frac{y+m}{2}H_2 \qquad (8)$$

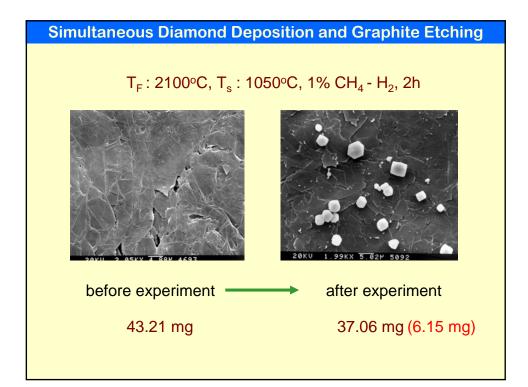
$$C_{graphite} \rightarrow C_{diamond}$$

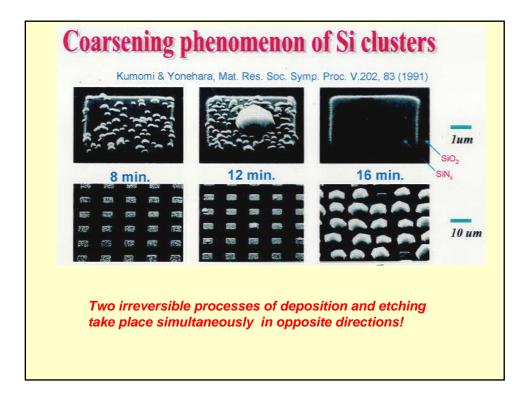












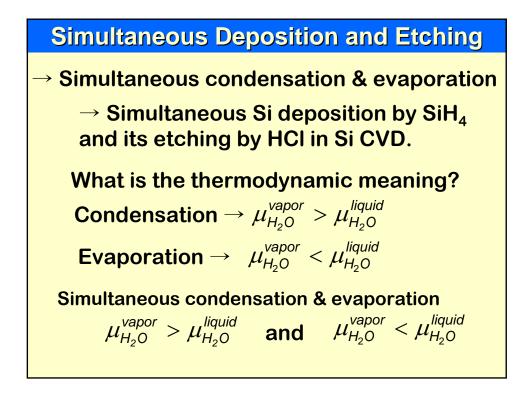
Contradiction between Experimental Facts and the 2nd Law of Thermodynamics

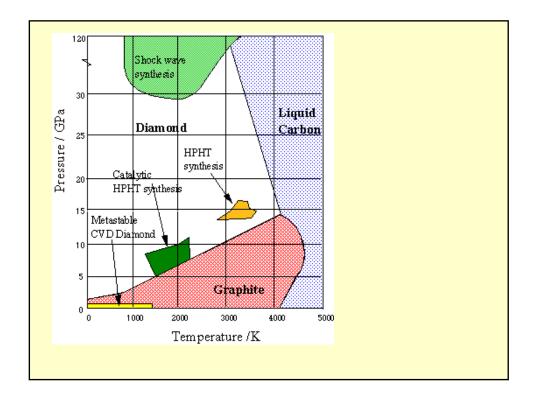
Which should we believe, experimental facts or the 2nd law of thermodynamics?

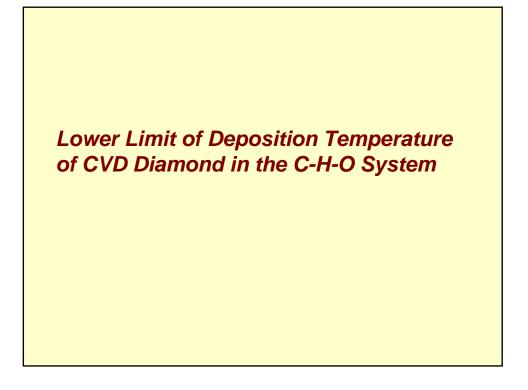
What should we do in this situation?

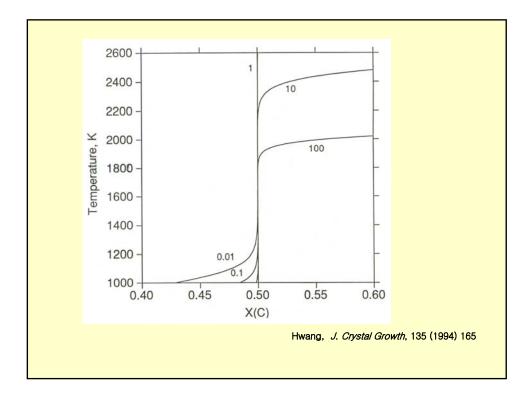
How about thermodynamics of CVD?

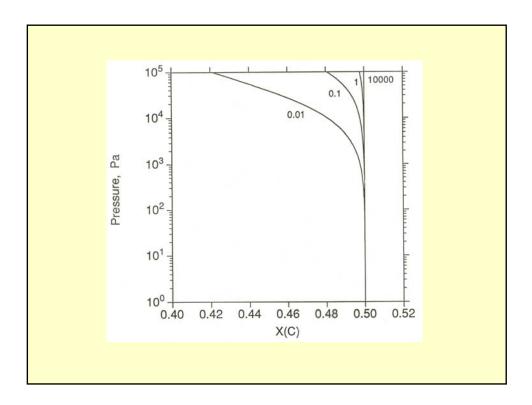
Do we understand it clearly?

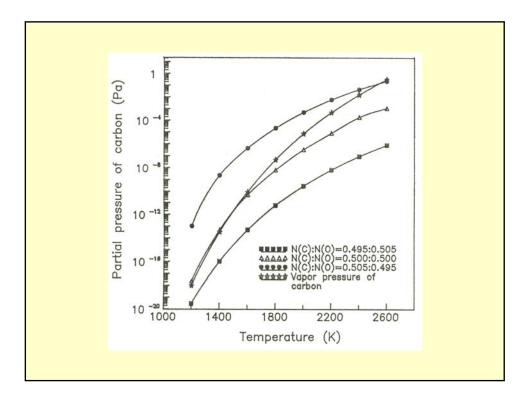


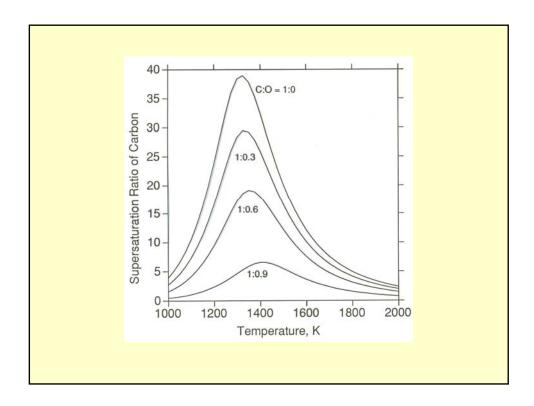


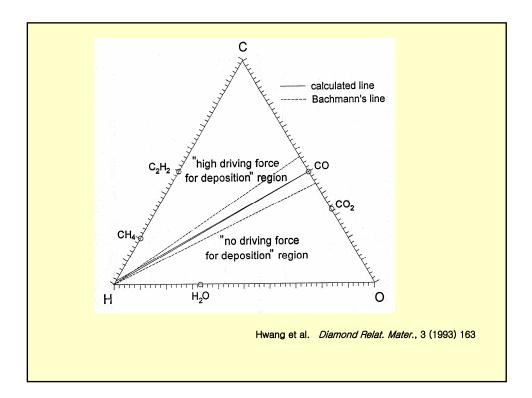


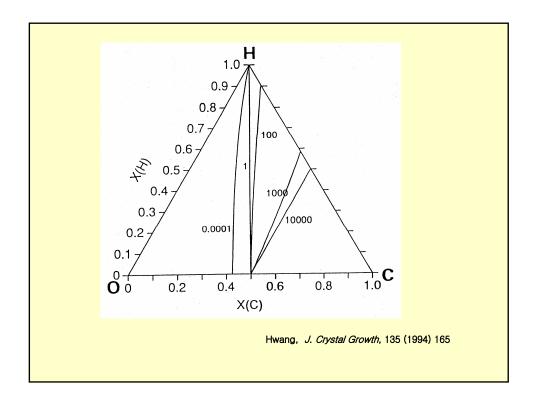


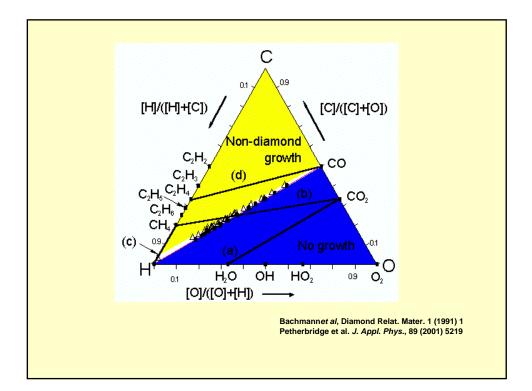


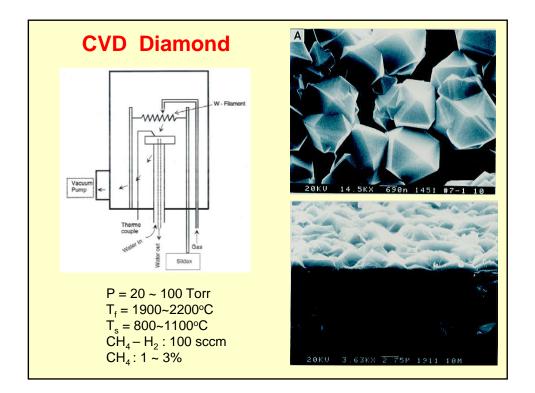


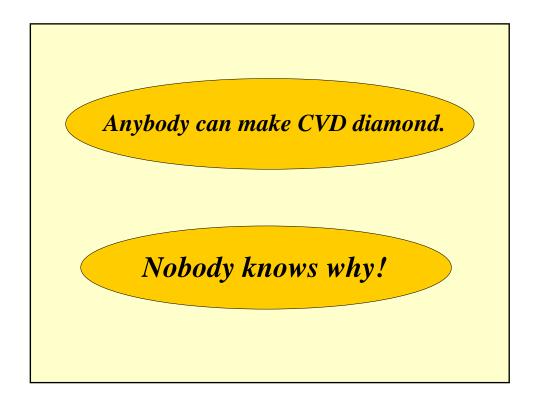


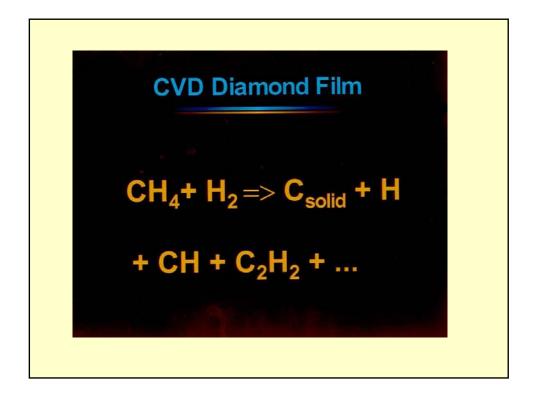


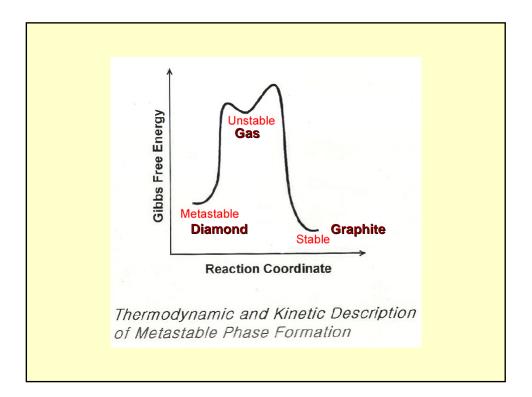


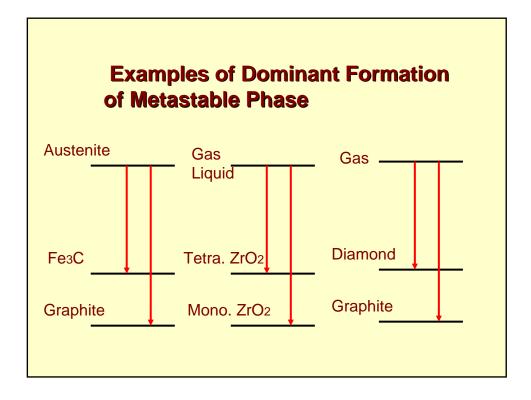


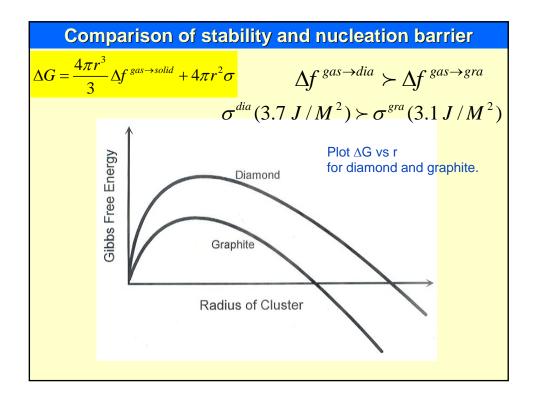


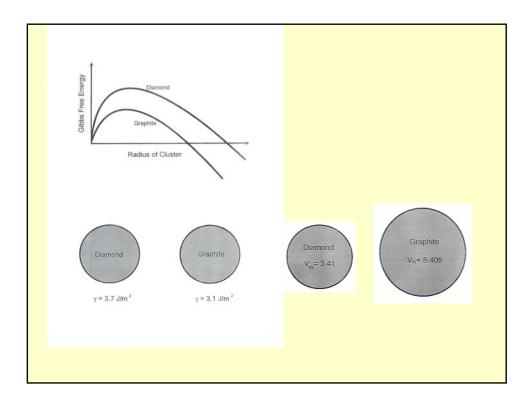


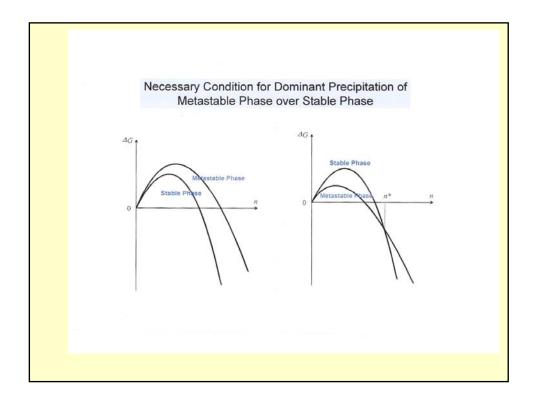






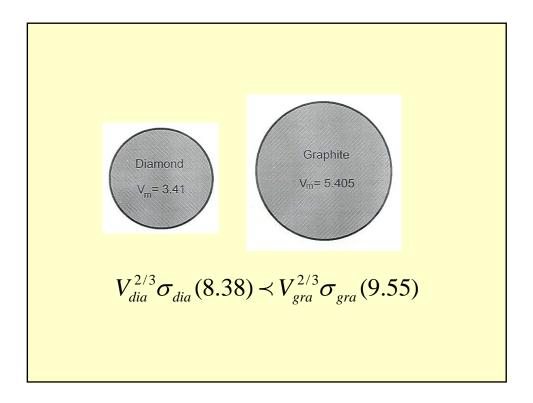


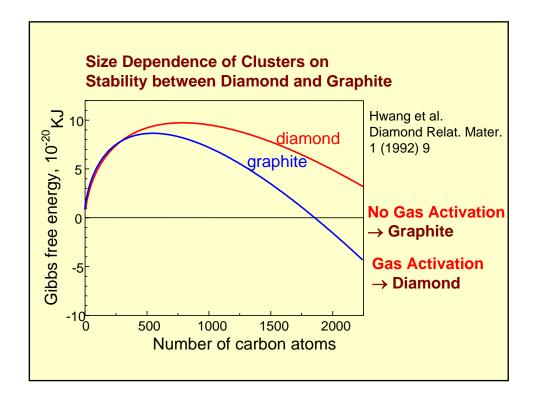


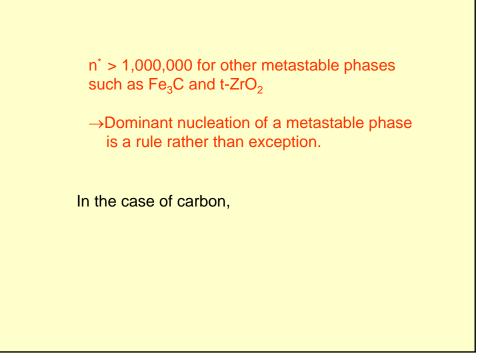


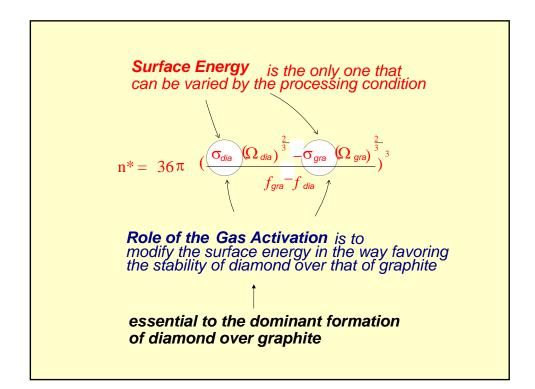
$$\Delta G_{dia} = \frac{4}{3} \pi r^3 \Delta f_{vol}^{gas \to solid} + 4\pi r^2 \sigma$$
$$\Delta G_{dia} = n \Delta \mu^{gas \to dia} + \eta_{dia} \sigma_{dia} n^{2/3}$$
$$\Delta G_{gra} = n \Delta \mu^{gas \to gra} + \eta_{gra} \sigma_{gra} n^{2/3}$$
$$\eta = (4\pi)^{1/3} (3\Omega)^{2/3} \text{ for sphere}$$
$$Derive n^*.$$

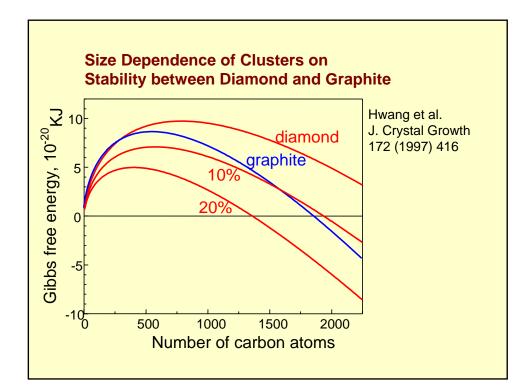
$$\begin{split} &n\Delta\mu^{gas \to gra} + \eta_{gra}\sigma_{gra}n^{2/3} - \left(n\Delta\mu^{gas \to dia} + \eta_{dia}\sigma_{dia}n^{2/3}\right) = 0\\ &= n\left(\Delta\mu^{gas \to gra} - \Delta\mu^{gas \to dia}\right) + n^{2/3}\left(\eta_{gra}\sigma_{gra} - \eta_{dia}\sigma_{dia}\right)\\ &= n\left\{\Delta\mu^{gas \to gra} - \Delta\mu^{gas \to dia} + n^{-1/3}\left(\eta_{gra}\sigma_{gra} - \eta_{dia}\sigma_{dia}\right)\right\}\\ &n^* = \left(\frac{\eta_{gra}\sigma_{gra} - \eta_{dia}\sigma_{dia}}{\Delta\mu^{gas \to dia} - \Delta\mu^{gas \to gra}}\right)^3 = \left(\frac{\eta_{gra}\sigma_{gra} - \eta_{dia}\sigma_{dia}}{\Delta\mu^{gra \to dia}}\right)^3\\ &= 36\pi \left(\frac{\Omega_{gra}^{2/3}\sigma_{gra} - \Omega_{dia}^{2/3}\sigma_{dia}}{\Delta\mu^{gra \to dia}}\right)^3\\ &n^* = 36\pi \left(\frac{\Omega_{gra}^{2/3}\sigma_{gra} - \Omega_{dia}^{2/3}\sigma_{dia}}{\Delta\mu^{gra \to dia}}\right)^3 \end{split}$$

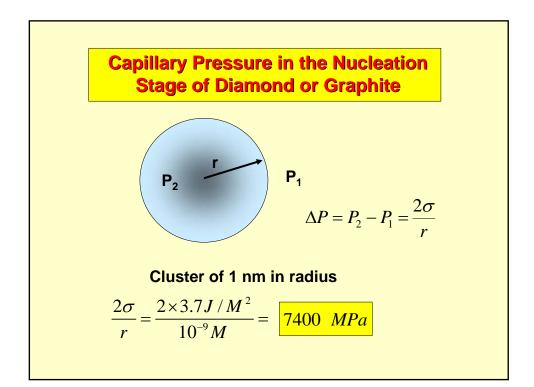


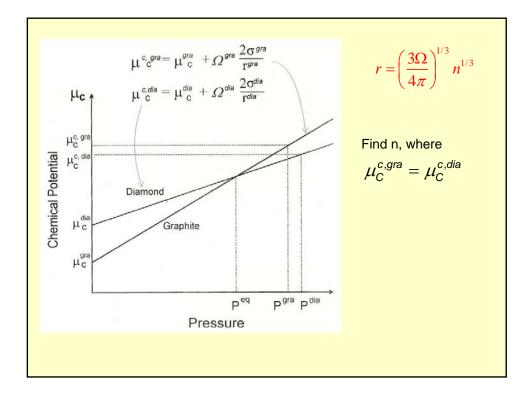


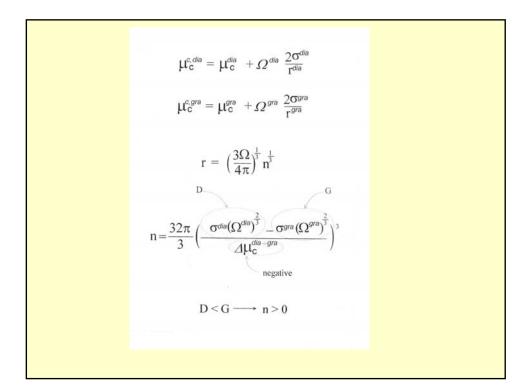












$$r = \left(\frac{3\Omega}{4\pi}\right)^{\frac{1}{3}} n^{\frac{1}{3}}$$

$$n = \frac{32\pi}{3} \left(\frac{\sigma^{dia}(\Omega^{dia})^{\frac{2}{3}} - \sigma^{gra}(\Omega^{gra})^{\frac{2}{3}}}{\Delta \mu_{c}^{dia + gra}}\right)^{3}$$

$$negative$$

$$n^{*} = 36\pi \left(\frac{\Omega_{gra}^{2/3}\sigma_{gra} - \Omega_{dia}^{2/3}\sigma_{dia}}{\Delta \mu^{gra \to dia}}\right)^{3}$$

$$\frac{\partial \Delta G^{gas \rightarrow dia}}{\partial n} = -\Delta \mu^{gas \rightarrow dia} + \frac{2}{3} (4\pi)^{1/3} (3\Omega_{dia})^{2/3} \sigma_{dia} n^{-1/3}$$
$$\frac{\partial \Delta G^{gas \rightarrow gra}}{\partial n} = -\Delta \mu^{gas \rightarrow gra} + \frac{2}{3} (4\pi)^{1/3} (3\Omega_{gra})^{2/3} \sigma_{gra} n^{-1/3}$$
$$n = \frac{32\pi}{3} \left(\frac{\sigma_{dia} \Omega_{dia}^{2/3} - \sigma_{gra} \Omega_{gra}^{2/3}}{\Delta \mu^{dia \rightarrow gra}} \right)^3$$