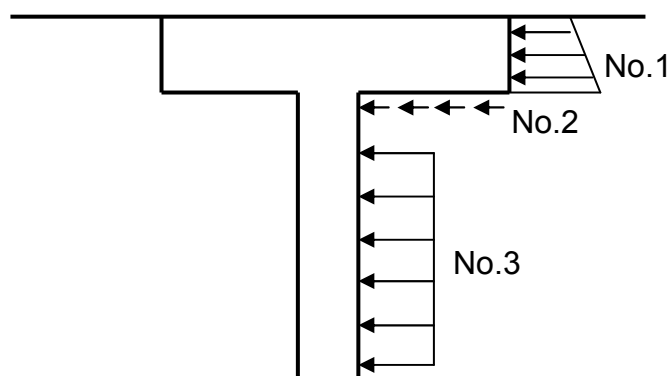


10) Laterally Loaded Vertical Piles

- Sources of Resistance

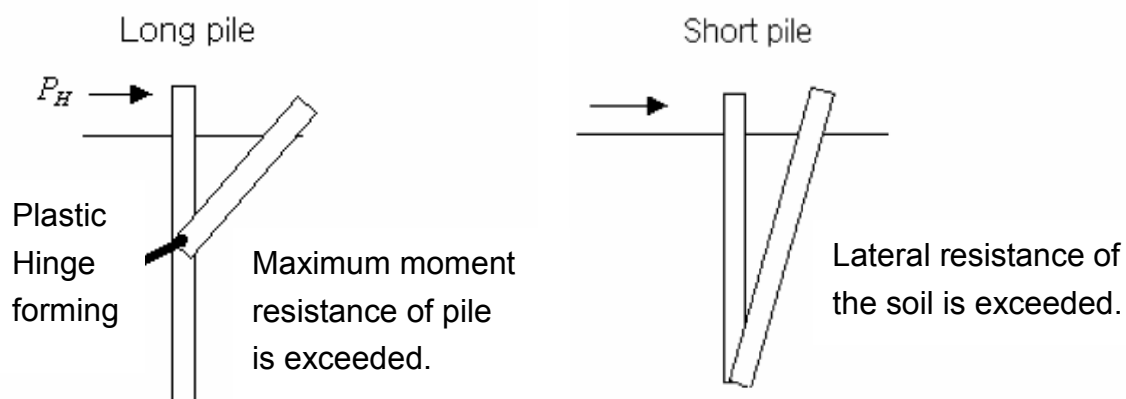


- ① Passive resistance against the side of pile cap. (Scouring or artificial excavation can eliminate its effect.)
- ② Shearing resistance along bottom of pile cap and soil interface. (Settlement of soil beneath cap may eliminate its effect.)
- ③ Moment and shear resistance of pile itself.

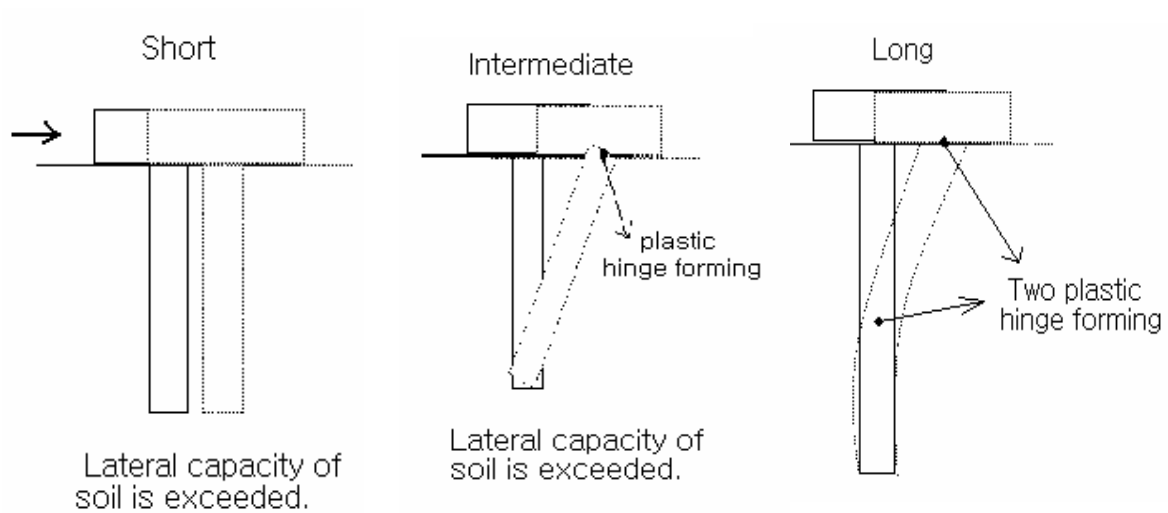
→ Use ③ for determining lateral capacity.

- 5 Potential Failure Modes

- Free headed piles



- Fixed(restrained) pile head



i) Ultimate Soil Capacity

-

⇒ Brom's method

a) Cohesive soils

- Simplified distribution of the ultimate static resistance (P_{ult})
(Fig 17.8 & 17.9)

- Free head piles

$$D_{min} = \sqrt{\frac{FV(e + 1.5B + 0.5f)}{2.25Bs_u}} + 1.5B + f$$

$$f = \frac{FV}{9Bs_u}$$

($F \equiv$ Factor of safety=3.0, $e=M/V$)

- Restrained head piles

$$D_{min} = \frac{FV}{9Bs_u} + 1.5B$$

b) Cohesionless soils

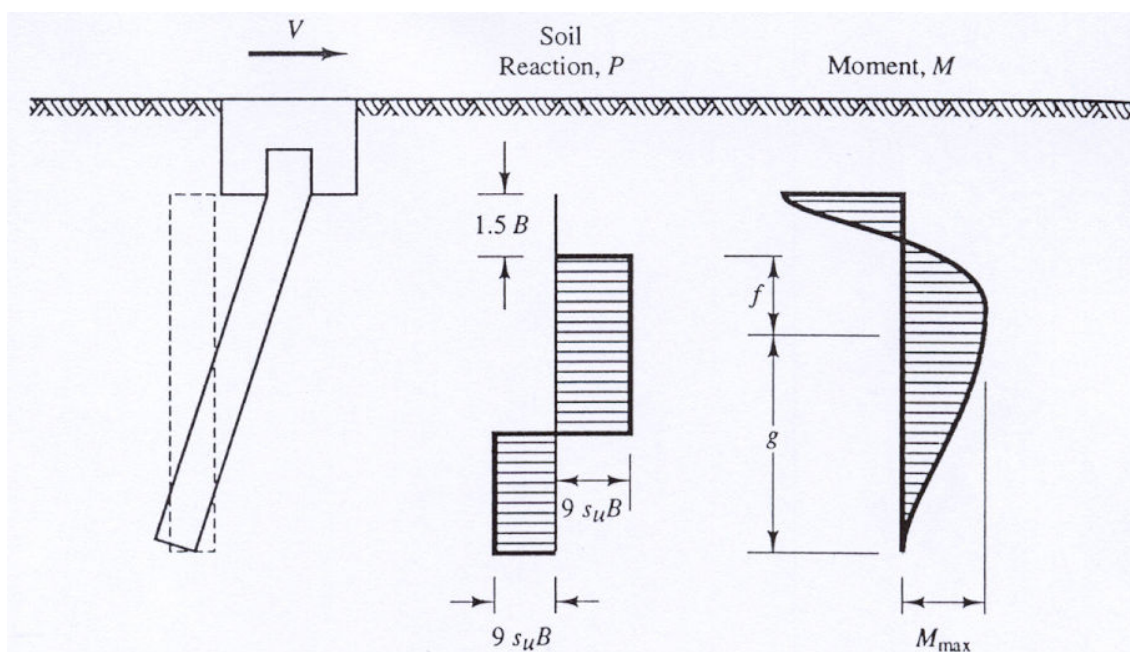
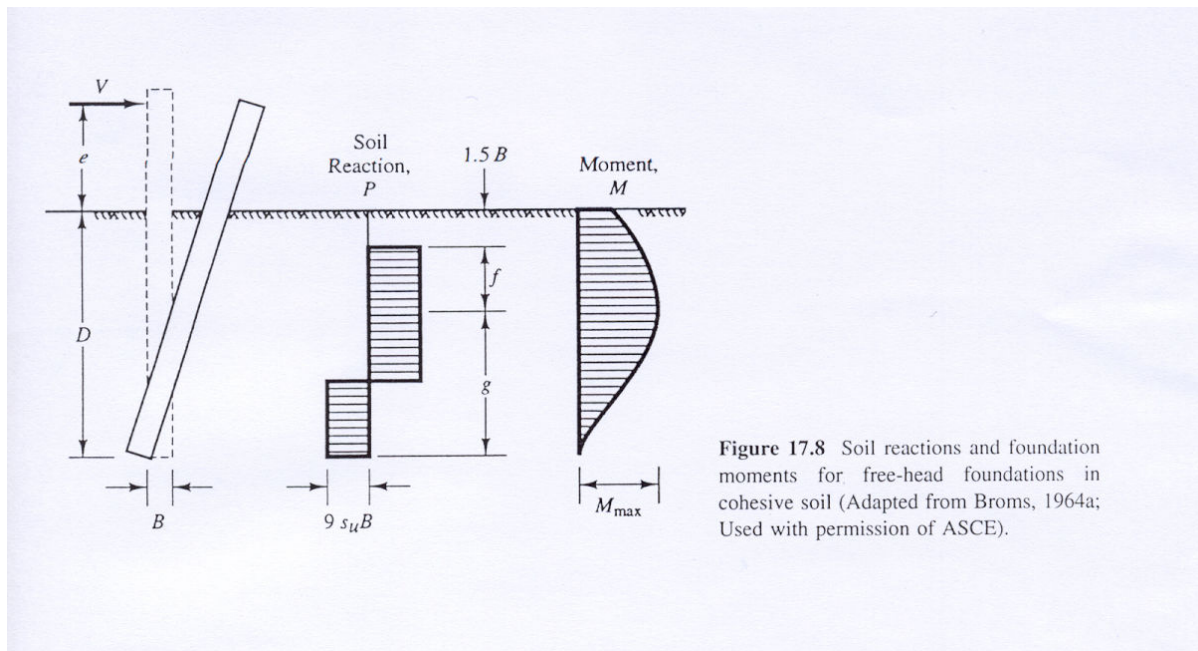
$P_{ult} = 3\sigma'_v K_p D \Rightarrow$ triangular distribution in a uniform soil (Fig 17.10 & 17.11)

- Free head piles

$$F = \frac{0.5\gamma' B D_{\min}^3 K_p}{V(e + D_{\min})} (\approx 3.0)$$

- Restrained head piles

$$D_{\min} = \sqrt{\frac{FV}{1.5\gamma' B K_p}}$$



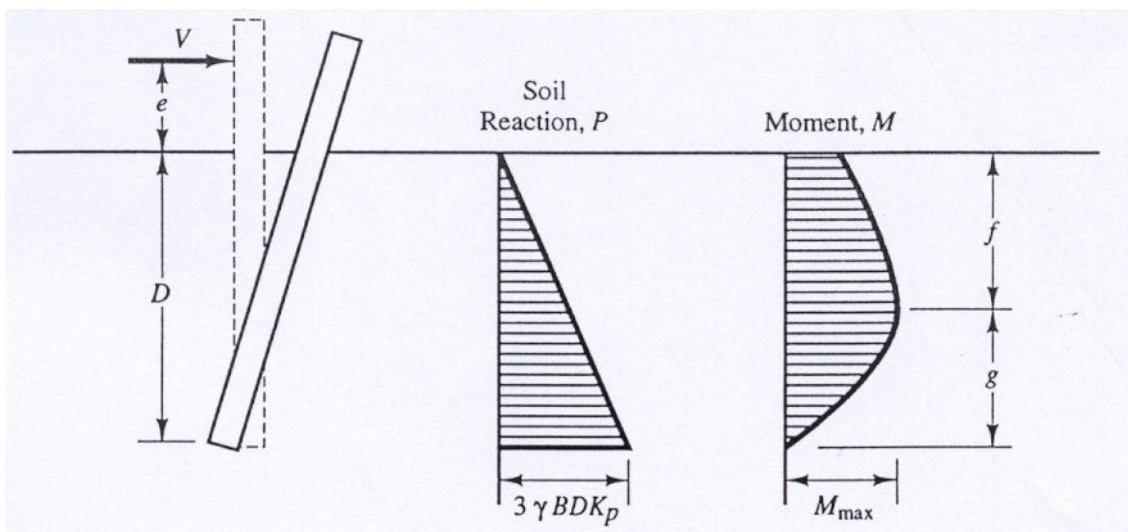


Figure 17.10 Soil reactions and foundation moments for free-head foundations in cohesionless soil (Adapted from Broms, 1964b; Used with permission of ASCE).

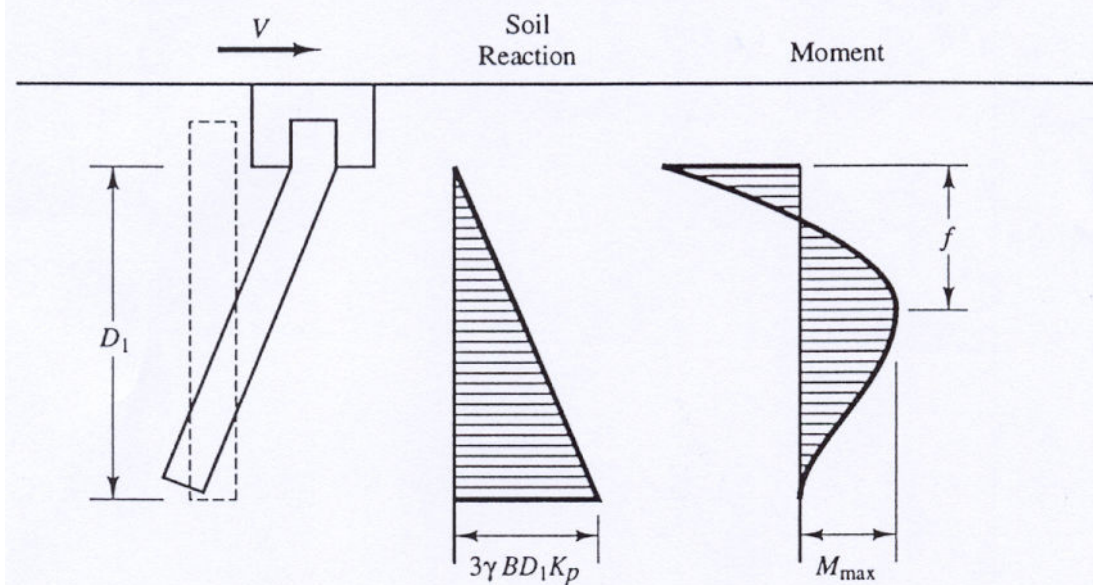
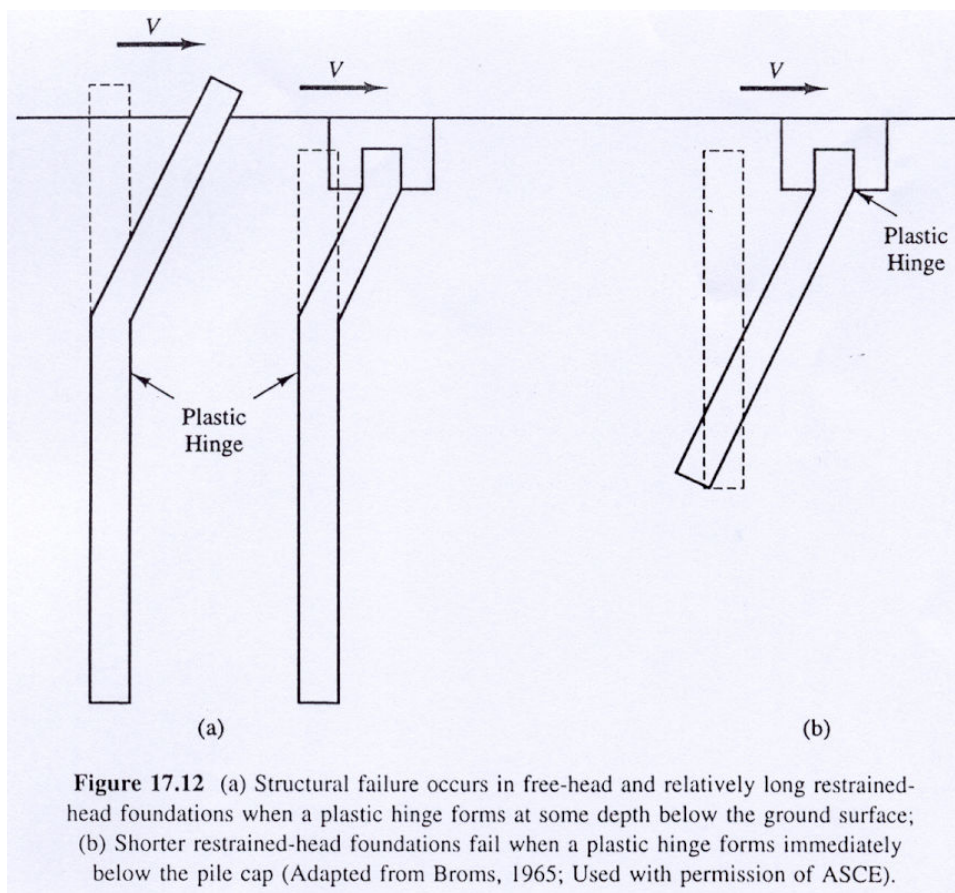


Figure 17.11 Soil reactions and foundation moments for restrained-head foundations in cohesionless soil (Adapted from Broms, 1964b; Used with permission of ASCE).

ii) Ultimate structural capacity



⇒ Brom's method

- Computing M_{max} using the ultimate soil resistance distribution

a) Cohesive soils

- Free head piles

$$M_{max} = V(e + 1.5B + 0.5f)$$

- Restrained head piles

(Computed the moment immediately below the pile cap and at a depth of $1.5B + f$)

$$M_1 = 9Bs_u f(1.5B + 0.5f) - 2.25Bs_u g^2 \geq 0$$

$$g = D_{min} - 1.5B - f$$

$$M_2 = \frac{1}{2}V(1.5B + 0.5f)$$

b) Cohesionless soils

- Free head piles

$$M_{\max} = V(e + 0.67f) \Leftrightarrow f = 0.82 \sqrt{\frac{FV}{B\gamma K_p}}$$

- Restrained head piles

$$M_1 = VD - 0.5\gamma BD^3 K_p \geq 0$$

$$M_2 = 0.67VD$$

M_1 : Just below the pile cap

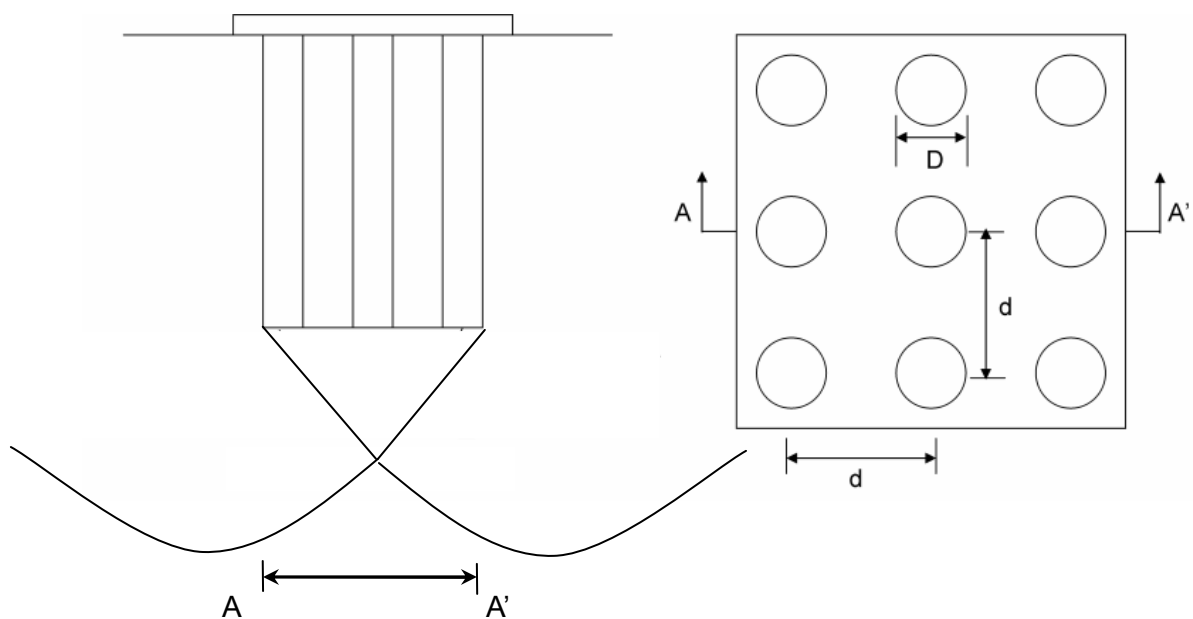
M_2 : At a depth "f" below the ground surface

11) Group Piles

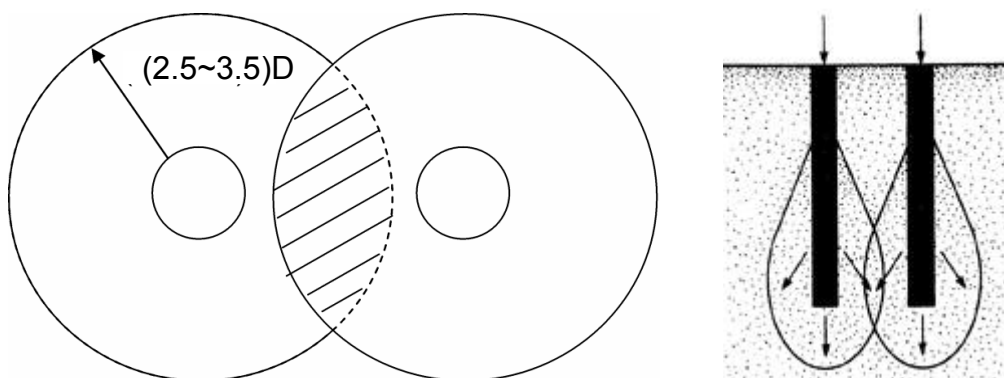
i) Bearing capacity of group piles

- Differences in behavior between group piles & single pile

① Block failure potential (*Ideally but not practically*)



- ② Overlapping of displacement or stress fields of soils adjacent to piles
 ⇒ This may reduce or increase the load-bearing capacity of piles



③ The overlapping effect of pile installation (In particular, driven piles)

⇒

⇒

● Pile spacing in group piles

- Practically : $d \geq 2.5D$

Optimal spacing : $3.0D \leq d \leq 3.5D$

● The group efficiency ($\eta = Q_{u(group)} / \sum Q_{individual}$) depends on several factors;

- The number, length, diameter, arrangement and spacing of the piles.
- The load transfer mode (skin friction vs. end bearing).
- The construction methods used to install the piles.
- The sequence of installation of the piles.
- The soil type.
- The elapsed time since the piles were driven.
- The interaction, if any, between the pile cap and soil.
- The direction of the applied load.

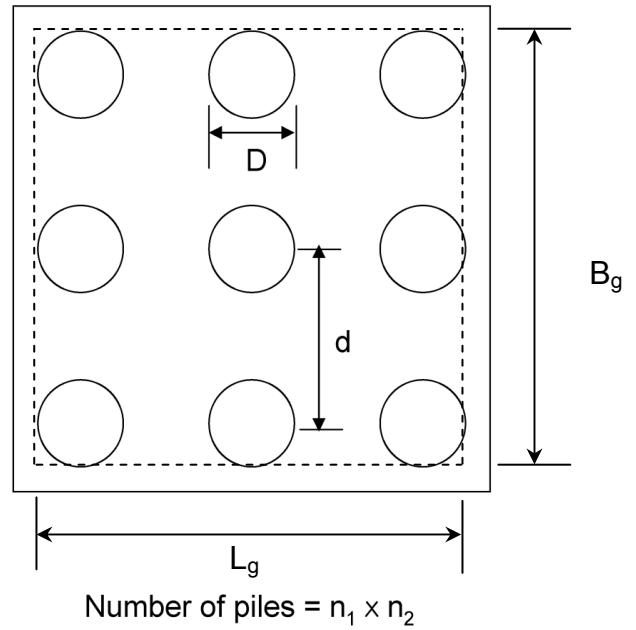
● Bearing Capacity of Pile Groups

→ Conservative (based on $Q_{group} \leq \sum Q_{individual}$)

a) True end bearing pile

$$Q_{group} = n_1 n_2 Q_{individual\ pile}$$

(No interaction between piles)



b) All other cases

① Point bearing capacity

$$Q_{p(group)} = n_1 n_2 Q_{p(individual)}$$

② Frictional resistance

$$Q_{s(group)} = f_{av} P_{group} L \dots\dots\dots(1)$$

$$P_{group} = 2(L_g + B_g)$$

or

$$Q_{s(group)} = n_1 n_2 f_{av} pL \dots\dots\dots(2)$$

⇒ Take minimum from (1) and (2).

- Alternative way to get $Q_{u(group)}$ for friction piles

$$\eta = \frac{Q_{u(group)}}{\sum Q_{u(individual)}} \leq 1.0$$

▼ TABLE 9.13 Equations for Group Efficiency of Friction Piles

Name	Equation
Converse-Labarre equation	$\eta = 1 - \left[\frac{(n_1 - 1)n_2 + (n_2 - 1)n_1}{90n_1n_2} \right] \theta$ <p>where θ (deg) = $\tan^{-1}(D/d)$</p>
Los Angeles Group Action equation	$\eta = 1 - \frac{D}{\pi d n_1 n_2} [n_1(n_2 - 1) + n_2(n_1 - 1) + \sqrt{2}(n_1 - 1)(n_2 - 1)]$
Seiler-Keeney equation (Seiler and Keeney, 1944)	$\eta = \left\{ 1 - \left[\frac{11d}{7(d^2 - 1)} \right] \left[\frac{n_1 + n_2 - 2}{n_1 + n_2 - 1} \right] \right\} + \frac{0.3}{n_1 + n_2}$ <p>where d is in ft</p>

Notes

- 1) Clay : a)
 - b)
 - c)
- 2) Sand :
- 3) Pile cap resting on soil contributes to the load bearing capacity, but its effect is neglected for design purpose. → (Fig 11.46)
- 4) Conclusively, the method to determine bearing capacity of pile groups is not well defined and conservative design rule is employed (group efficiency ≤ 1.0).

Sec. 14.1 Group Effects

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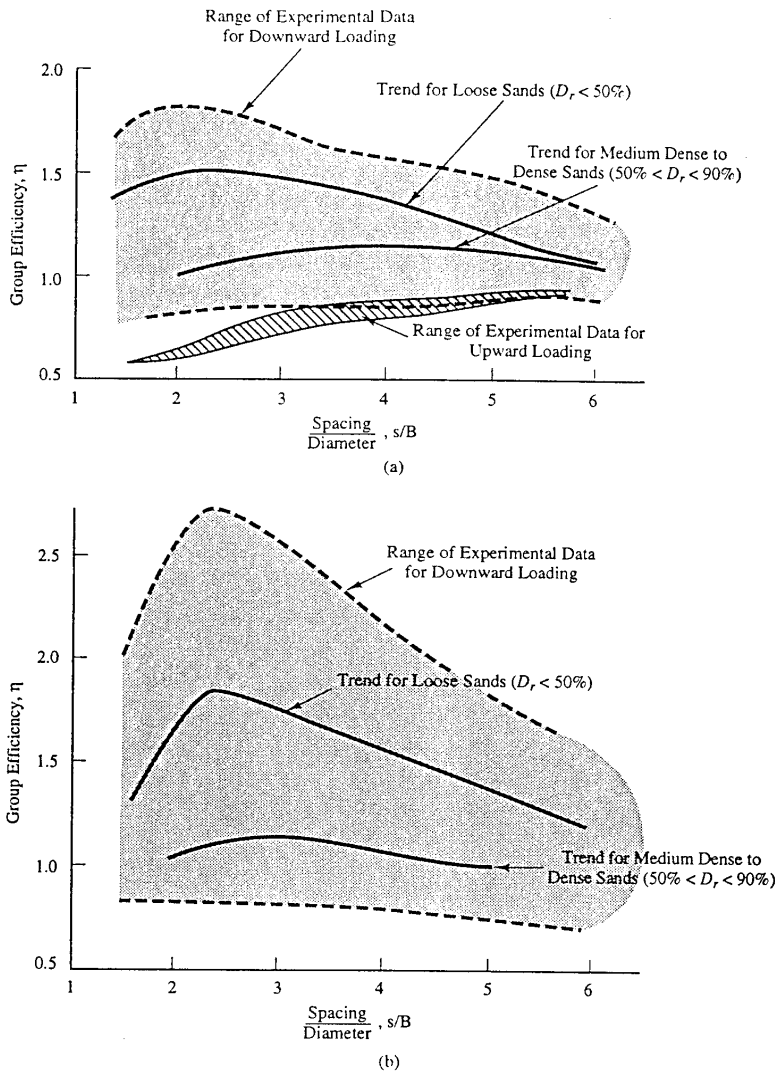


Figure 14.4 Group efficiencies from tests of model pile groups in cohesionless soils subjected to vertical loads: (a) groups of 4 piles; (b) groups of 9 - 16 piles (Adapted from O'Neill, 1983; Used with permission of ASCE).

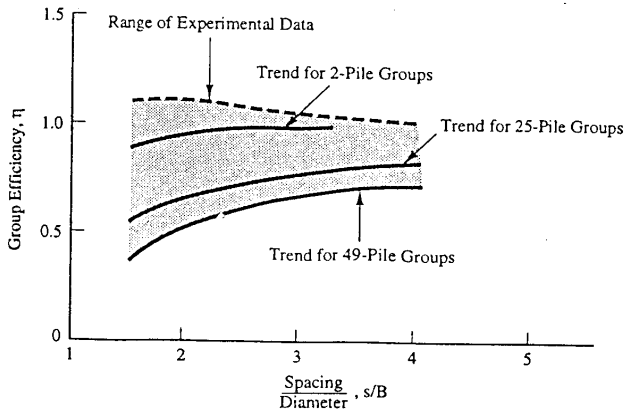


Figure 14.6 Group efficiencies from model pile groups in cohesive soils subjected to vertical loads (Adapted from O'Neill, 1983; Used with permission of ASCE).

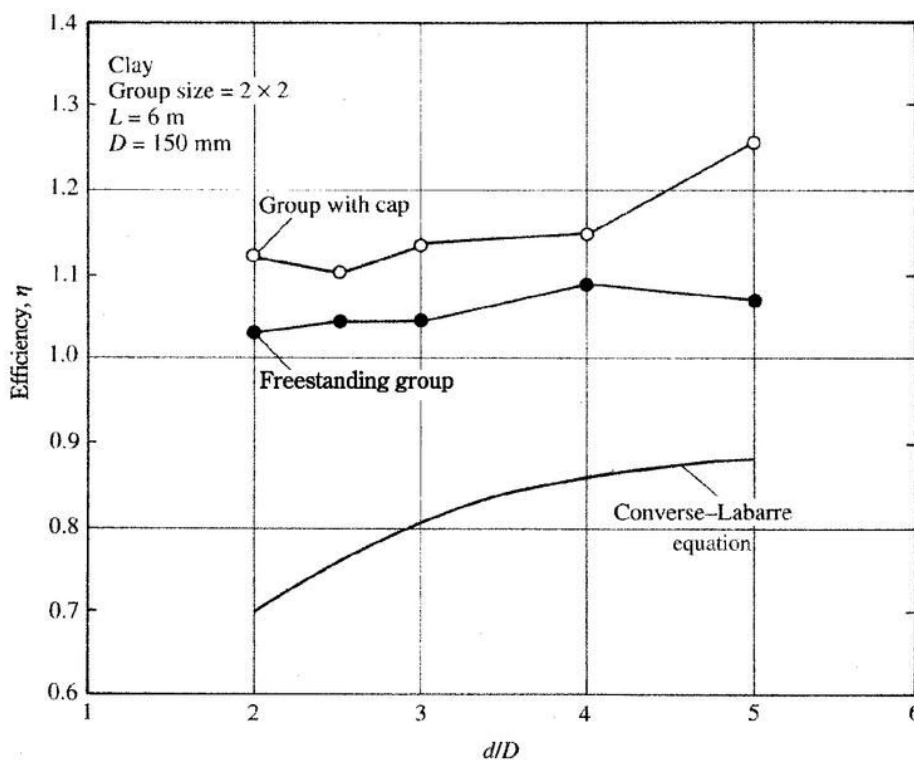


Fig 11.46 Variation of group efficiency with d/D (after Brand et al., 1972)

For pile design purpose, following comments can be drawn.

1. For driven group piles in sand with $d \geq 3D$, $Q_{g(u)}$ may be taken to be ΣQ_u , which includes the frictional and the point bearing capacities of individual piles.
2. For bored group piles in sand at conventional spacings ($d \approx 3D$), $Q_{g(u)}$ may be taken (2/3~3/4) times ΣQ_u (frictional and point bearing capacities of individual piles).

* Piles in rock

Point bearing pile $\Rightarrow Q_{group} = \Sigma Q_{individual}$ in case of

center to center spacing $> D + 300mm$