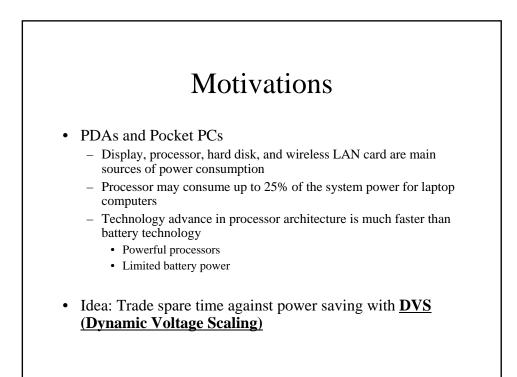
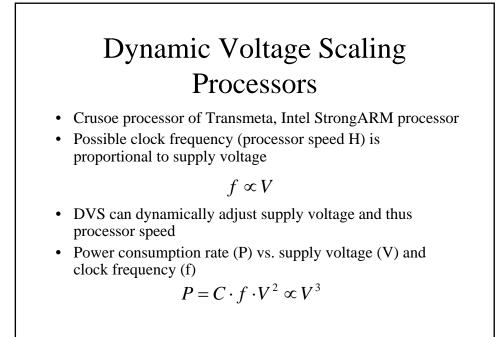
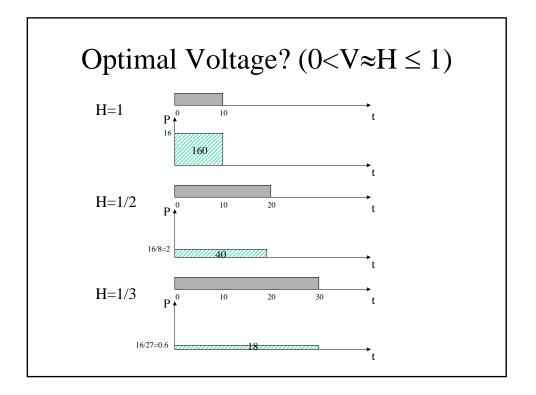
## Power Aware Scheduling







## How to determine optimal speed in real-time systems?

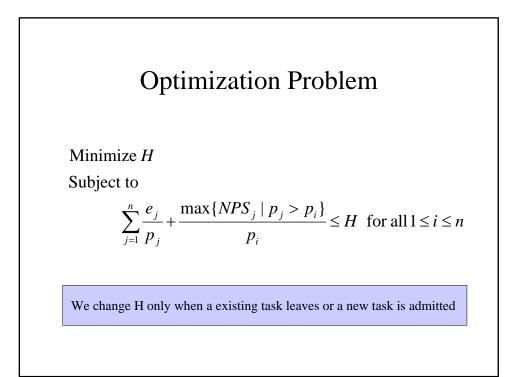
• Minimize the energy consumption while guaranteeing the schedulability

Theorem: *n* periodic tasks {(*p<sub>i</sub>*, *e<sub>i</sub>*, *NPS<sub>i</sub>*)| 1 ≤ i ≤ *n*} can be feasibly scheduled by EDF at processor speed *H* (0<H≤1) if</li>

$$\forall i, 1 \le i \le n, \sum_{j=1}^{n} \frac{e_j}{p_j} + \frac{\max\{NPS_j \mid p_j > p_i\}}{p_i} \le H$$

• Proof:

$$\forall i, 1 \le i \le n, \sum_{j=1}^{n} \frac{e_j / H}{p_j} + \frac{\max\{NPS_j \mid p_j > p_i\} / H}{p_i} \le 1$$



## Further Energy Saving

- First, while the blocking is not ongoing, the total utilization is lower than 1. So, we can further reduce the speed for spare times
- Second, the speed H was determined assuming WCET. If jobs execute much less than WCET, we can reclaim the unused time and the unused time can be used for further reduction of speed

## **Dual-Speed Switching Algorithm**

• If the tasks are fully preemptible, they can be feasibly scheduled with a minimum speed L

$$\sum_{j=1}^{n} \frac{e_j}{p_j} \le L$$

• If a high priority job is blocked by a low priority job, the processor runs in <u>High speed</u> (H) mode until the blocking effect completely diminishes.

$$\forall i, 1 \le i \le n, \sum_{j=1}^{n} \frac{e_j}{p_j} + \frac{\max\{NPS_j \mid p_j > p_i\}}{p_i} \le H$$

• In all other situations, the processor run in <u>Low speed</u> (L) mode

