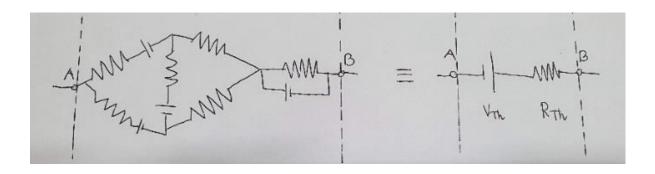
Lecture 3 - Thevenin equivalent circuit

: To simplify complex circuit of Resistors and Voltage sources into simple serial circuit of Vth (Thevenin voltage) and Rth (Thevenin resistance).

: Any two terminal network of resistors and voltage sources is equivalent to a single voltage source Vth in series with a single resistor Rth

This method is called as Thevenin's method for "Circuit Fragmentation"

<Thevenin's Equivalent Circuit>



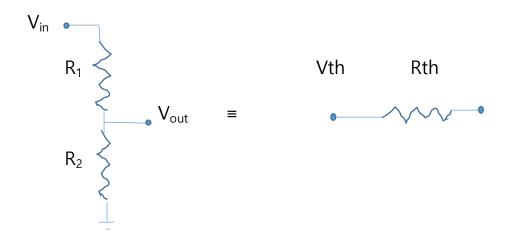
Networks of Resistors and Voltages \equiv Vth + Rth (in series)

Circuit Simplification/Fragmentation by Thevenin's equivalent circuit, Vth=Thevenin voltage, or

Open circuit voltage at B when nothing is attached to B, or Voltage measured/calculated at B when $R_{in B} = \infty$

Rth=Vth/ I_{sc} and I_{sc} = $I_{short-circuit}$ =Current flowing from the circuit to ground when B is shorted, or connected to ground, or saturation current.

For the voltage divider,



Vth=Open voltage at $V_{out}=V_{in}R_2/(R_1+R_2)$

 I_{sc} =Current flowing when V_{out} is shorted= V_{in}/R_1 (why?)

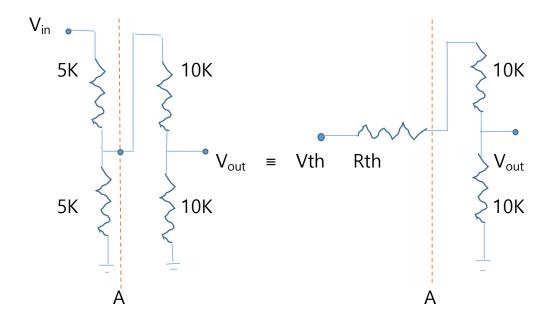
Thus $Rth = Vth/I_{sc} = R_1R_2/(R_1 + R_2) = 1/(1/R_1 + 1/R_2) = R_1 \parallel R_2$

=Parallel resistance of resistors viewed from Vout

This is a great knowledge, and there are so many applications!

Ex) Multiple voltage divider

 V_{out} ?



$$Vth=V_{in}(5K)/(5K+5K)=V_{in}/2$$
, $Rth=5K | 1.5K=2.5K$

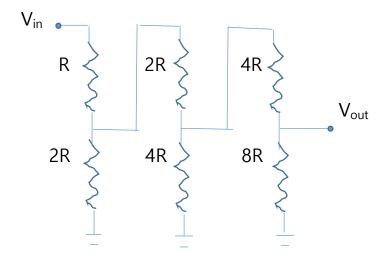
$$\ \, ... \ \, V_{out} = Vth(10K)/(2.5K + 10K + 10K) = 10Vth/22.5 = 5V_{in}/22.5 = 0.222V_{in}$$

This example demonstrates the strength of fragmented circuit using the Thevenin method!

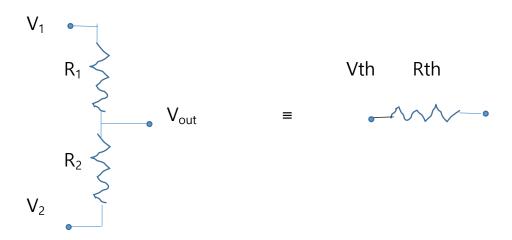
It might be very difficult to solve without the Thevenin method.

HW2)

Given the multiple voltage divider, derive V_{out} as the function of Vin and R. Also calculate V_{out} when $V_{in}{=}10V$, and $R{=}5K\Omega$



Revisit to Generalized Voltage Divider



Vth is the open circuit voltage, and it is the same as V_{out} $I_{SC}=Saturation Current=Current$ when V_{out} is ground.

Thus
$$I_{SC} = V_1/R_1 + V_2/R_2$$

Rth

$$=R_1 \parallel R_2 = R_1 R_2 / (R_1 + R_2)$$

And,

$$V_{out} = Vth = Rth * I_{SC} = (R_2V_1 + R_1V_2)/(R_1 + R_2)$$

= $V_2 + (V_1 - V_2)R_2/(R_1 + R_2)$

 $\mathrel{\ddots}$ The venin method gives simplification and insight.